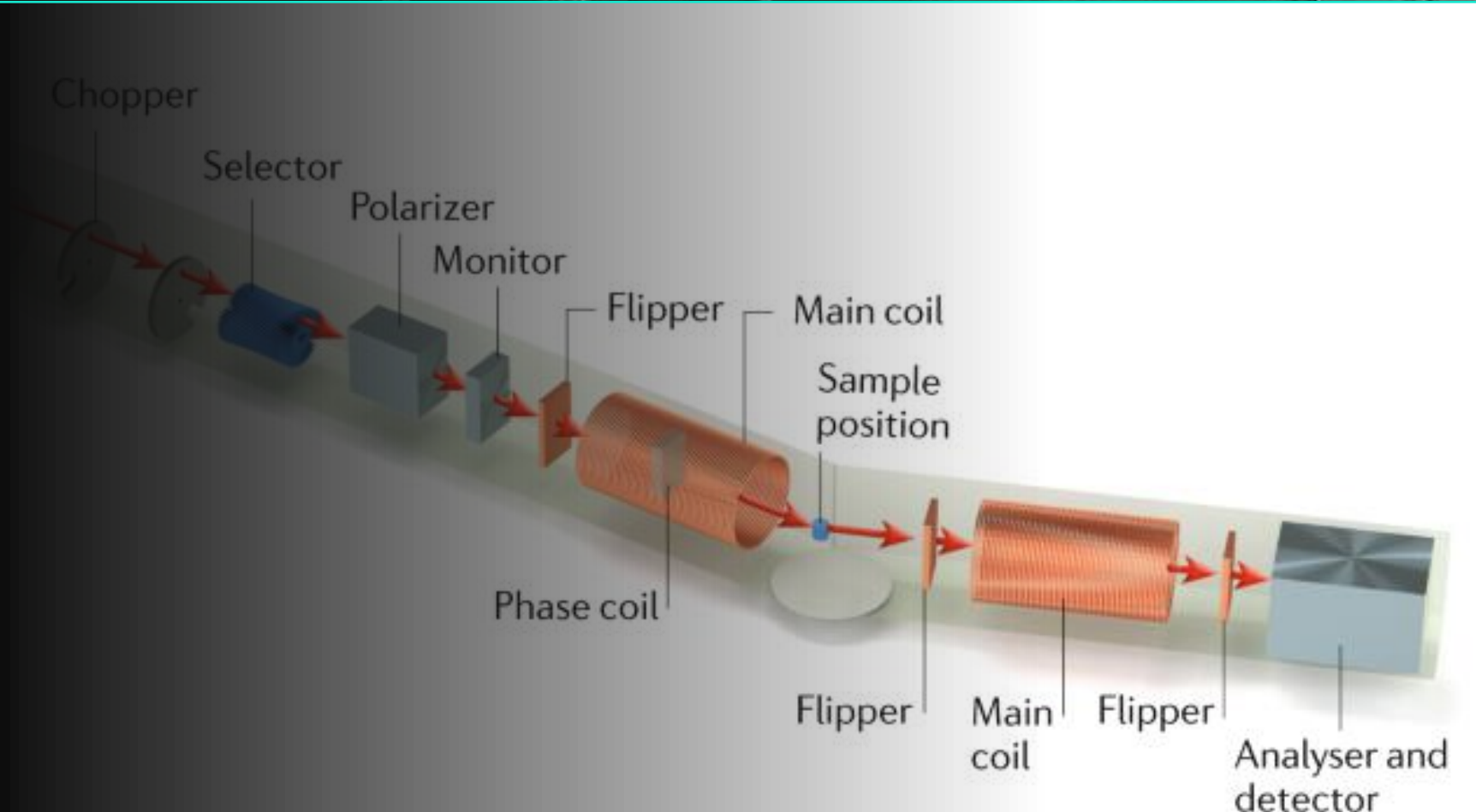


A, b, c's of Neutron Spin Echo



How did I get here

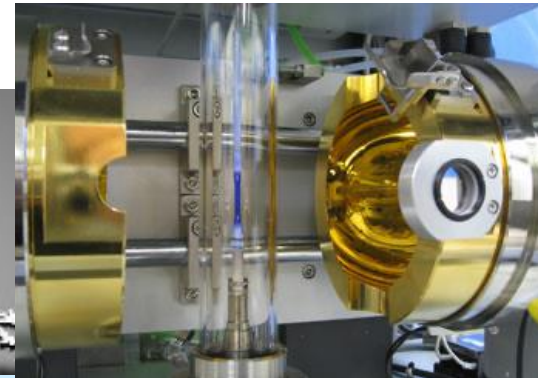
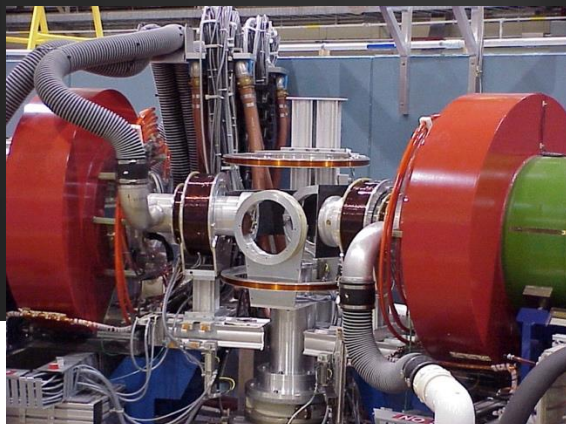
Postdocs (1996-1999)
McMaster University
BD Gaulin
Los Alamos
In John Sarrao's Lab
Crystal Growth
Neutron and Muon studies

PhD 1991
University of Warwick
Crystal Growth

Back to USA
Via SSLab in China (2019/2020)

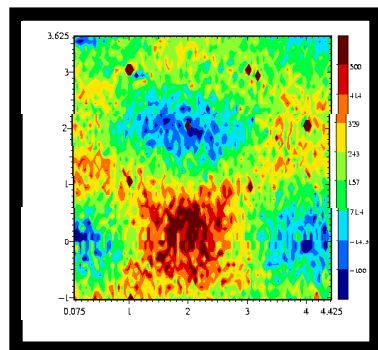
Staff positions (1999-2013)
NRC, NIST [BNL, Indiana U]
Neutron Scattering Scientist

Staff positions (2013/18)
NSRRC
Built/Commissioned 3-axis



Professional Efforts

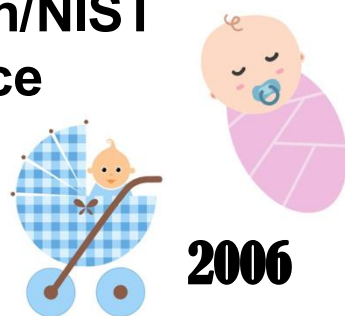
Crystal
Growth
Initiative



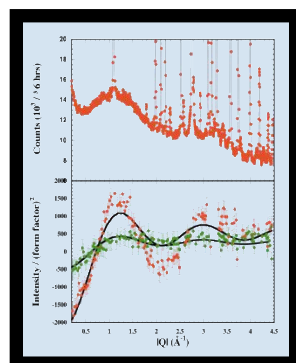
Lead the
Brookhaven/NIST
Alliance

1999

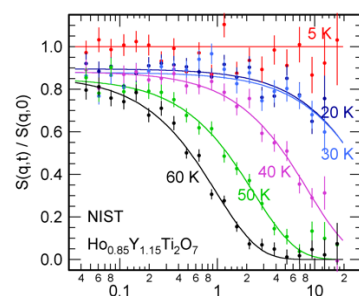
2002



NSE & develop
Magnetic Echo in
USA



Frustrated
Magnetism@IIP
Brazil



EiC

Journal of
Physics
Condensed Matter

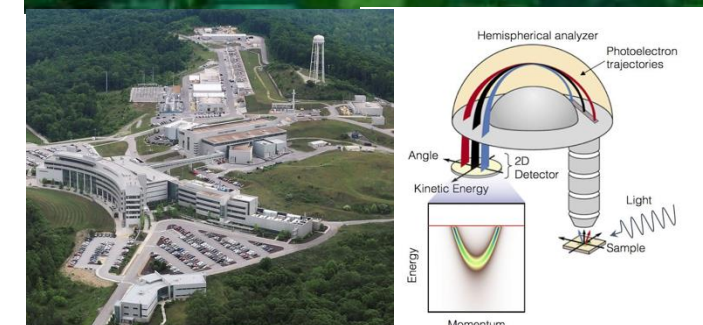
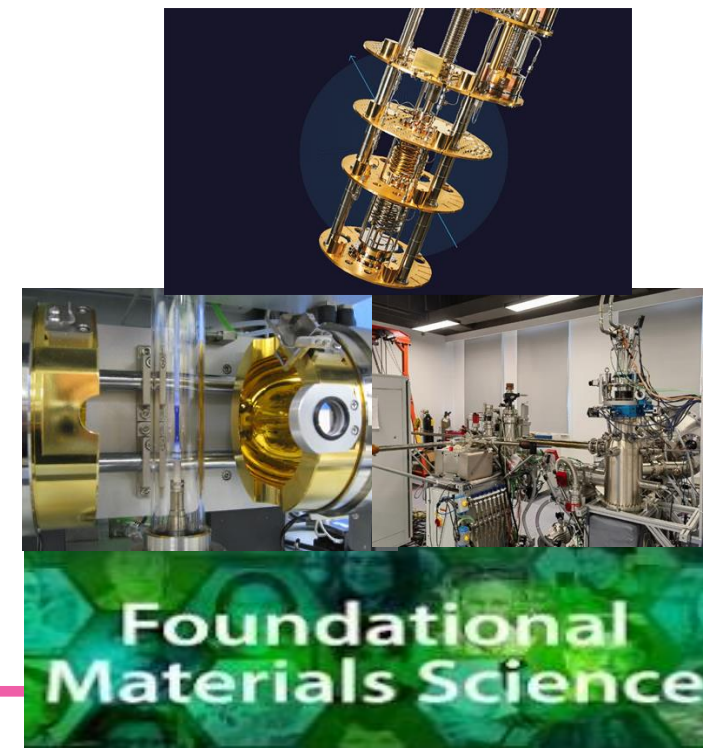
2013

Neutron Scattering
Group Leader in
Australia

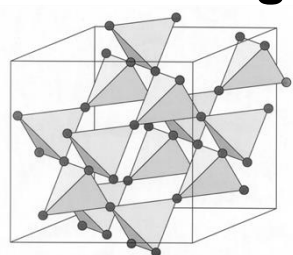
HFM
2016

APS
physics
IDEA

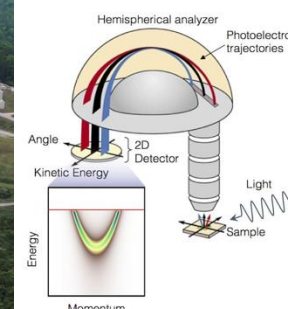
APS
physics
FECS



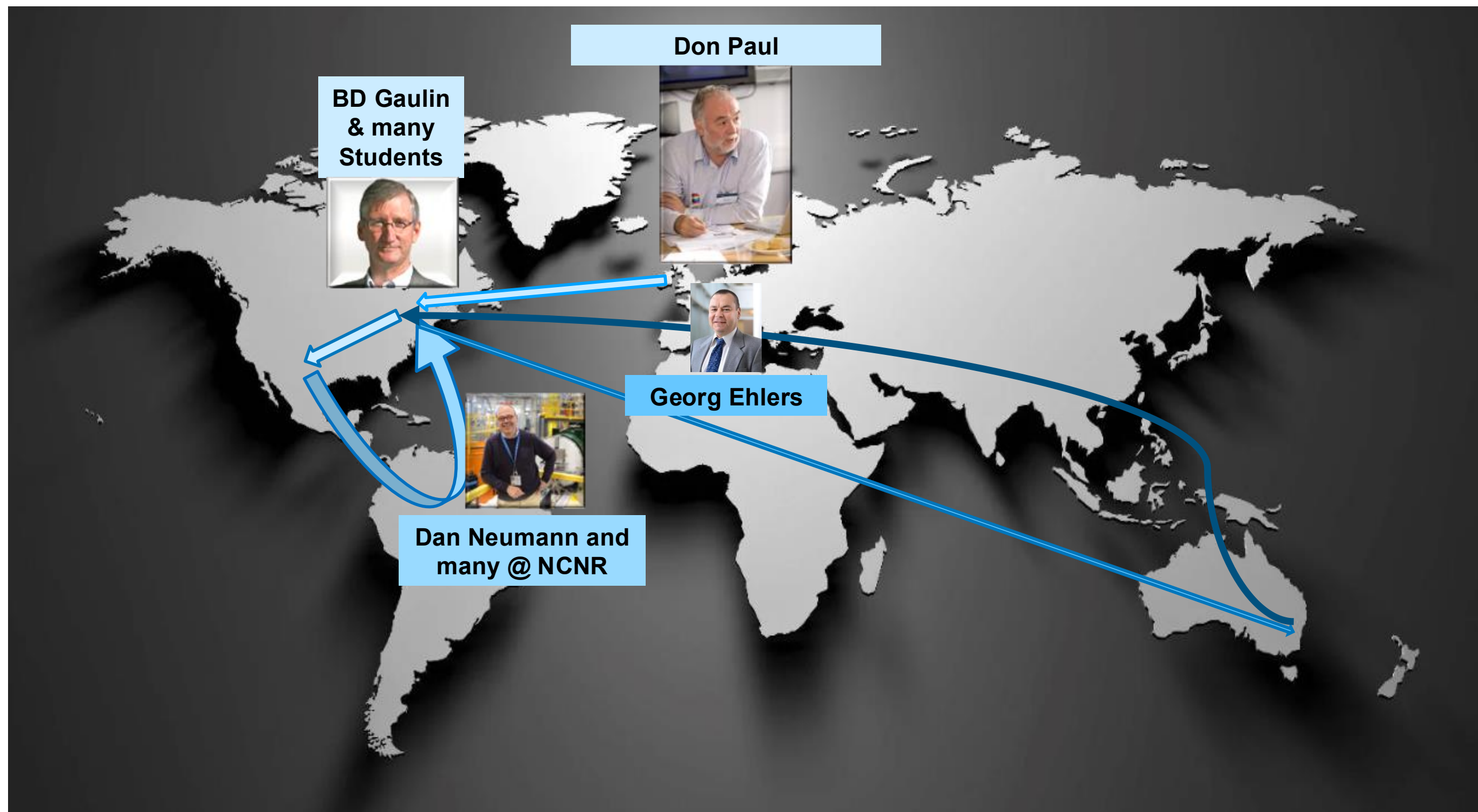
Magnetic neutron
scattering program



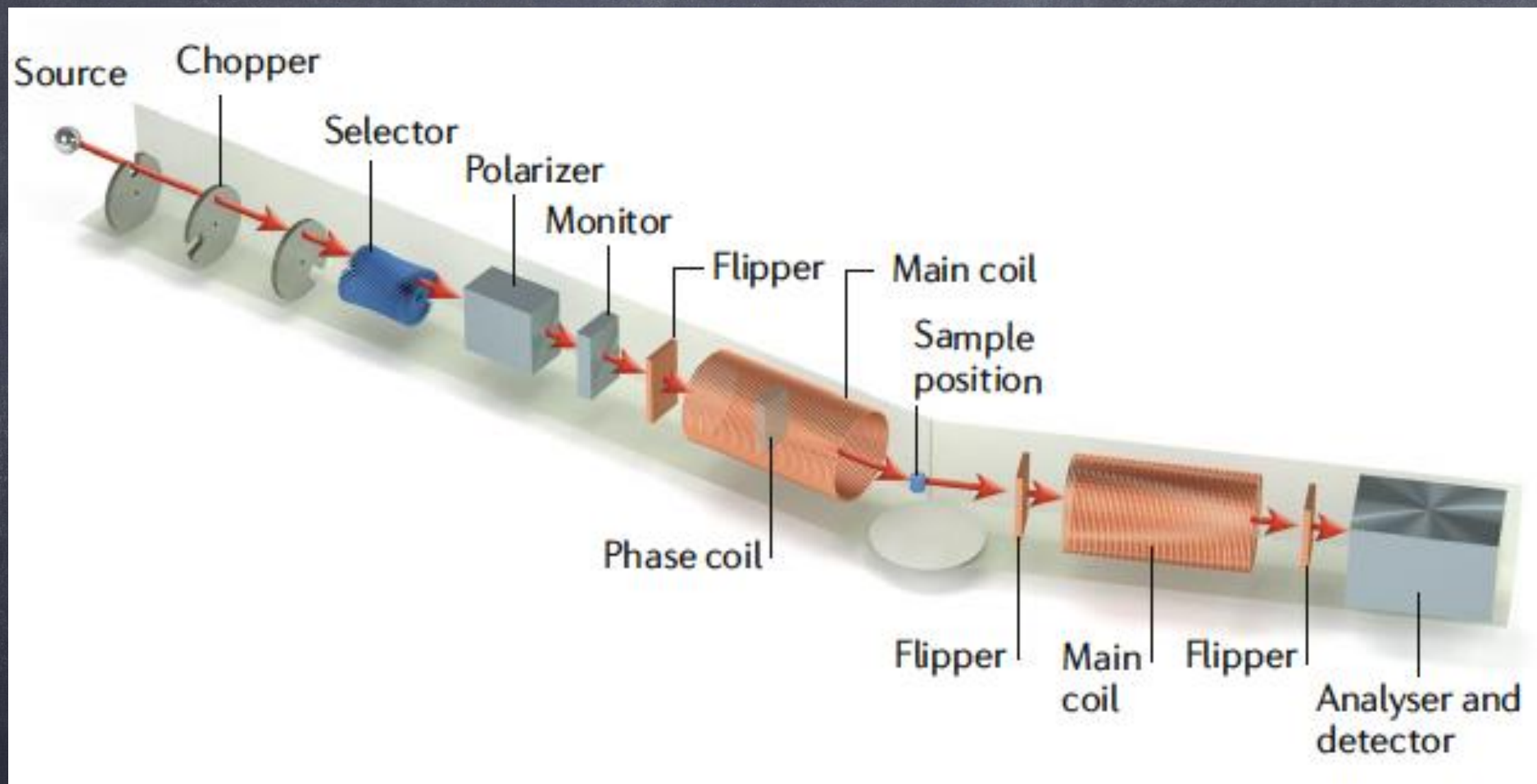
Build a
Quantum material lab in
China



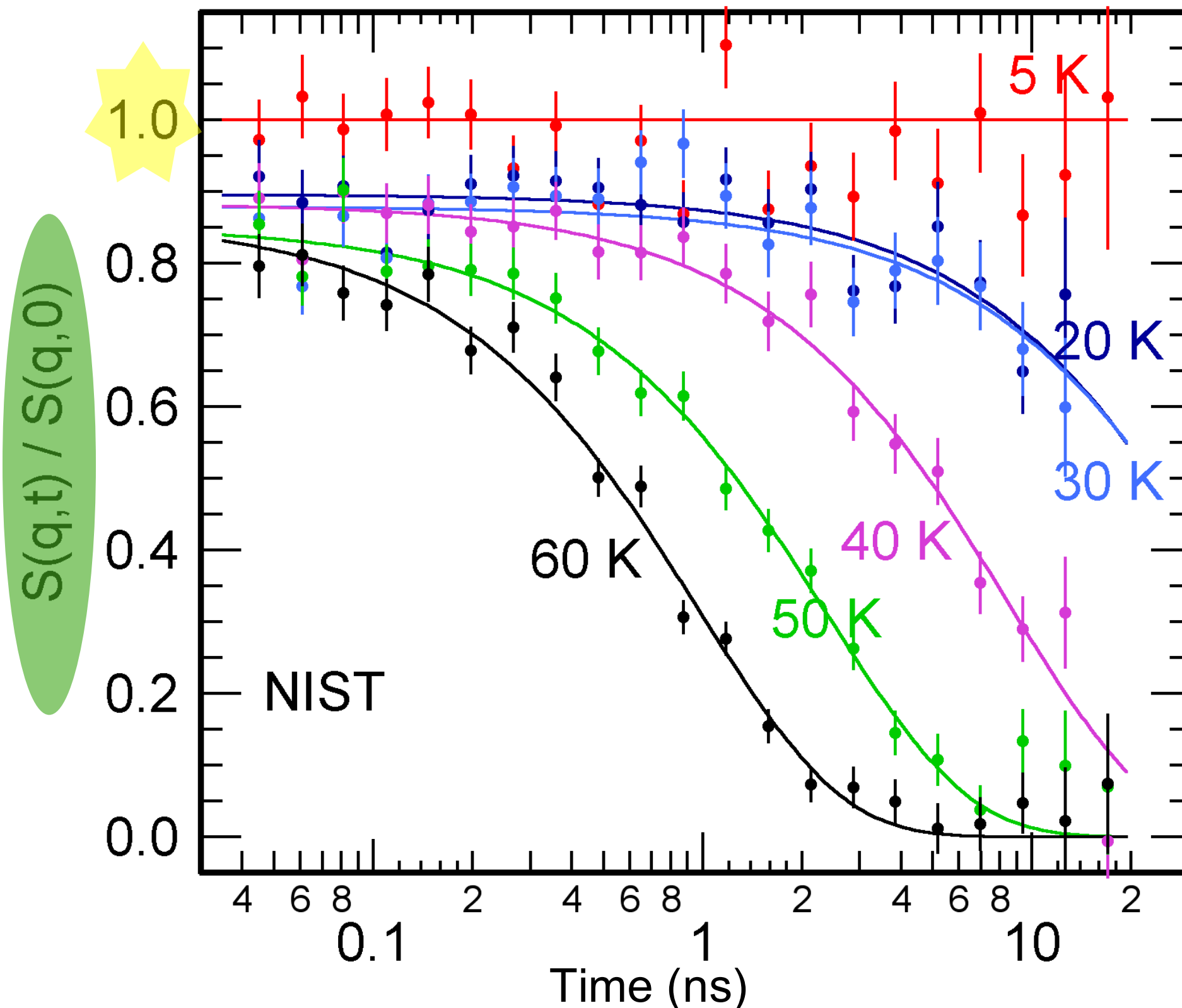
Network of Mentors



Enough about me

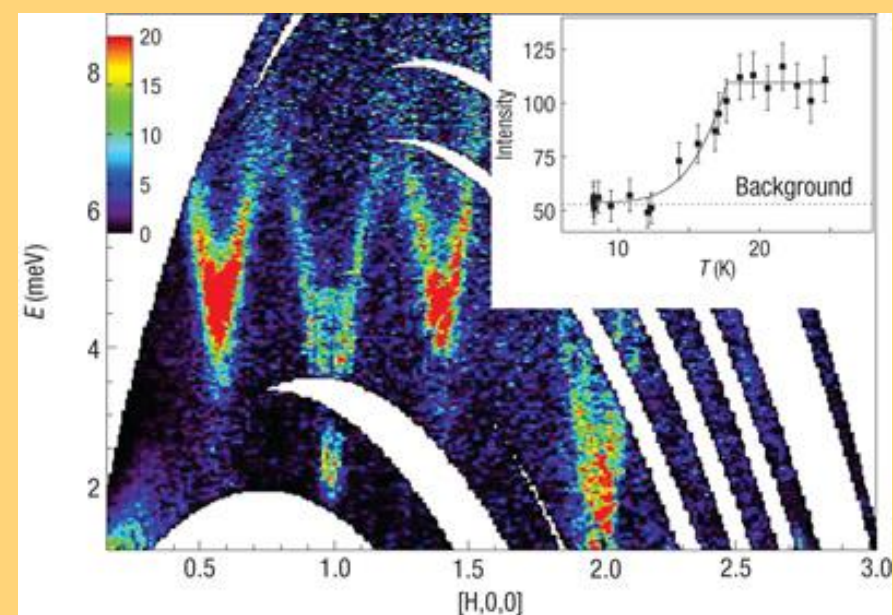
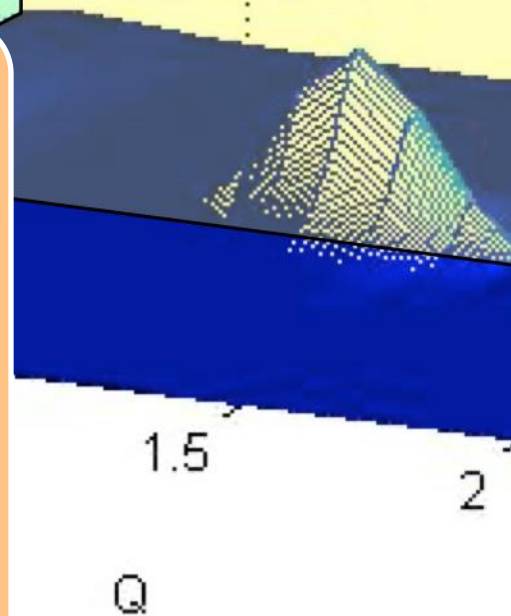
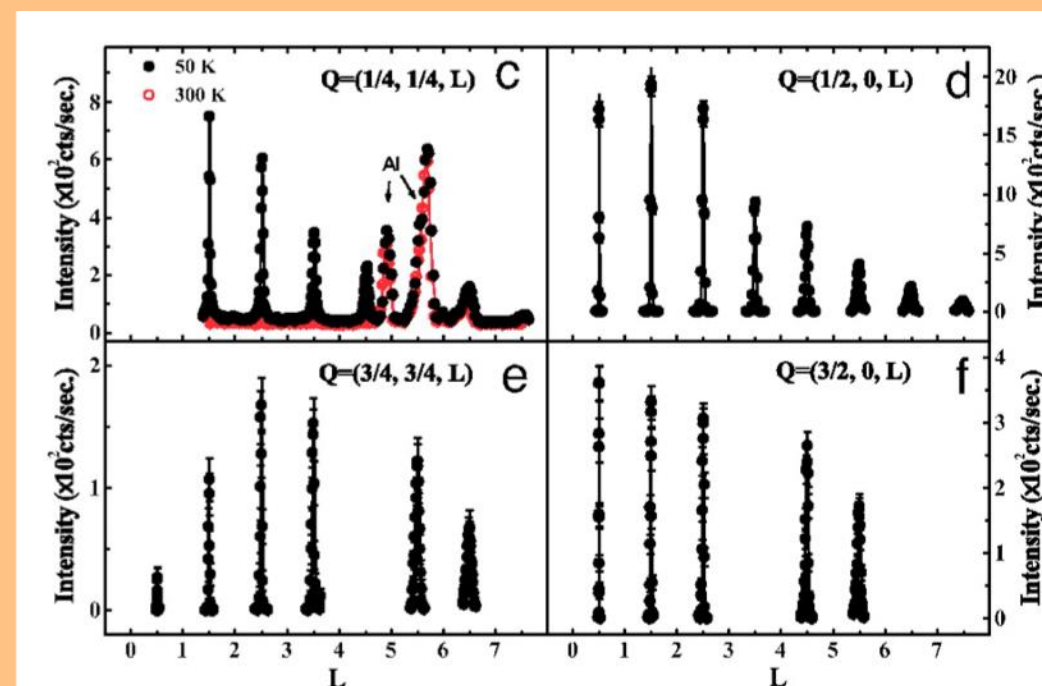
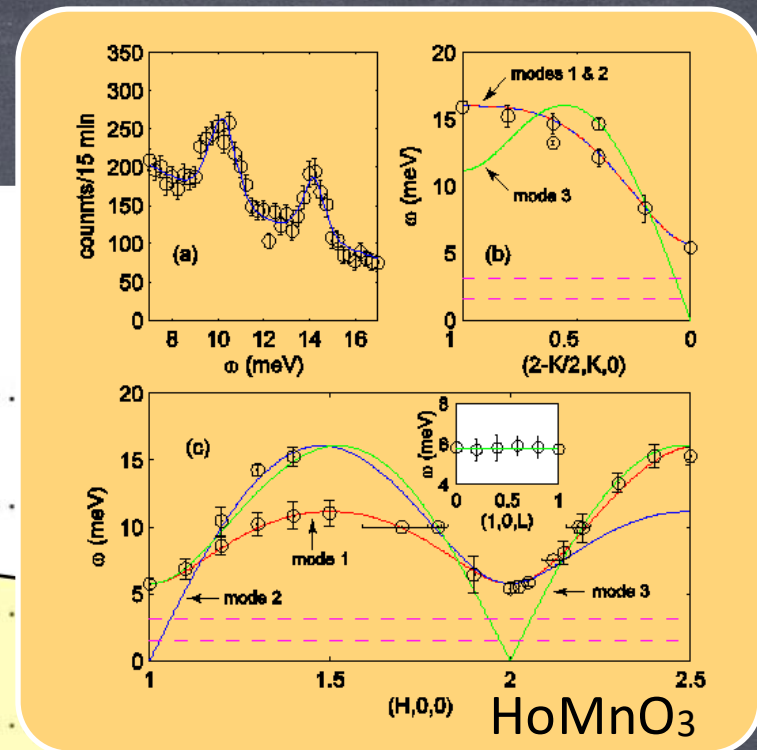
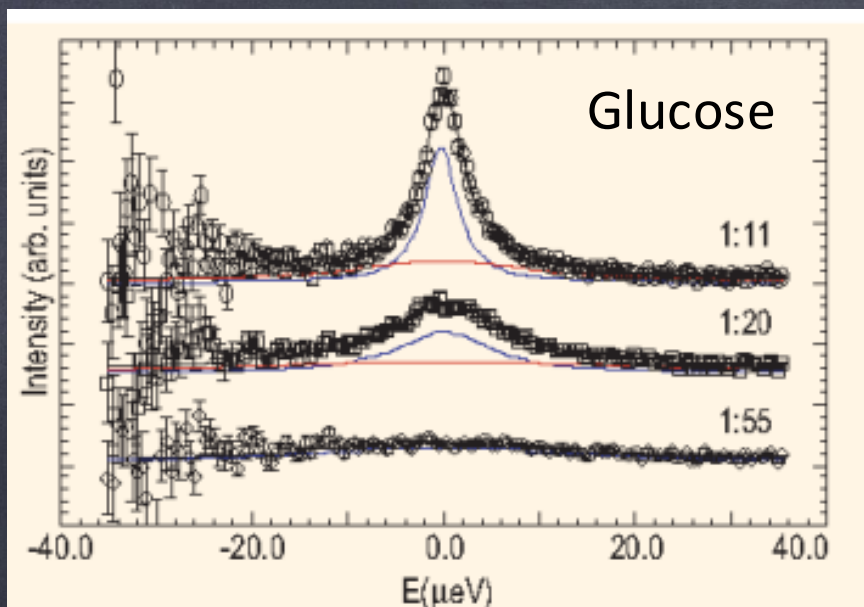


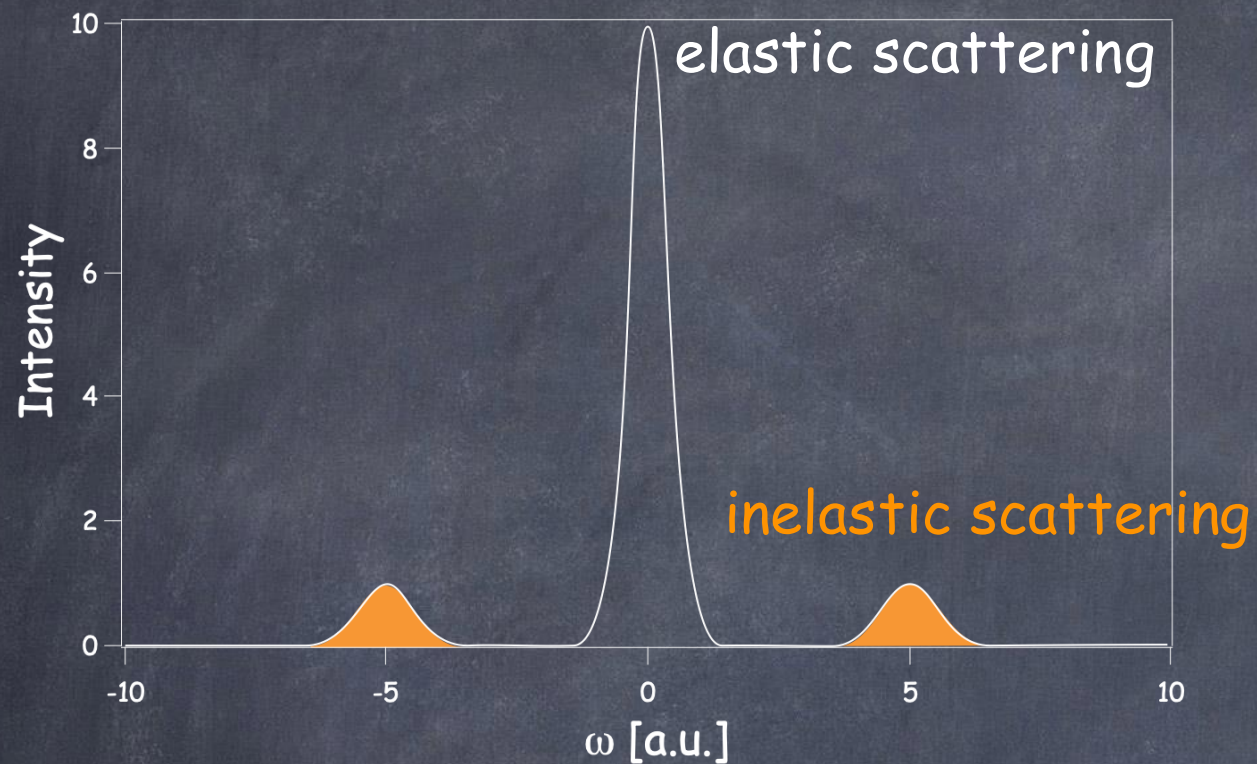
Simple Take Home



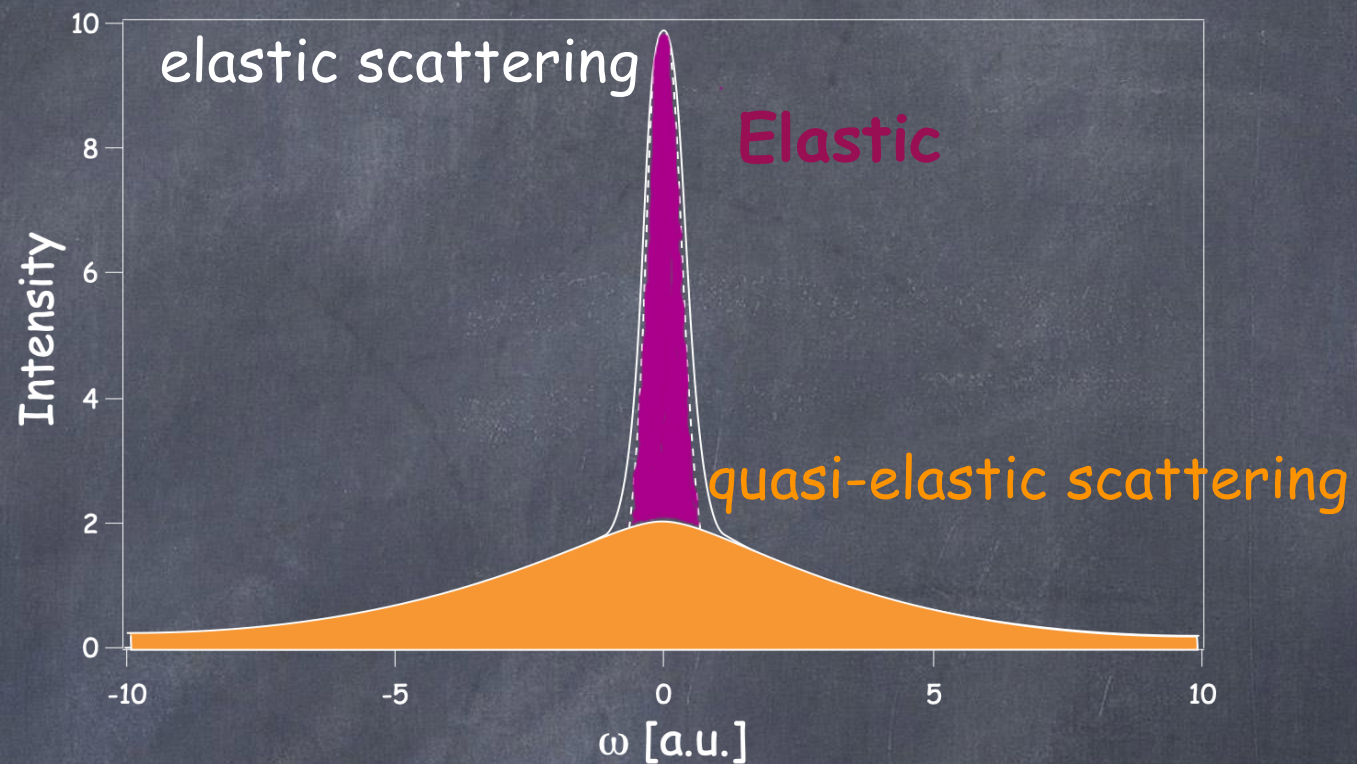
Some Reading

- J.S. Gardner, G. Ehlers, A. Faraone, and V. Garcia-Sakai “*High-resolution neutron spectroscopy using backscattering and neutron spin-echo spectrometers in soft and hard condensed matter*” *Nature Reviews Physics*, 2, 103 (2020).
- Stephen Lovesey: *Theory of Neutron Scattering from Condensed Matter*, Vol. 2, Clarendon Press, Oxford, 1986.
- F. Mezei (Ed.): *Neutron Spin-Echo*, Lecture Notes in Physics 128, Springer, Heidelberg, 1980.
- F. Mezei, C. Pappas, T. Gutberlet (Eds.): *Neutron Spin-Echo Spectroscopy* (2nd workshop), Lecture Notes in Physics 601, Springer, Heidelberg, 2003.
- D. Richter, M. Monkenbusch, A. Arbe, and J. Colmenero, “*Neutron spin echo in polymer systems*” *Adv. in polym. Sci*, 174, 1 (2005).
- B. Farago, “*Recent developments and applications of NSE in soft matter*” *Curr. Opin. Colloid Interface Sci.*, 14, 391 (2009).
- I. Hoffmann, “*Neutrons for the study of dynamics in soft matter systems*” *Colloid. Polym. Sci.*, 292, 2053 (2014).





Excitation: the neutron interacts with an oscillation which has a finite energy transfer
c.f. Natural Modes, SHO



Relaxation: the neutron interacts with the system which finds a new equilibrium state.

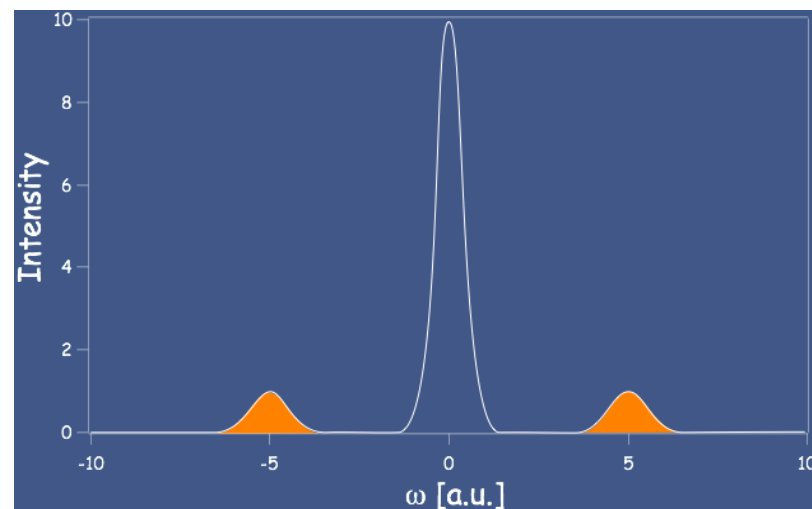
c.f. Diffusion, Brownian Motion

Time domain measurements

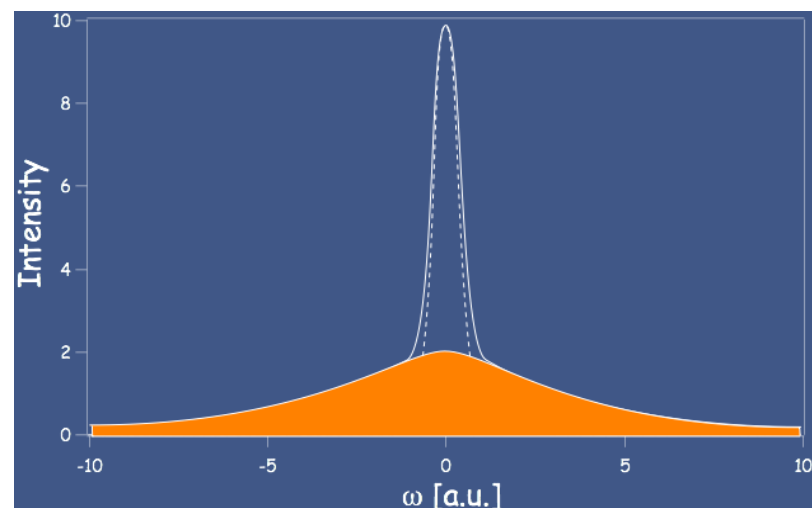
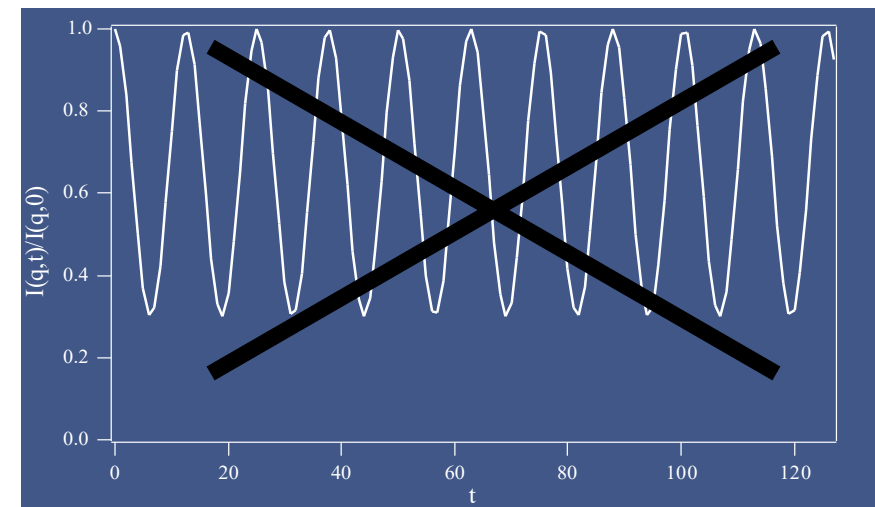
$$I(q, t) = \int S(q, \omega) \exp(-i\omega t) d\omega$$

Energy domain

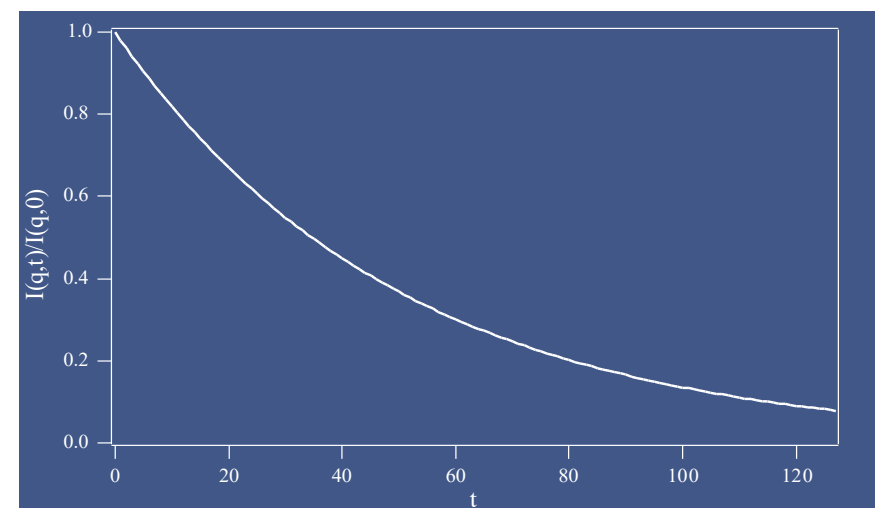
Time domain



FT
↔



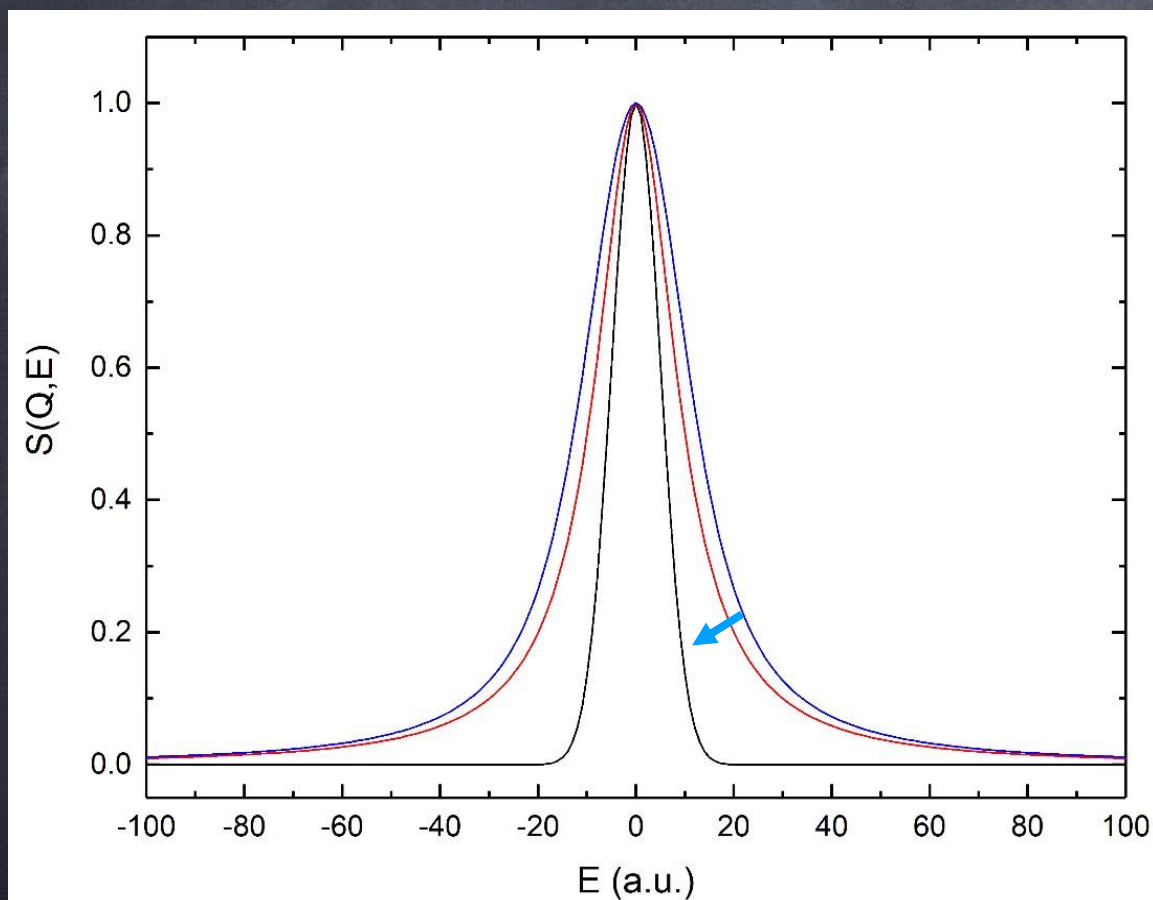
FT
↔



Quasielastic scattering or relaxation processes are well studied in the time domain

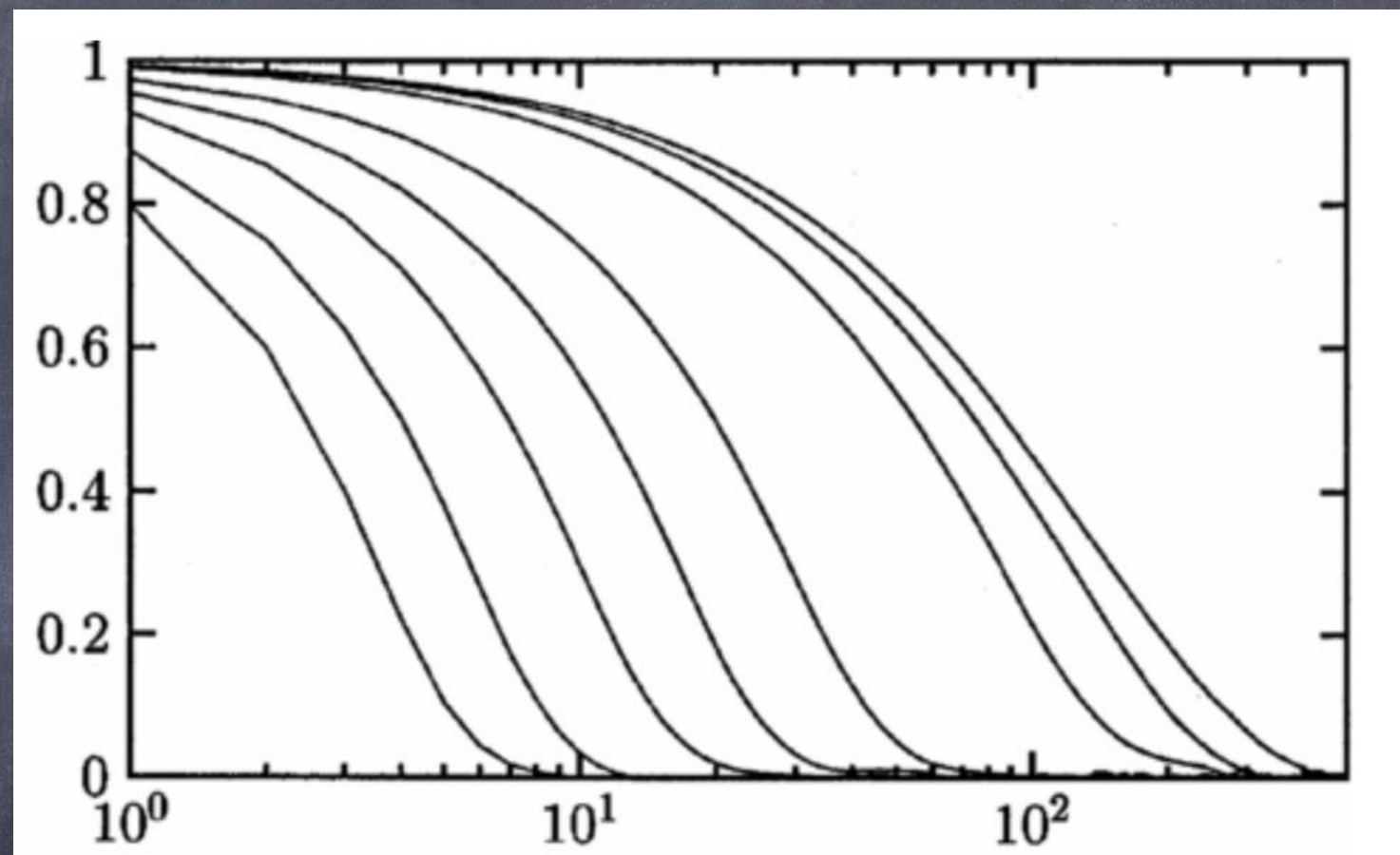
Why? Well one reason why

Higher flux,
Quicker experiment



BUT, as you approach the
Instrument resolution (Slower)
interpretation gets difficult

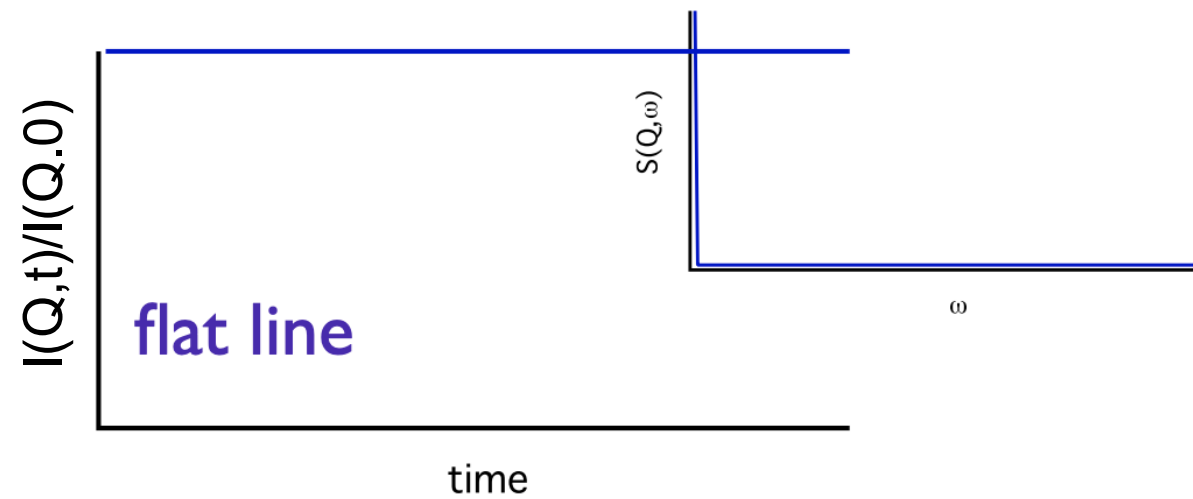
Low flux,
Slow experiment



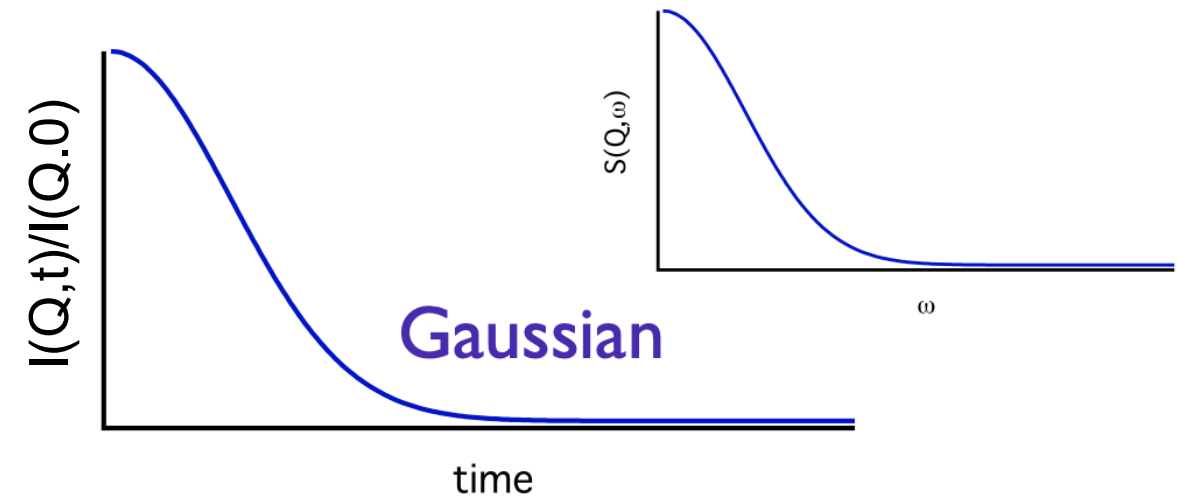
BUT, better E- resolution allows
us to measure (Slower) things

Mathematically more basics

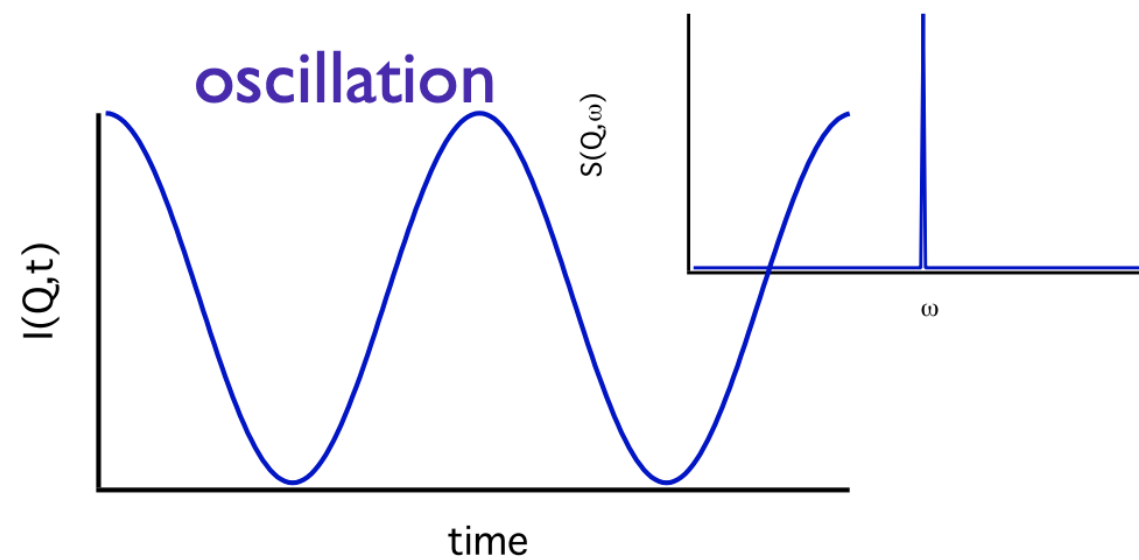
Static samples:



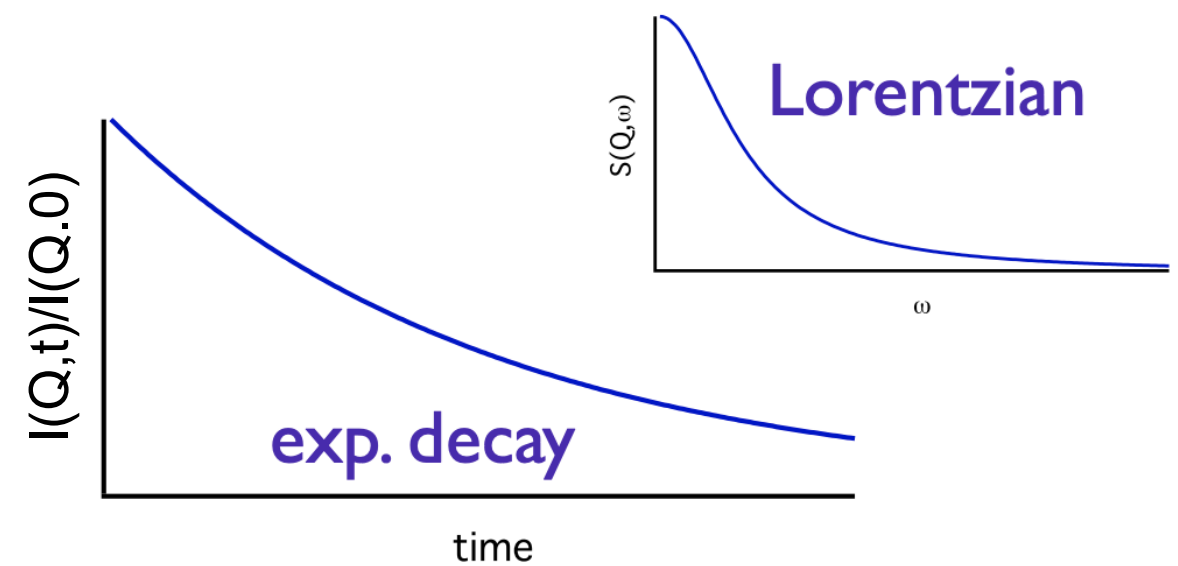
Ballistic motion:



Vibrations:



Diffusion:

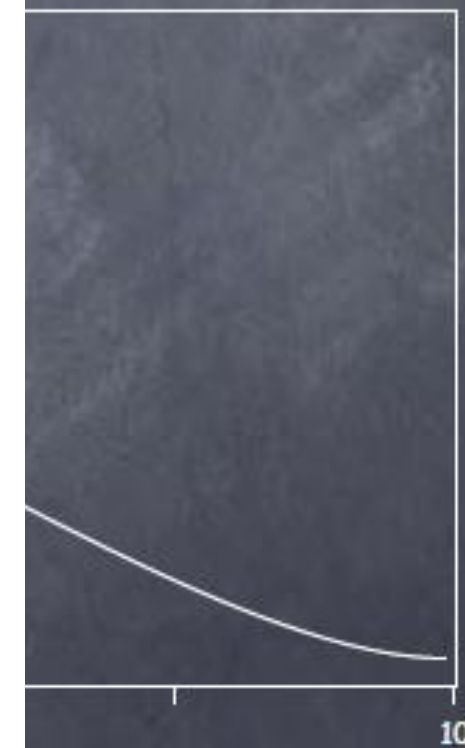
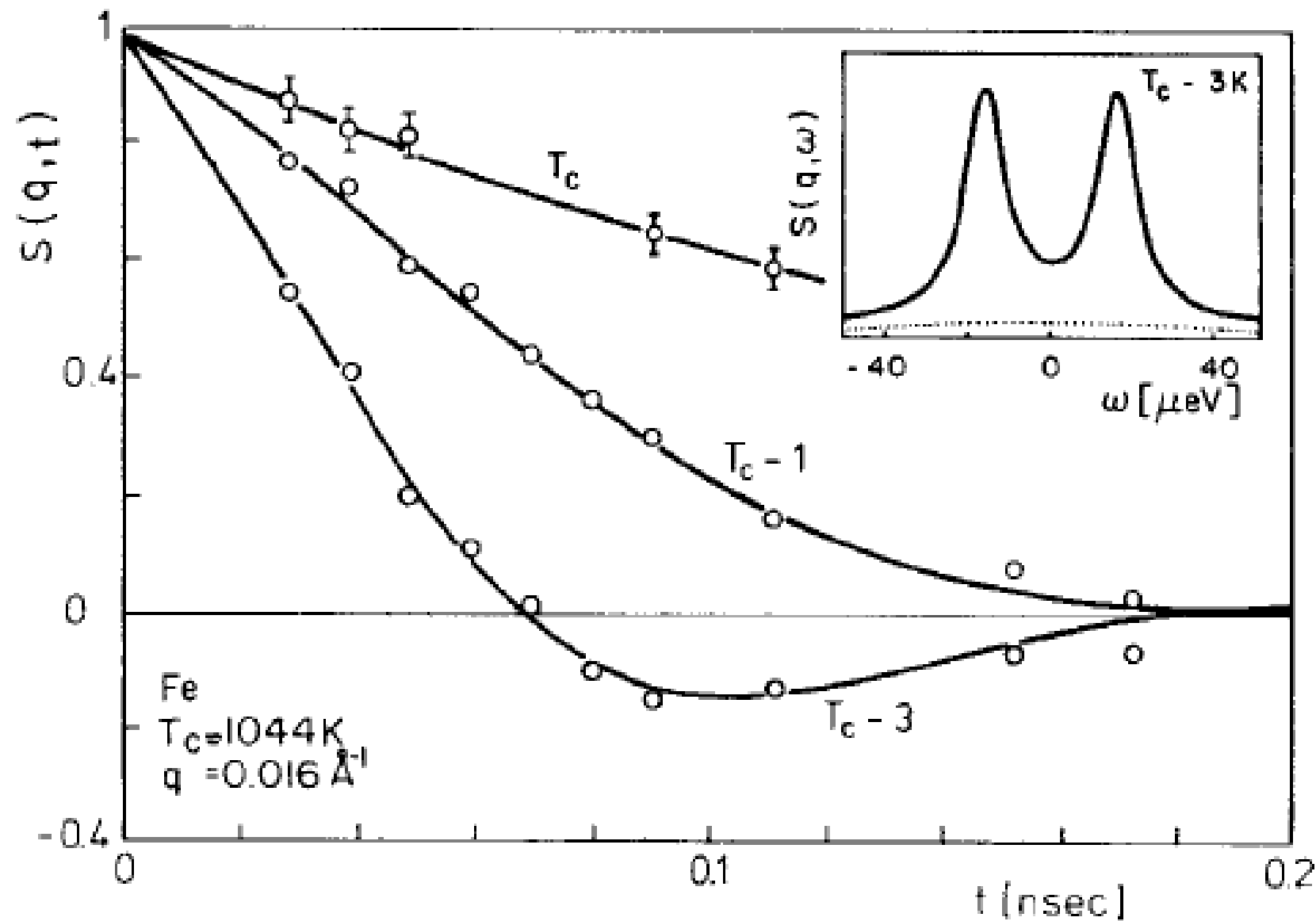


Time domain measurements

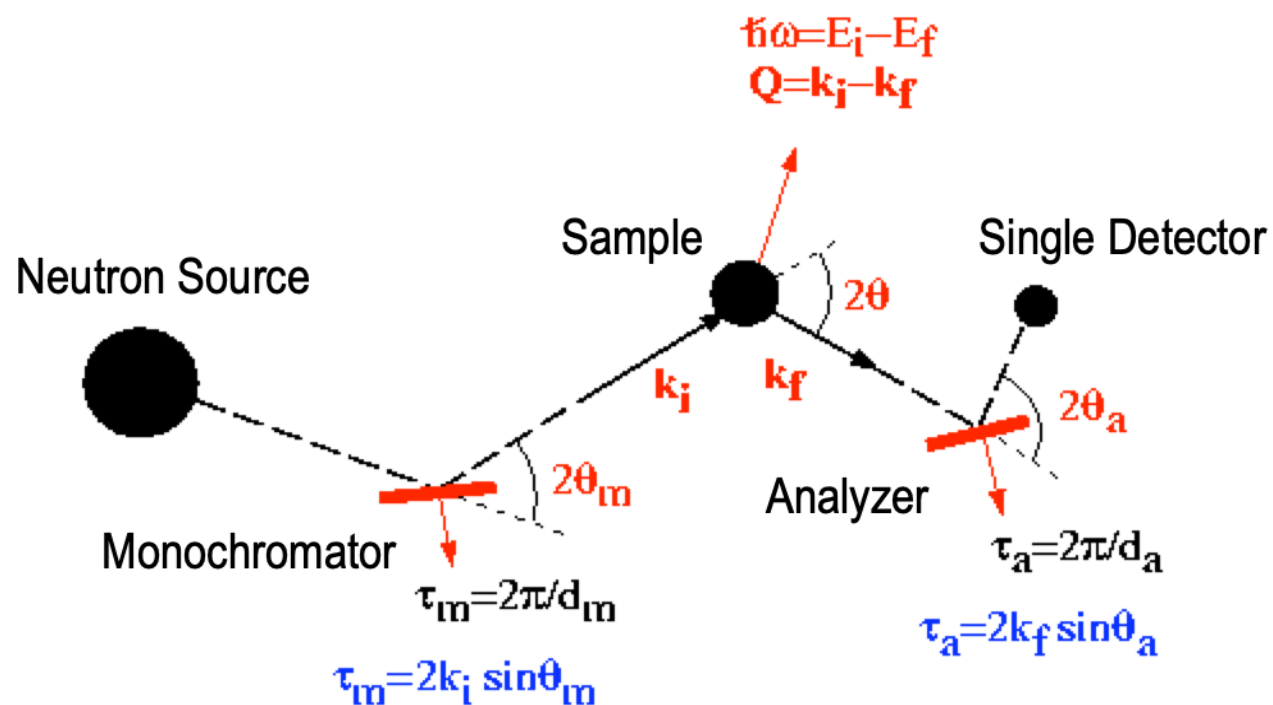
$$I(q, t) = \int S(q, \omega) \exp(-i\omega t) d\omega$$

Er

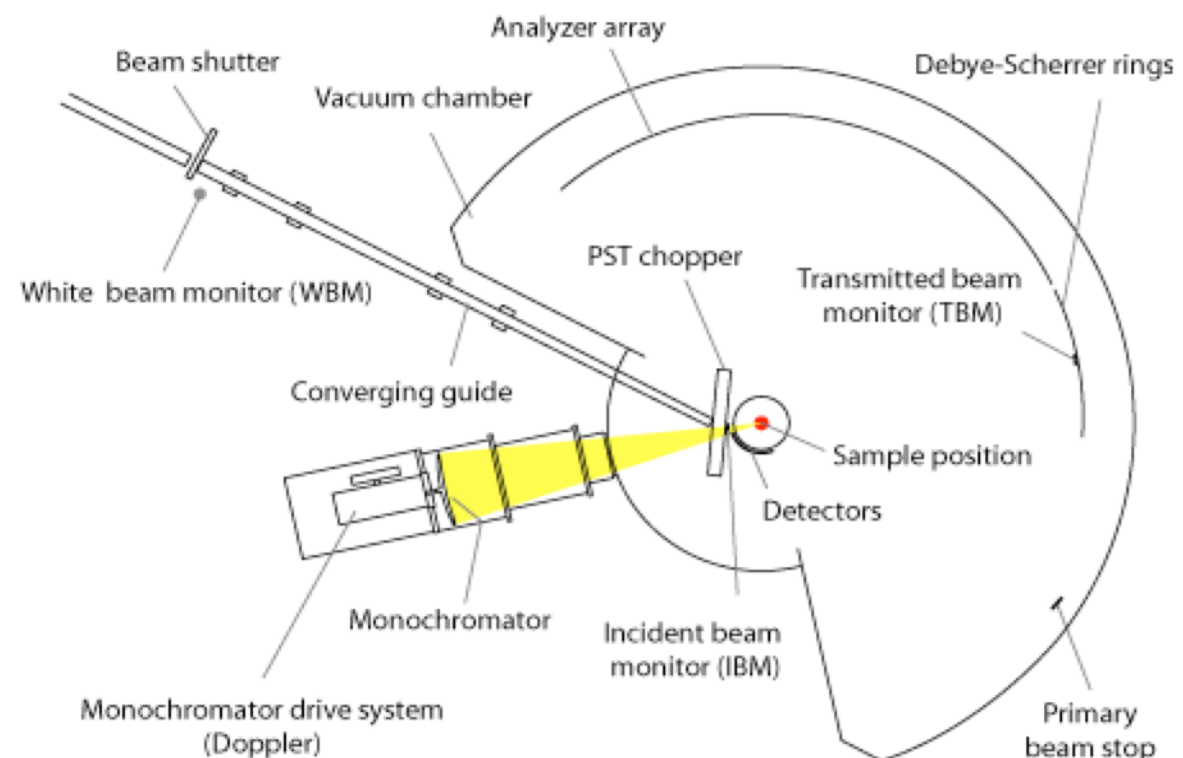
in



So Far, you have learnt



$10^2 \mu\text{eV}$



$10^0 \mu\text{eV}$



The Idea of Neutron Spin Echo

NSE Breaks the Relationship between Intensity & Resolution

- Traditional Instruments - use collimators, monochromators, choppers etc to **define both \underline{k}_i and \underline{k}_f** in order to define E and Q accurately
- NSE - **measure the difference** between appropriate components of \underline{k}_i and \underline{k}_f (original use: measure $\underline{k}_i - \underline{k}_f$ i.e. energy change)
- NSE - use the neutron's spin polarization to encode the difference between components of \underline{k}_i and \underline{k}_f
- NSE - can use large beam divergence &/or poor monochromatization to increase signal intensity, while maintaining great resolution

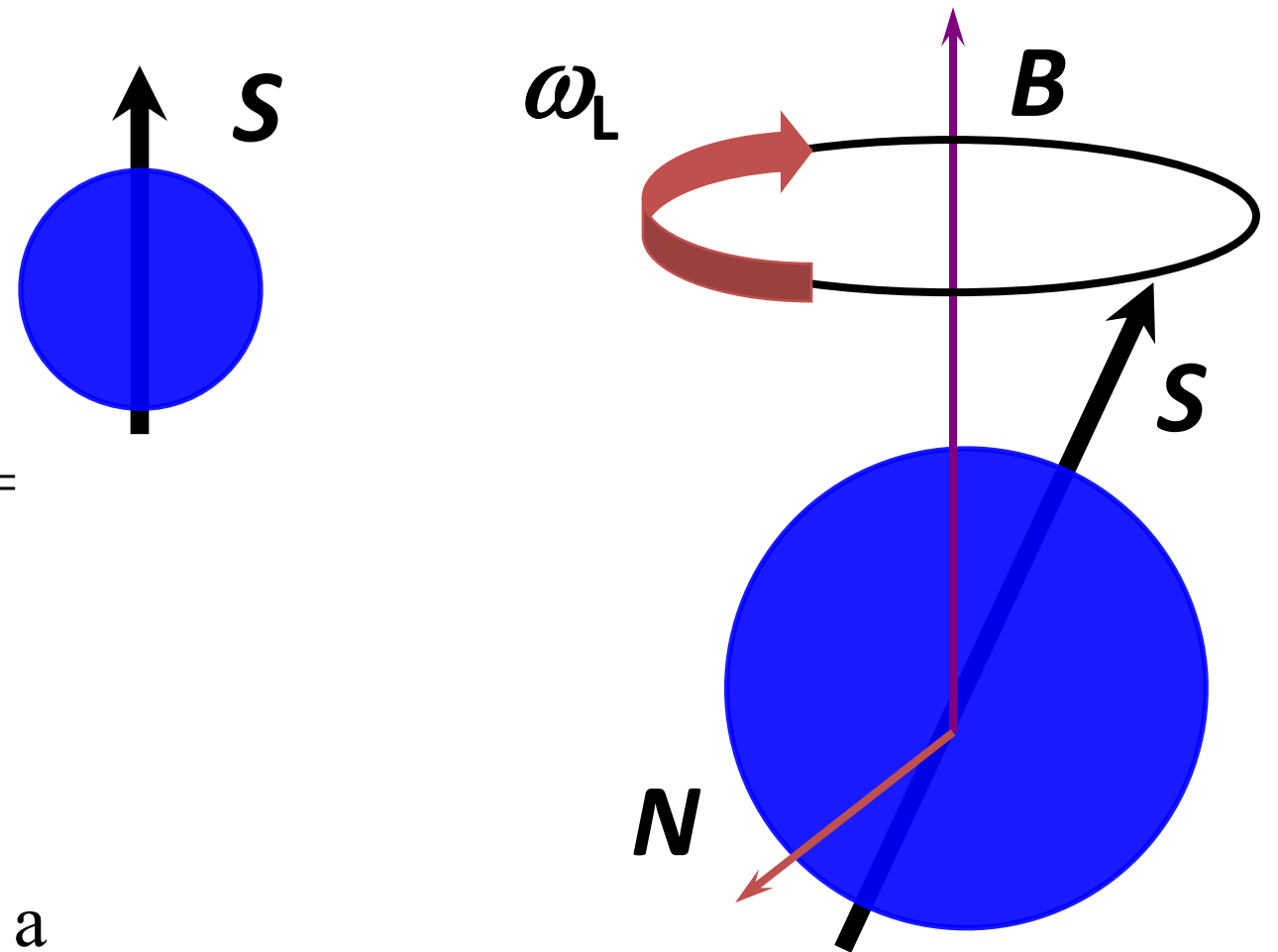
Neutron Precession

Neutron Properties

- Mass, $m_n = 1.675 \times 10^{-27}$ kg
- Spin, $S = 1/2$ [in units of $\hbar/(2\pi)$]
- Gyromagnetic ratio $\gamma = g_n \mu_n / [\hbar/(2\pi)] = 1.832 \times 10^8 \text{ s}^{-1} \text{ T}^{-1}$ (29.164 MHz T⁻¹)

In a Magnetic Field

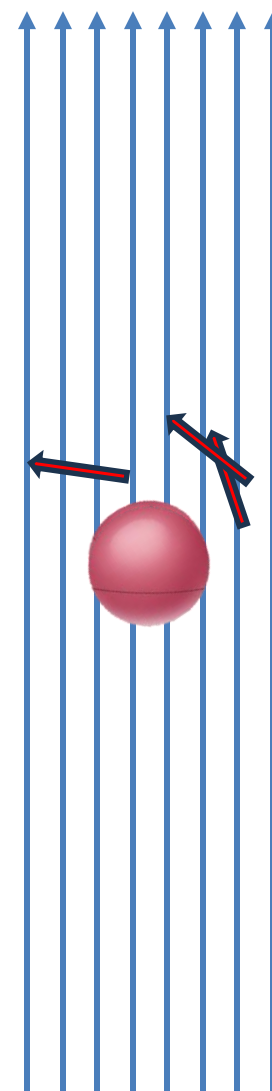
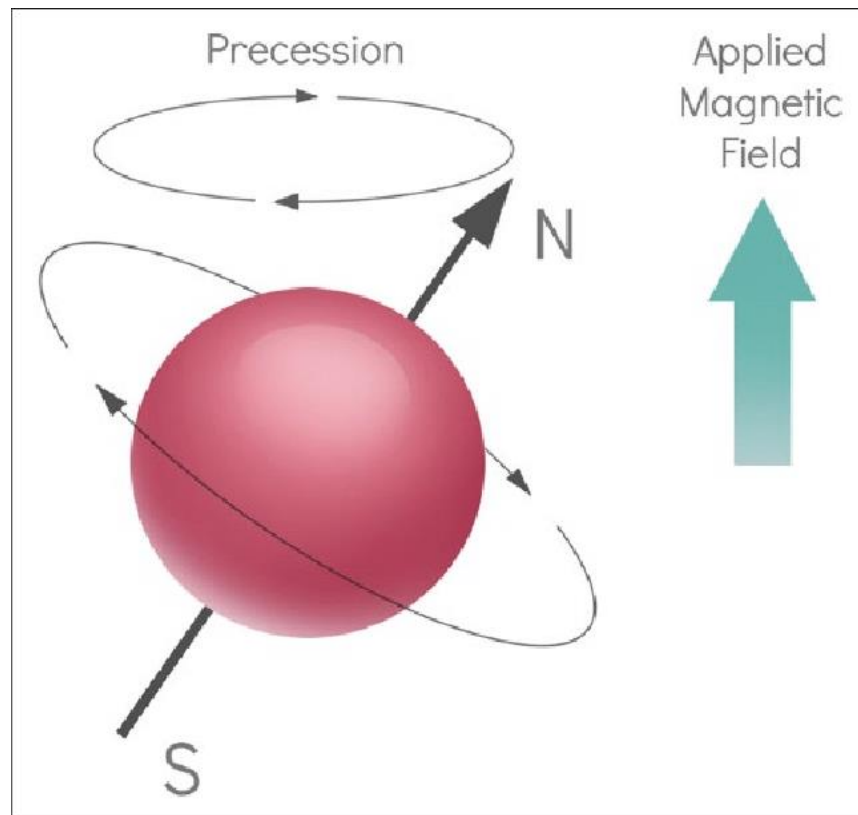
- The neutron experiences a torque from a magnetic field B perpendicular to its spin direction.
- Precession with the Larmor frequency:



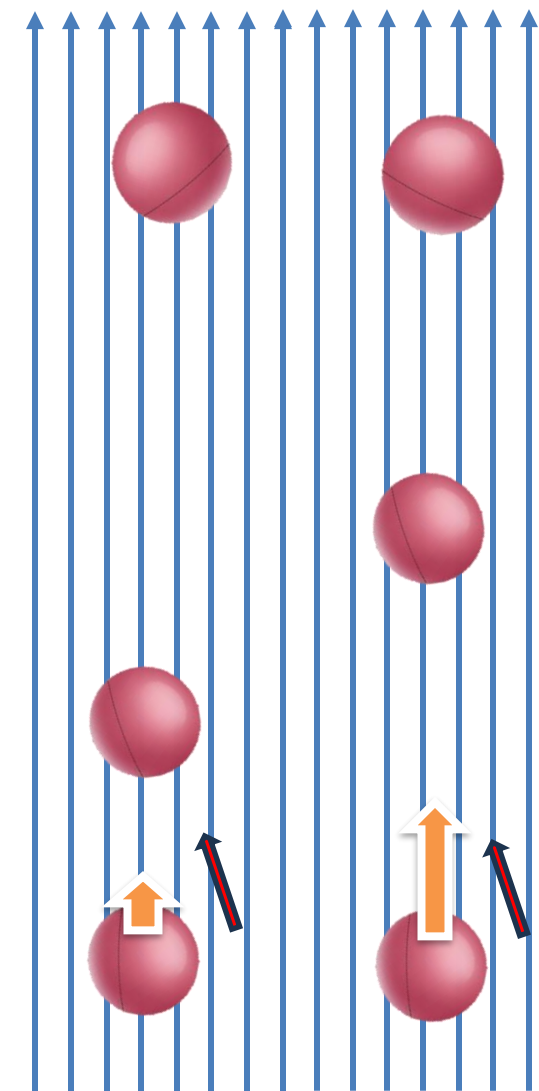
$$N = S \times B$$

$$\omega_L = \gamma B$$

Spin in a Field

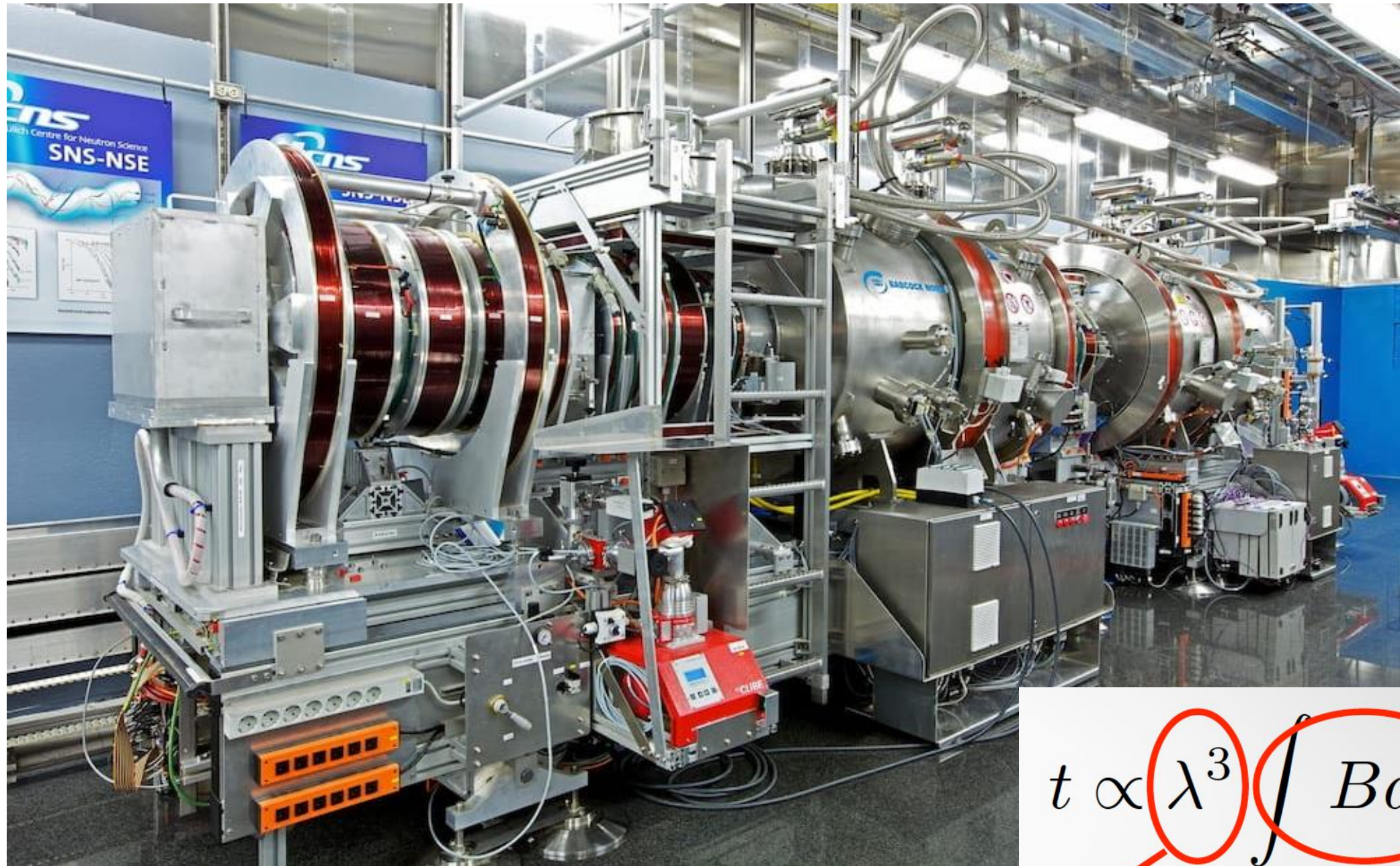


Torque



Velocity

Spin Echo Principle

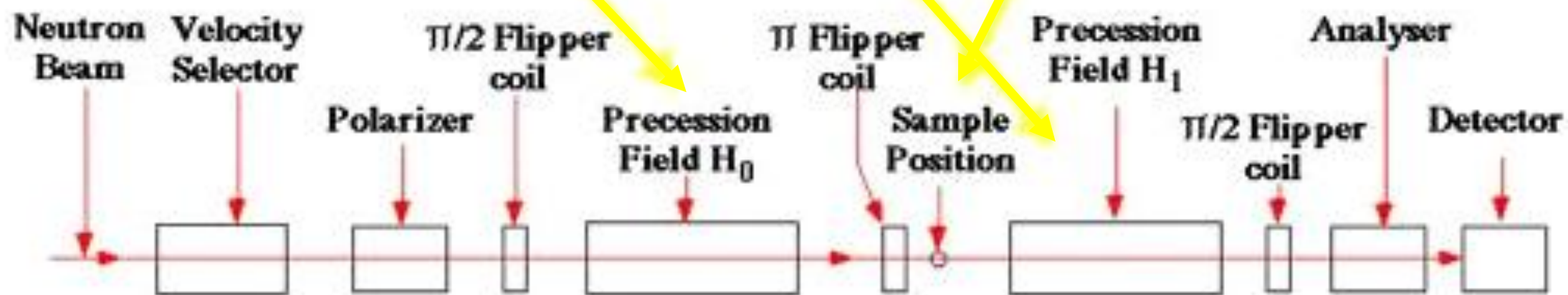
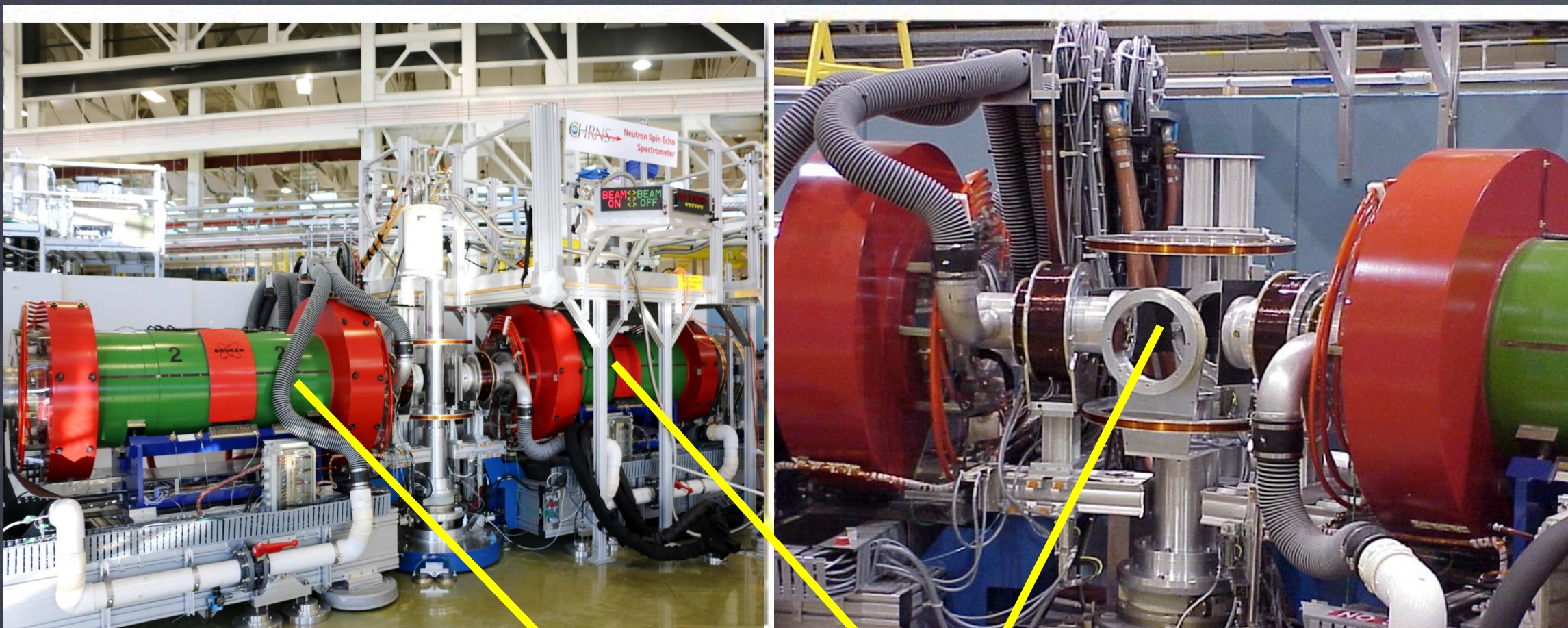


$$t \propto \lambda^3 \int B dl$$

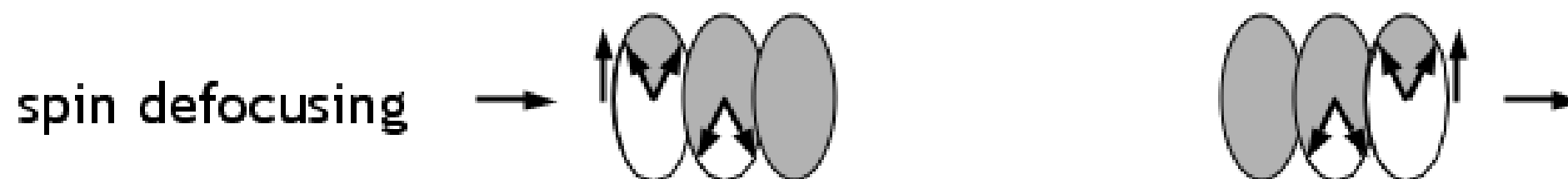
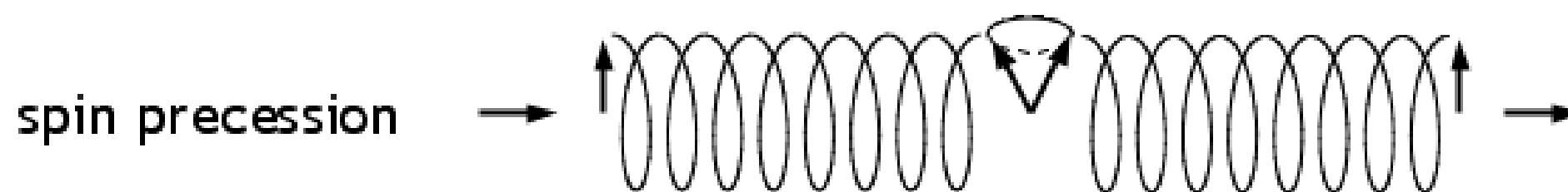
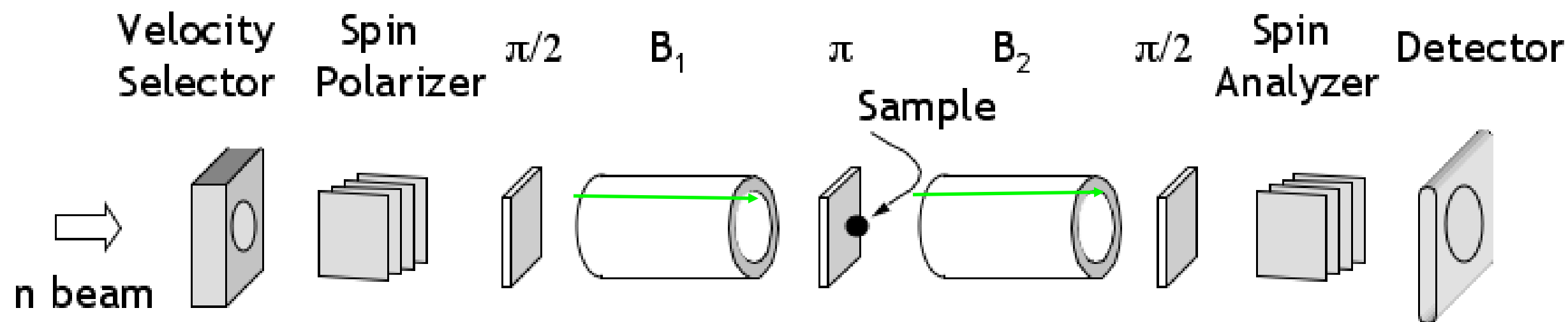
v. strong
wavelength
dependence

Field
Integral
from Solenoids

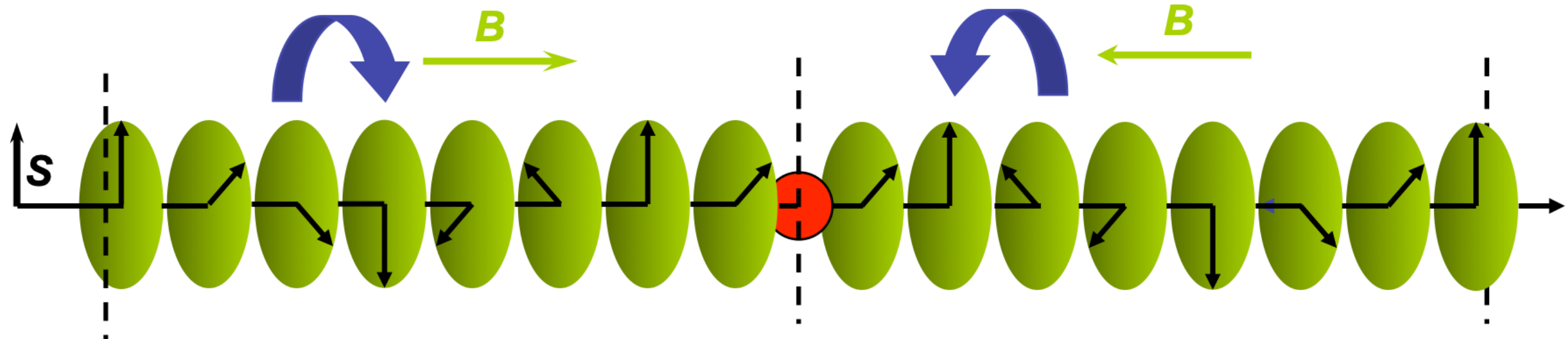
J.S. Gardner, G. Ehlers, A. Faraone, and V. Garcia-Sakai “High-resolution neutron spectroscopy using backscattering and neutron spin-echo spectrometers in soft and hard condensed matter” *Nature Reviews Physics*, 2, 103 (2020).



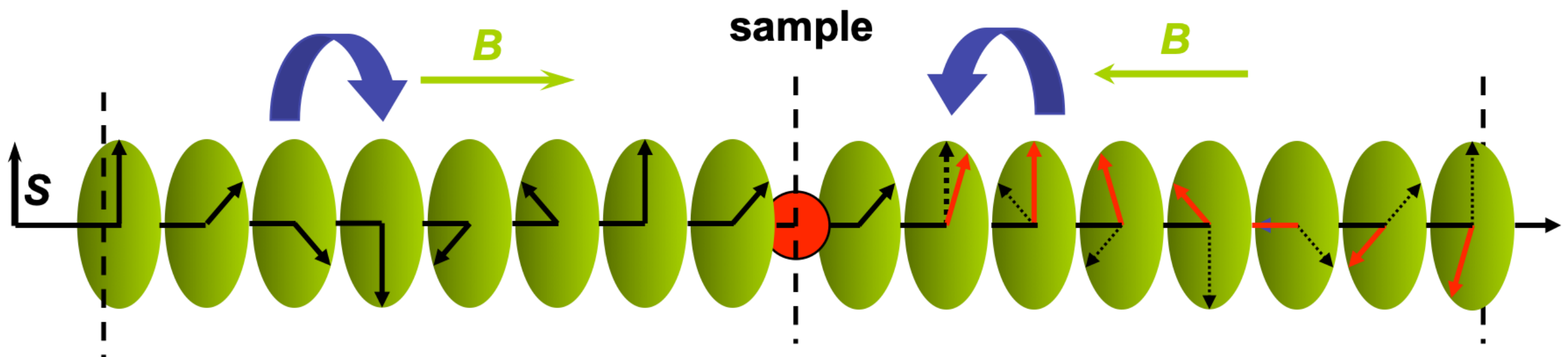
Main Components

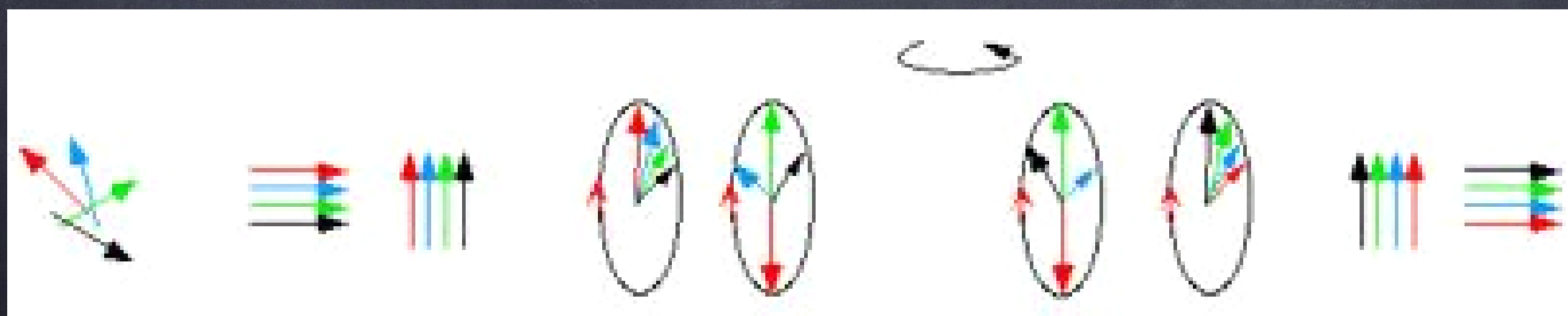
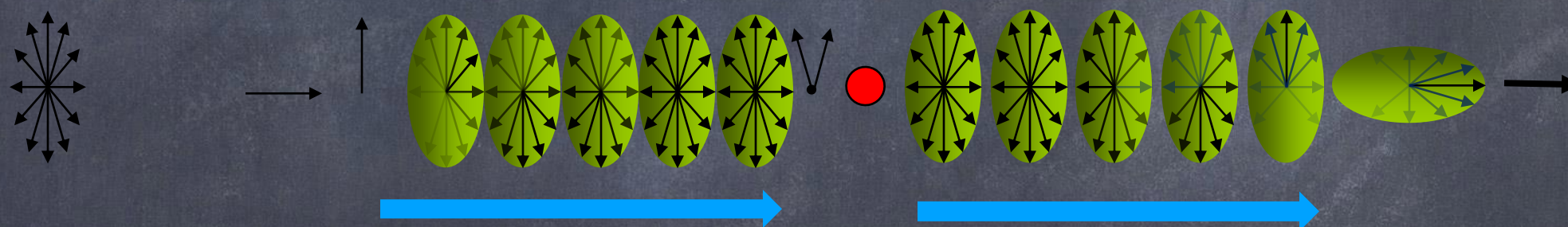
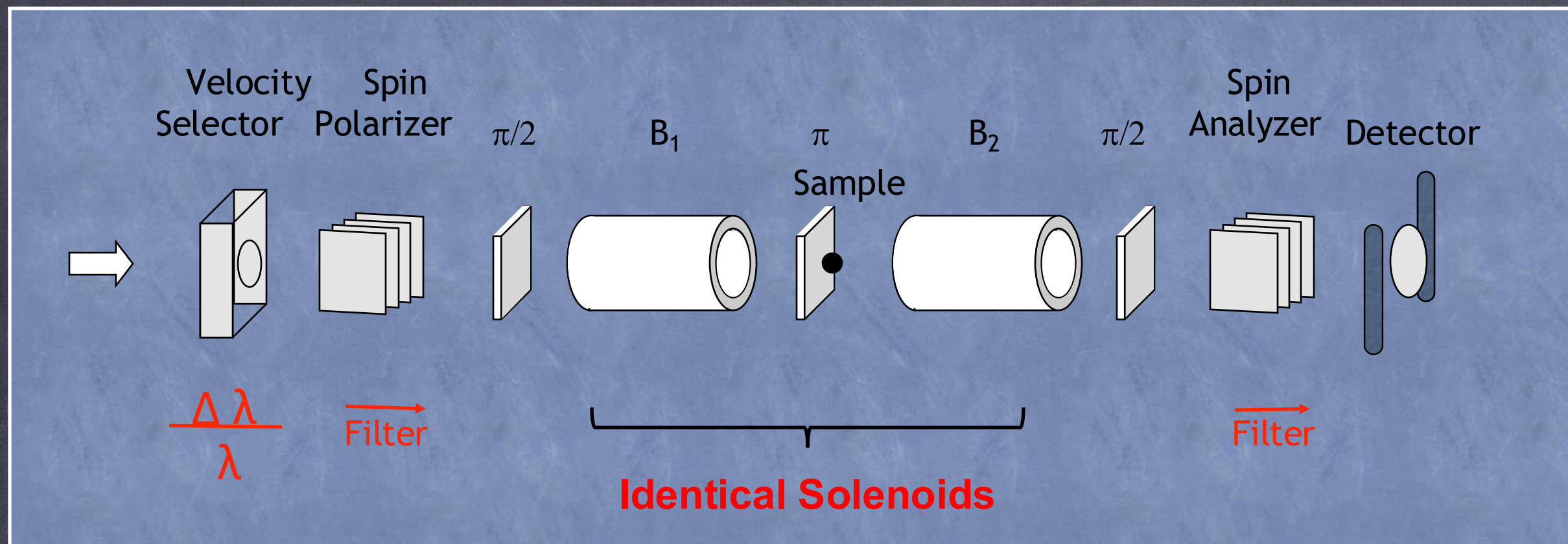


SINGLE Wavelength ELASTIC Scatter



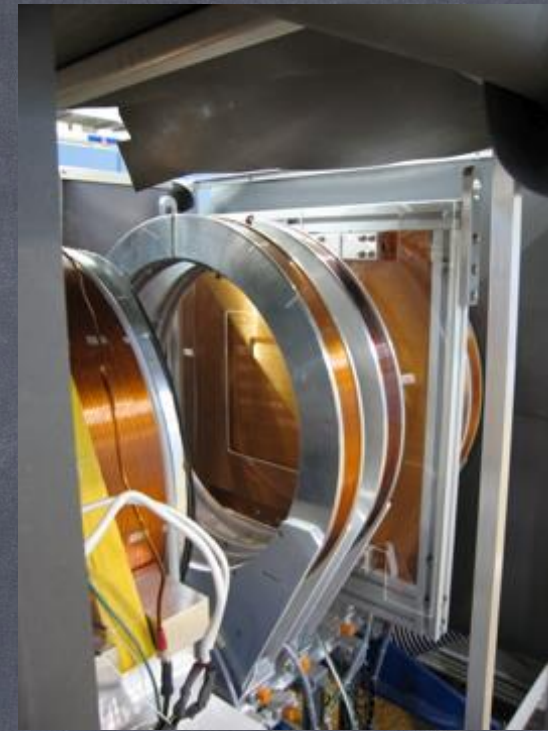
SINGLE Wavelength INELASTIC Scatter



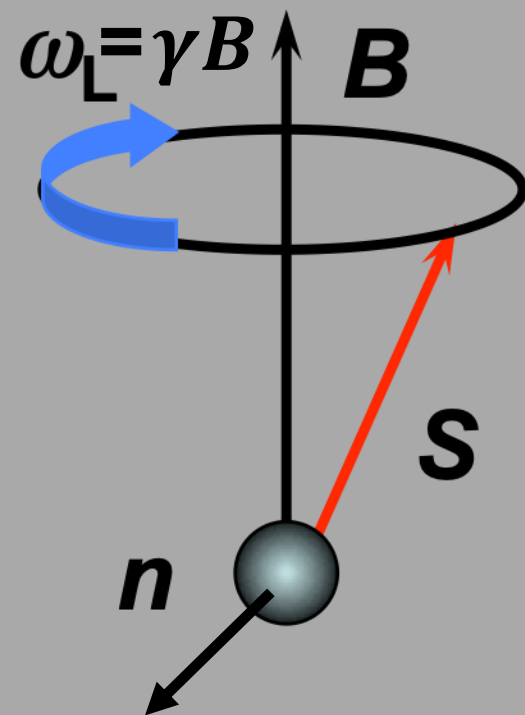


Polarized
Beam

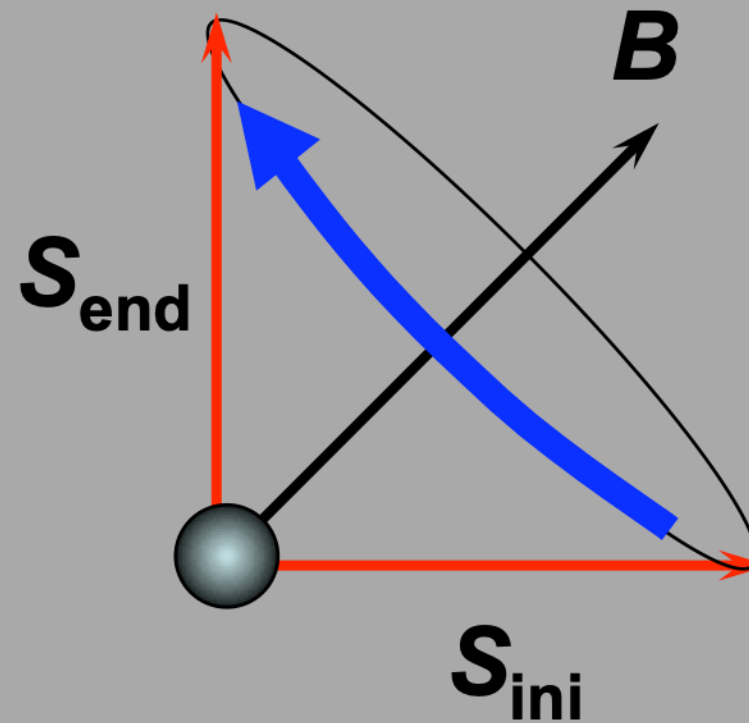
Re-Polarize
The Beam



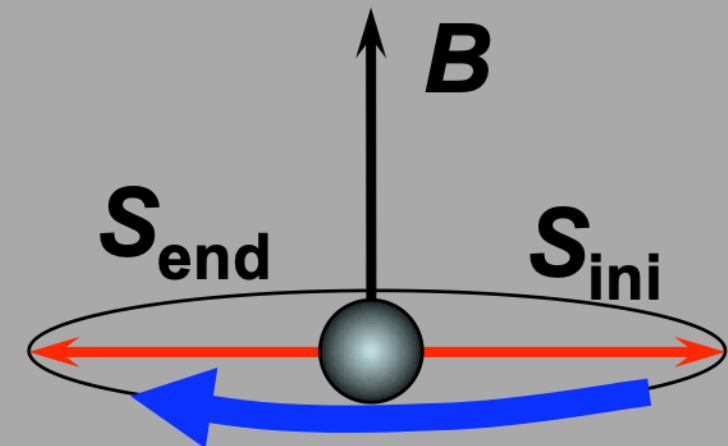
Precession



$\pi/2$ flipper



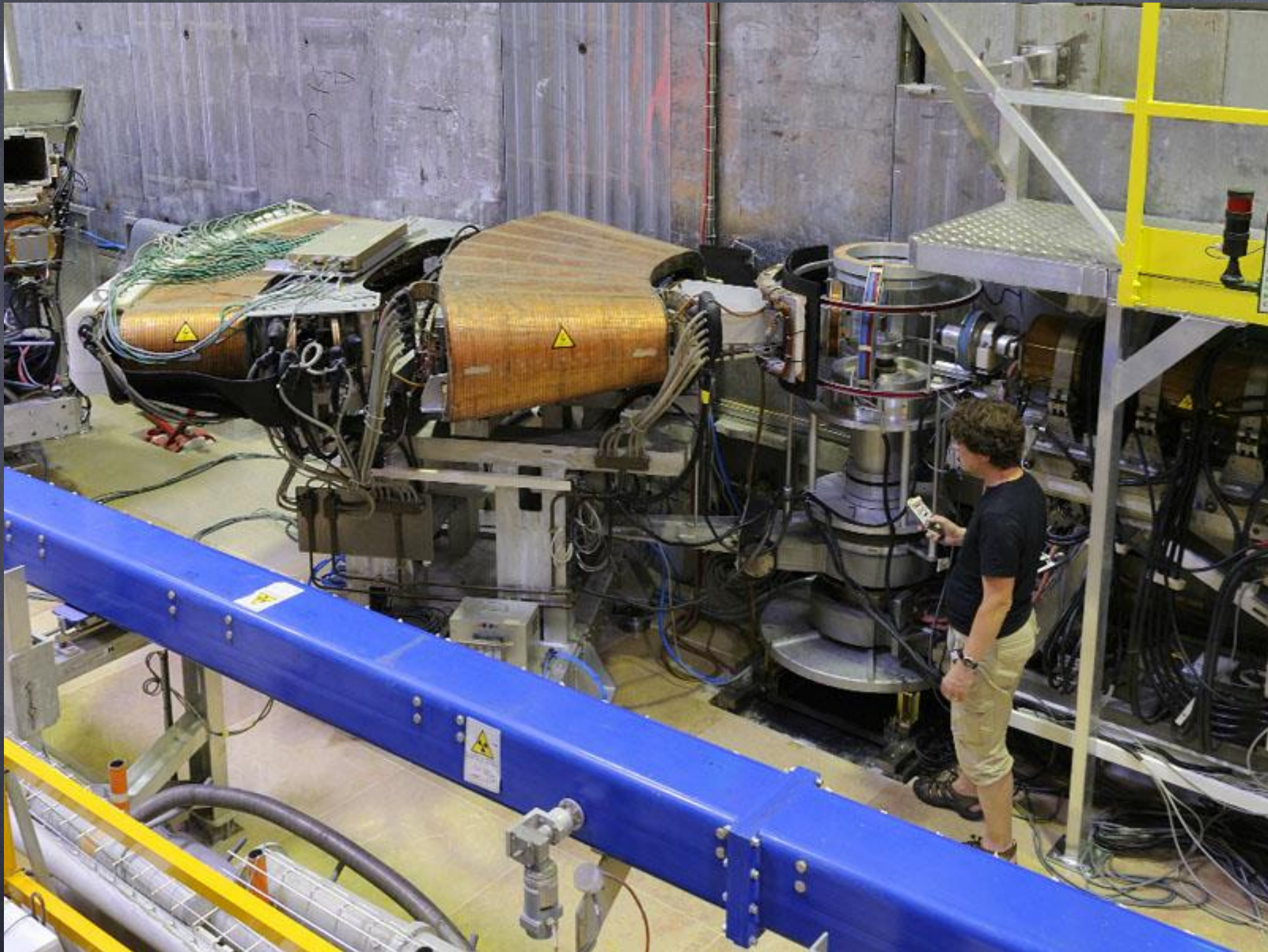
π flipper



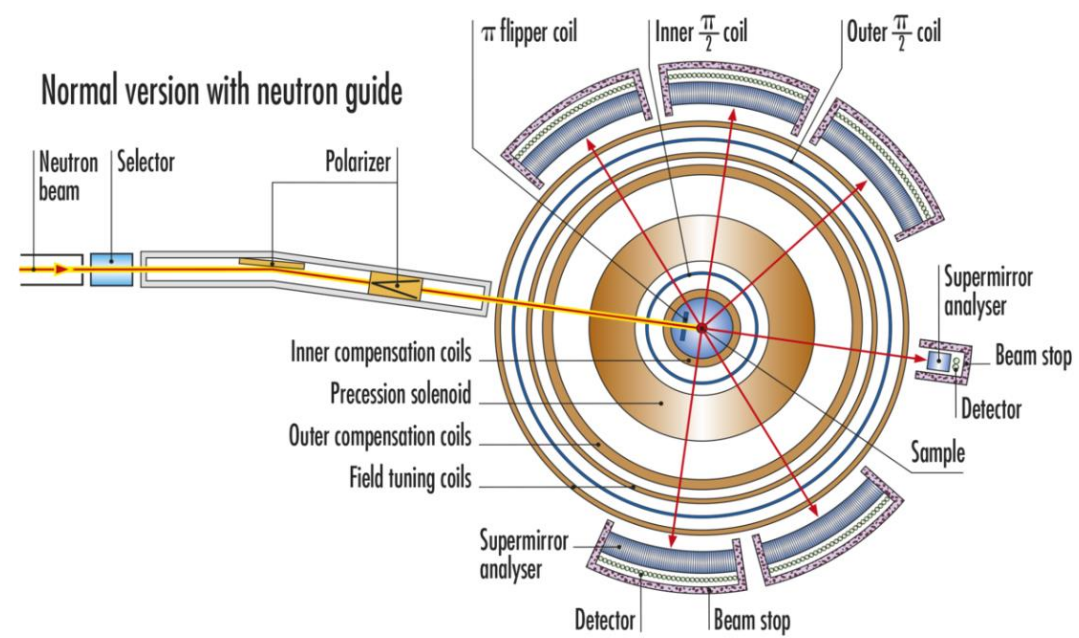
flipper (π or $\pi/2$)



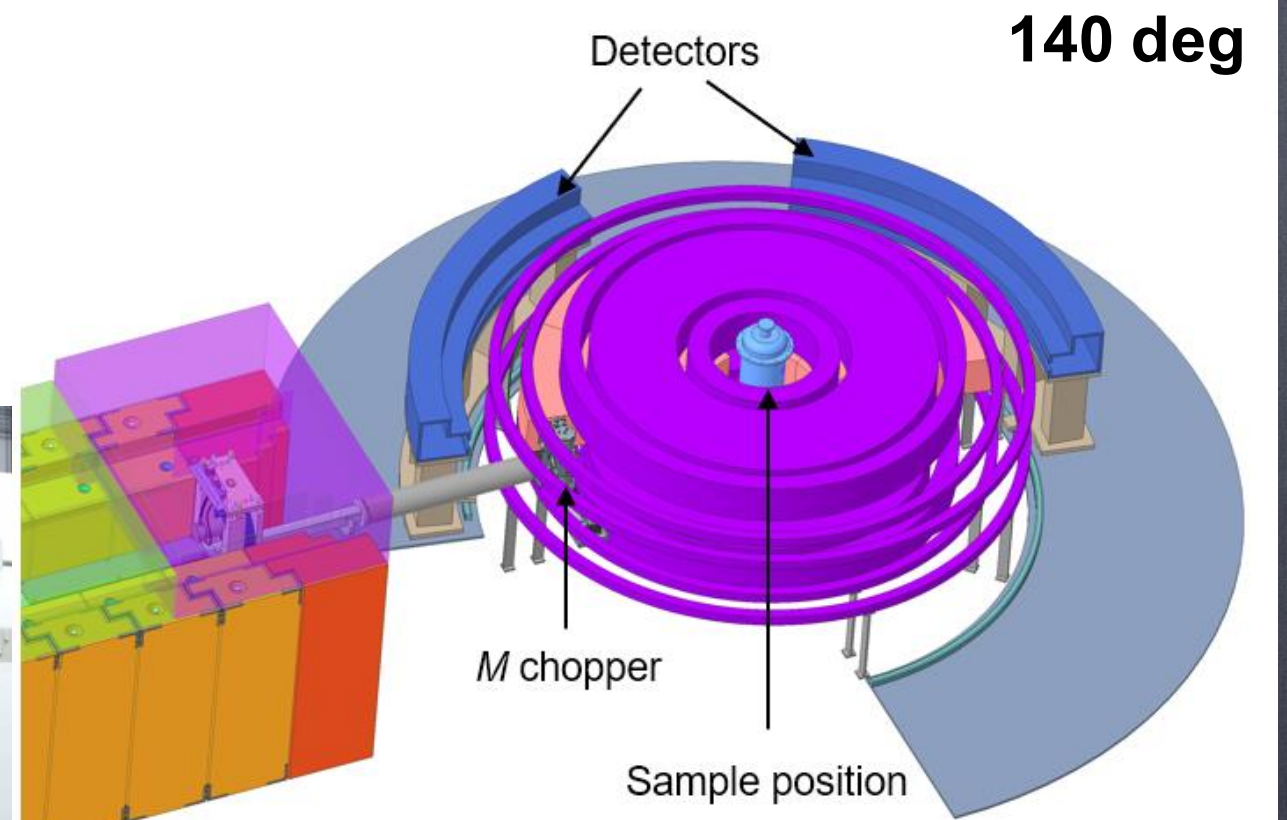
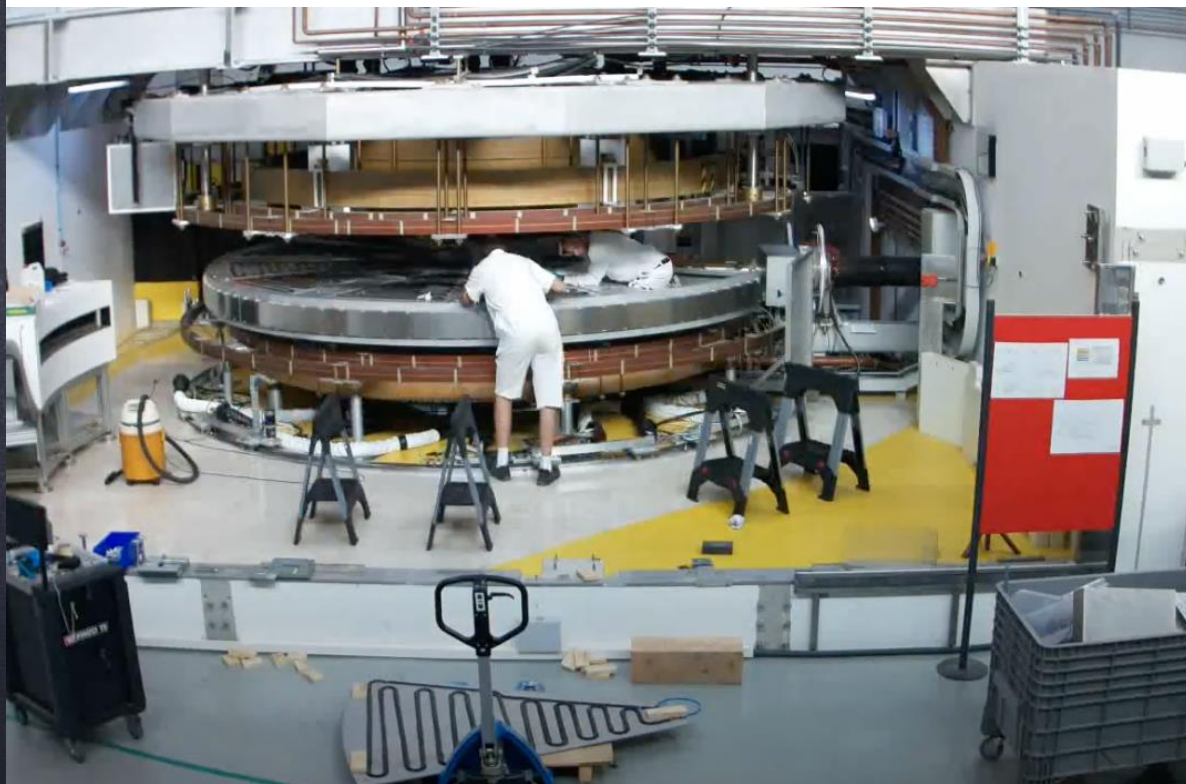
Standard Detector, BUT you can imagine bigger



Wide Angle (30 deg)



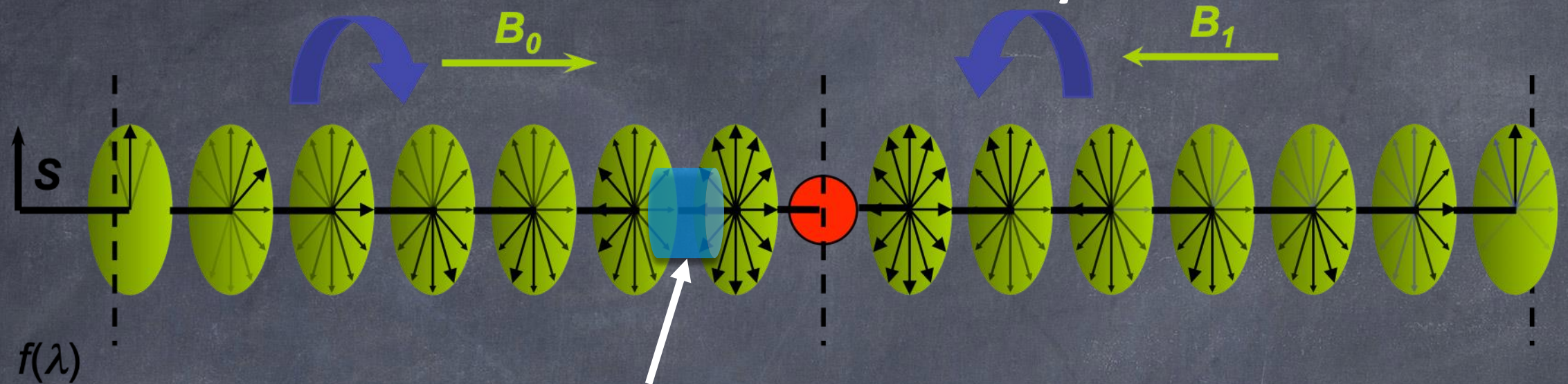
120 deg



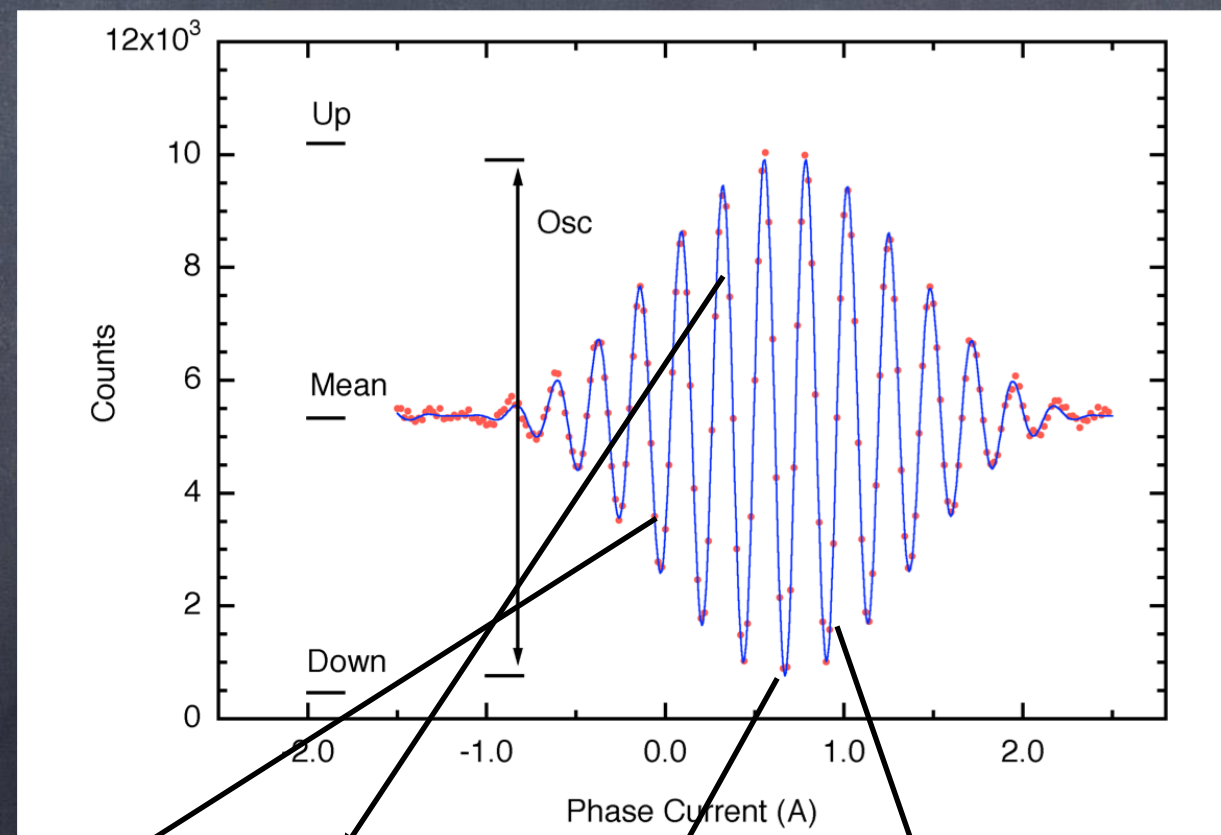
USA Dream

WASP / Expasne

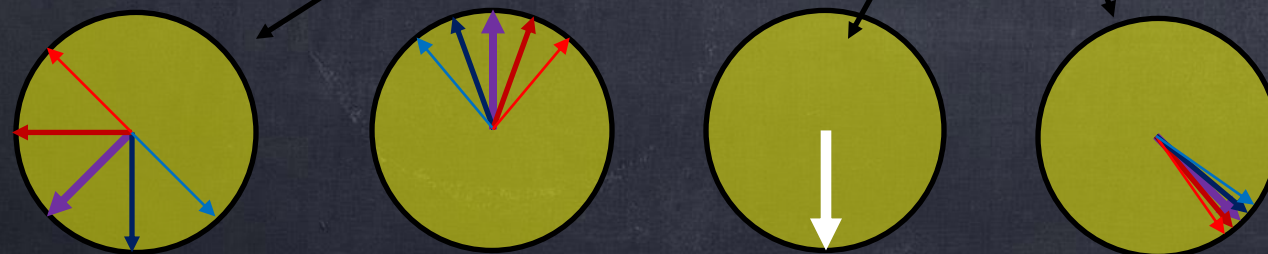
What do we actually do?



Phase Coil



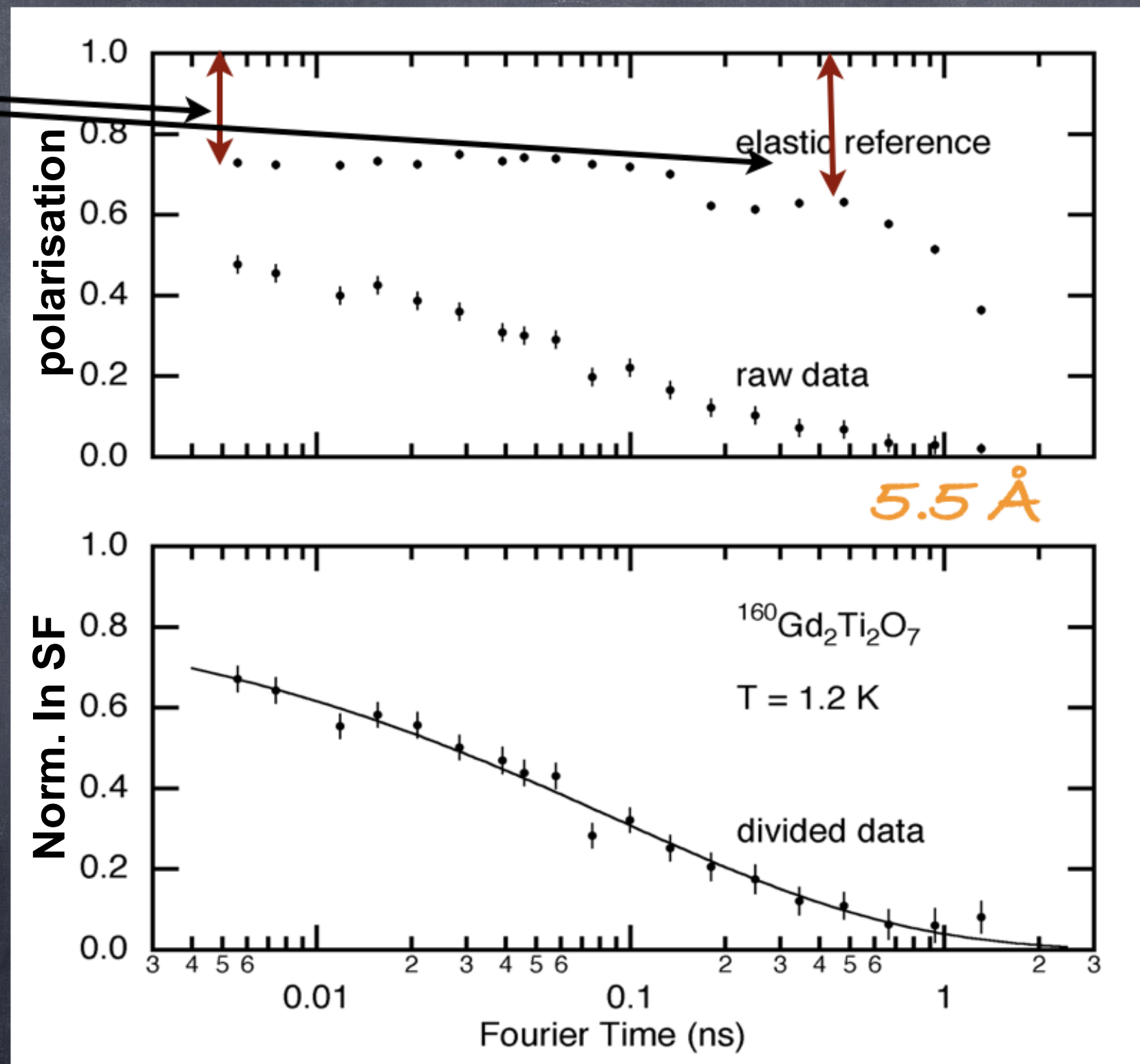
$$\frac{I(Q, t)}{I(Q)} \propto \frac{2A}{Up - Down}$$



Data Analysis Procedure

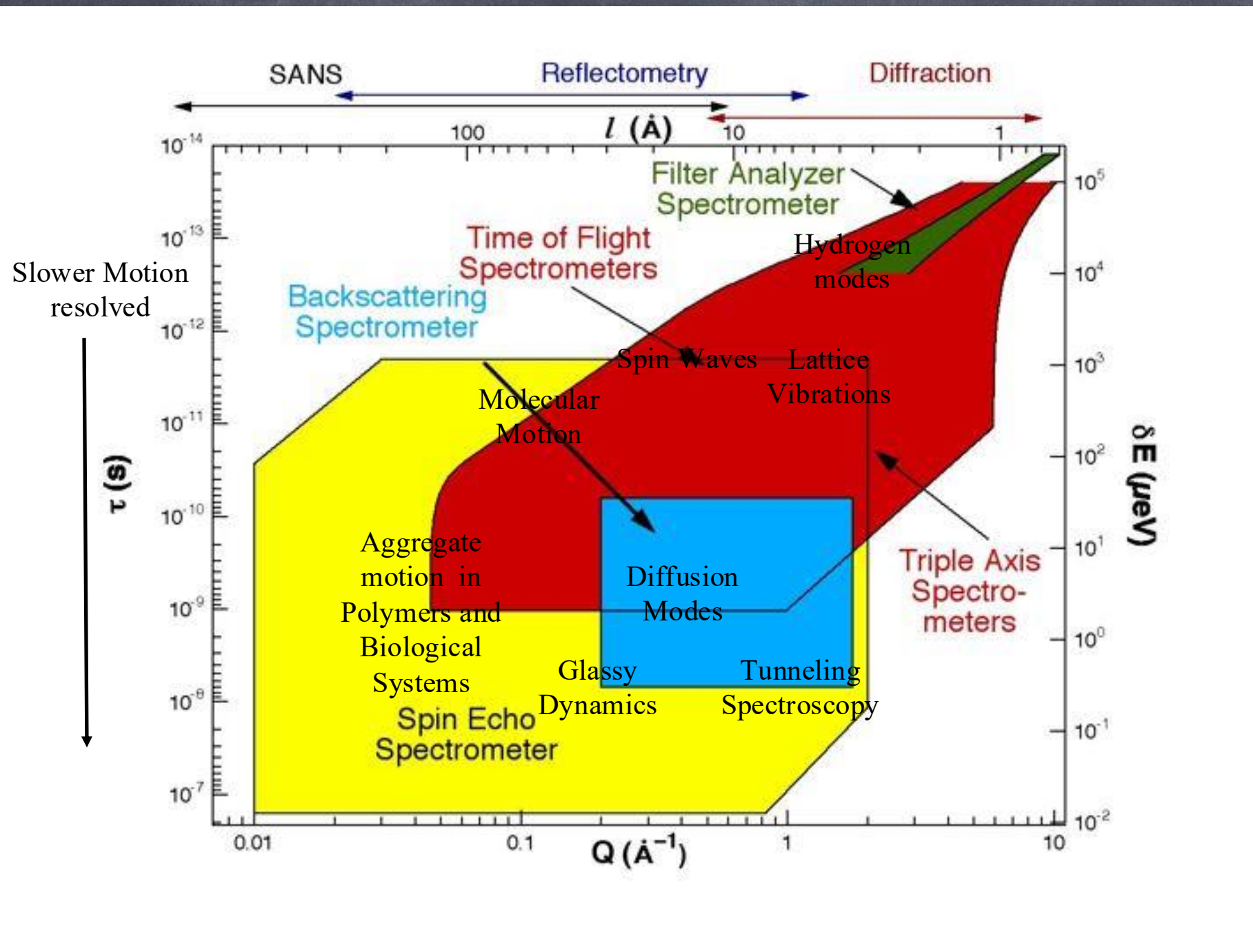
Imperfections in the instrument

$$\frac{I(Q,t)}{I(Q,0)} = \frac{2A/(Up - Dwn)}{2A^R/(Up^R - Dwn^R)}$$



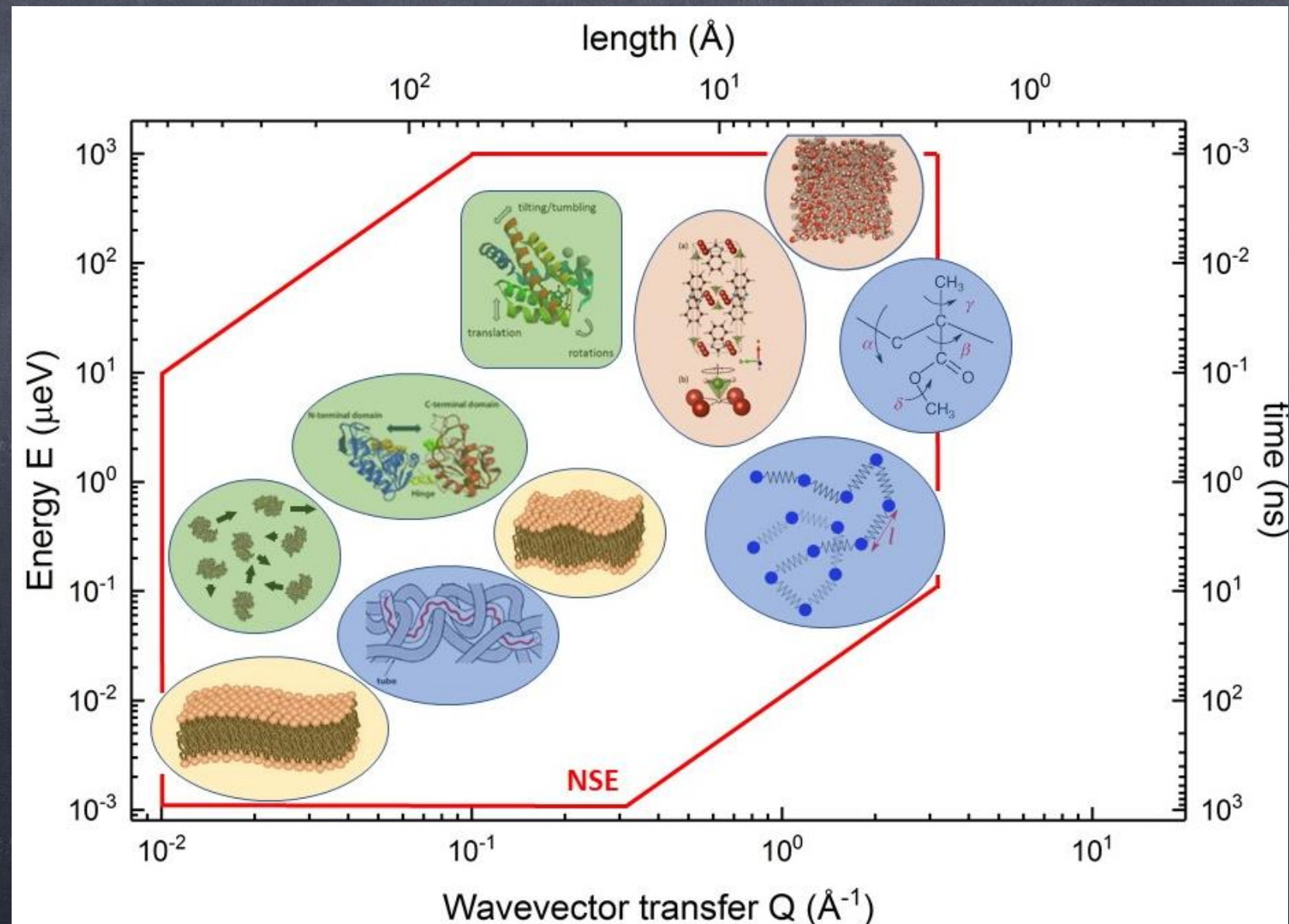
λ^3

Now some Science

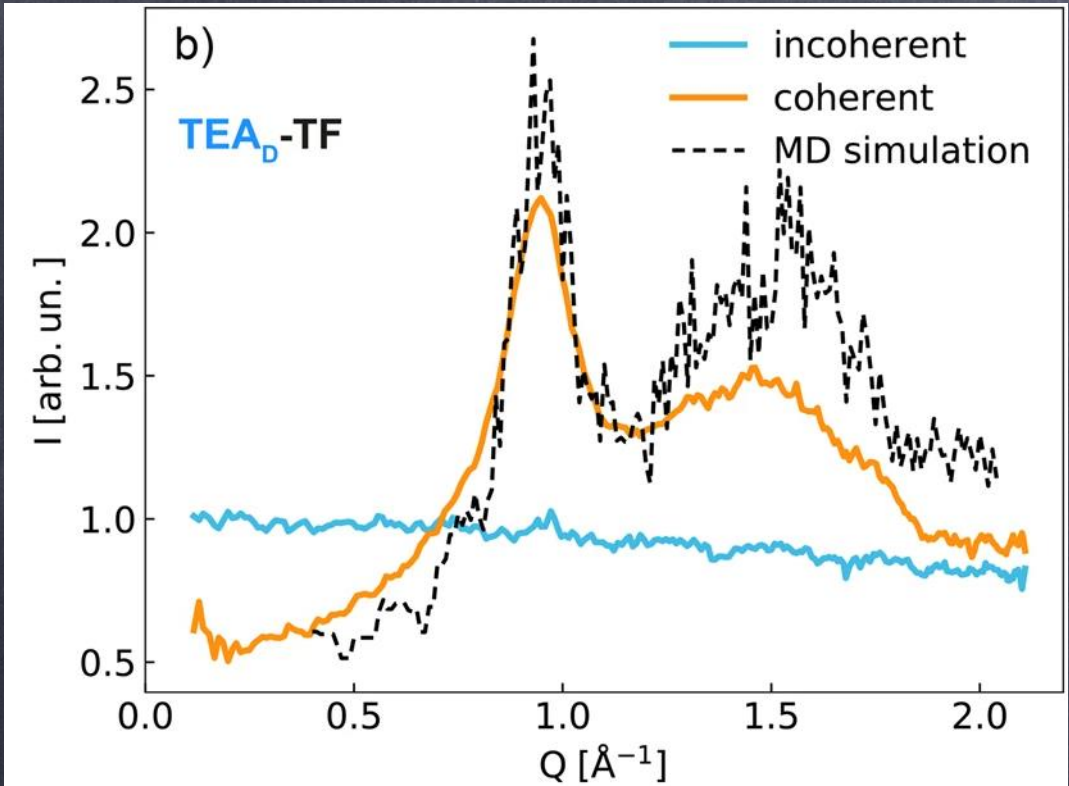


NSE Science

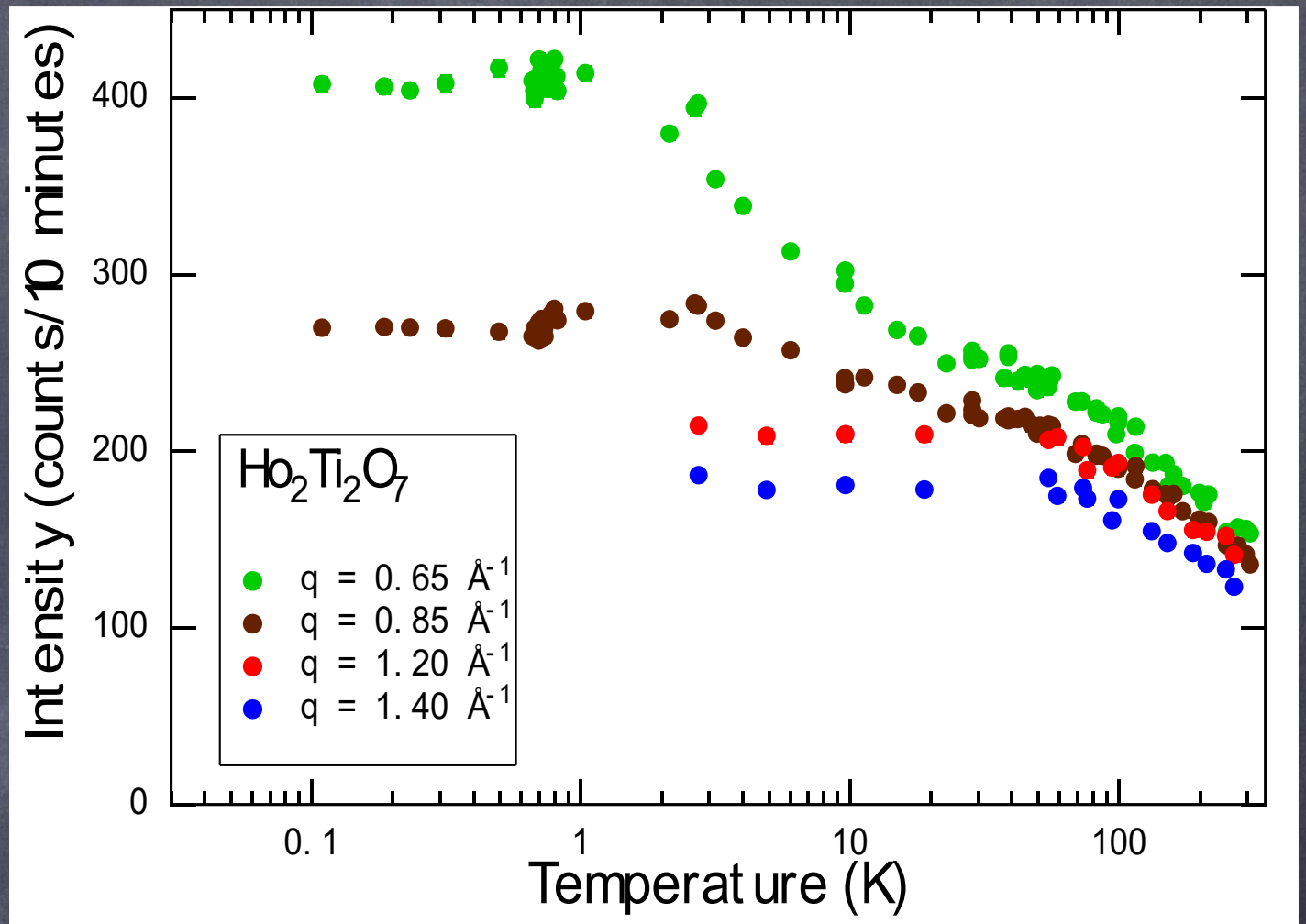
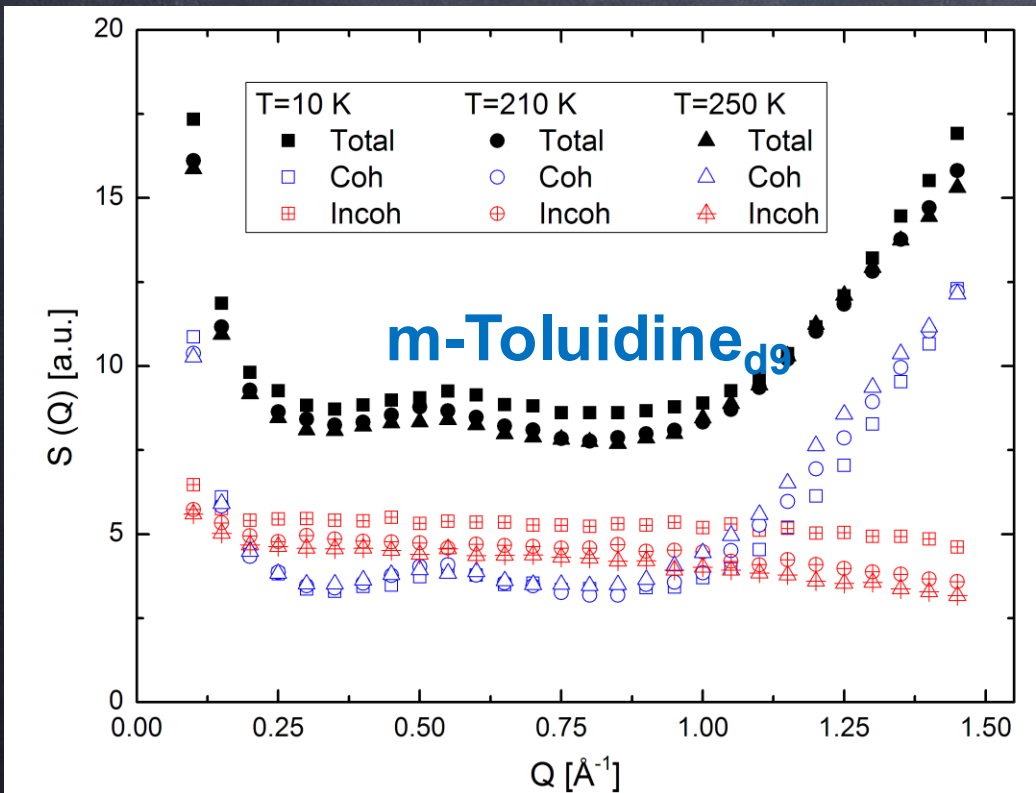
- Coherent Dynamics
 - Density Fluctuations corresponding to some SANS pattern
 - Diffusion
 - Shape Fluctuations (Internal Dynamics)
 - Liquid and Glassy Systems
 - Polymer Dynamics
- Incoherent Dynamics
 - Single particle motion of H atoms
- Paramagnetic Dynamics
 - Spin Glasses



Not to be encouraged, but is at the heart of NSE



Sci Reports 8 16400 (2018)



J Phys Cond Matt 18 R231 (2006)

Polarized Analysis

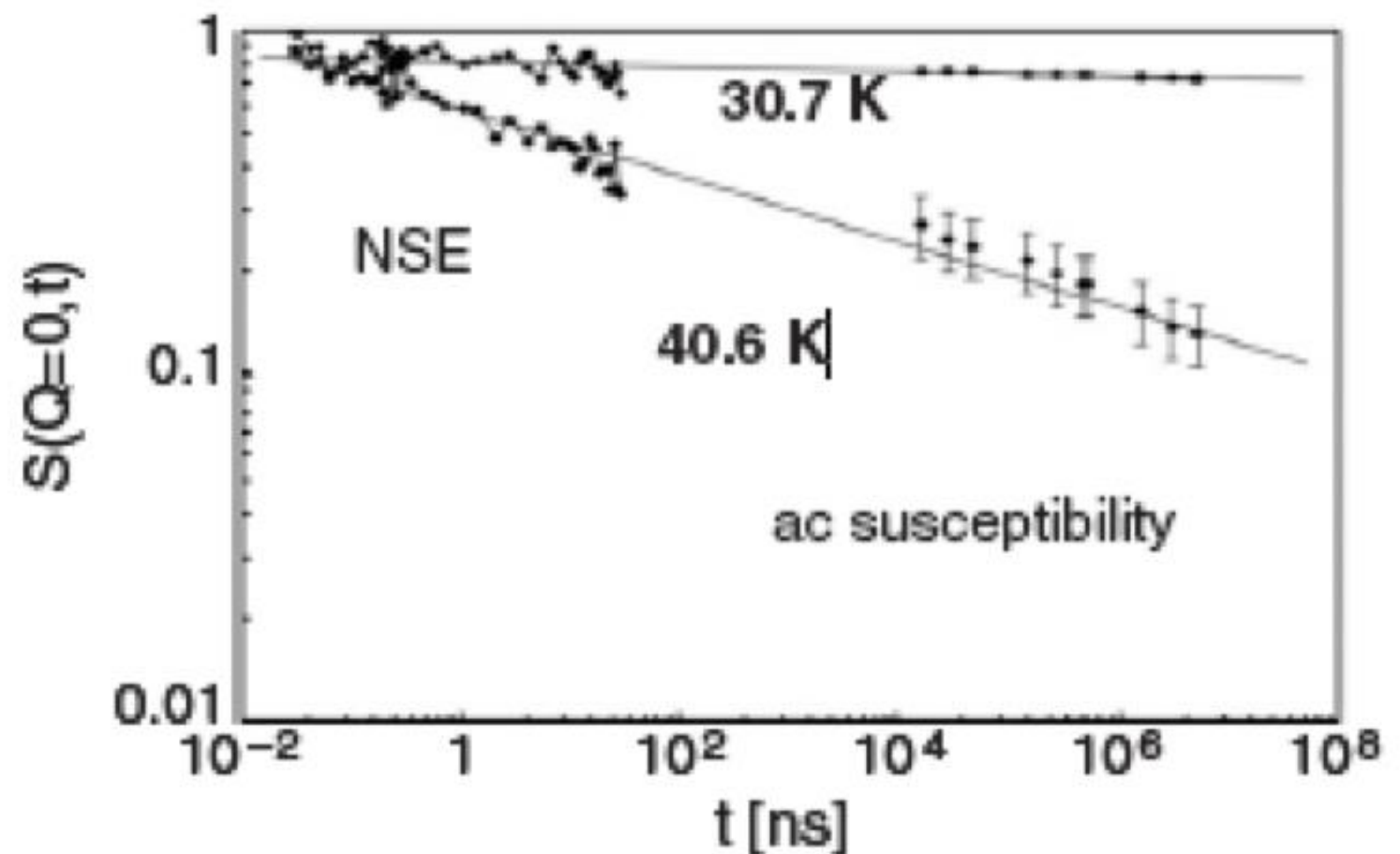
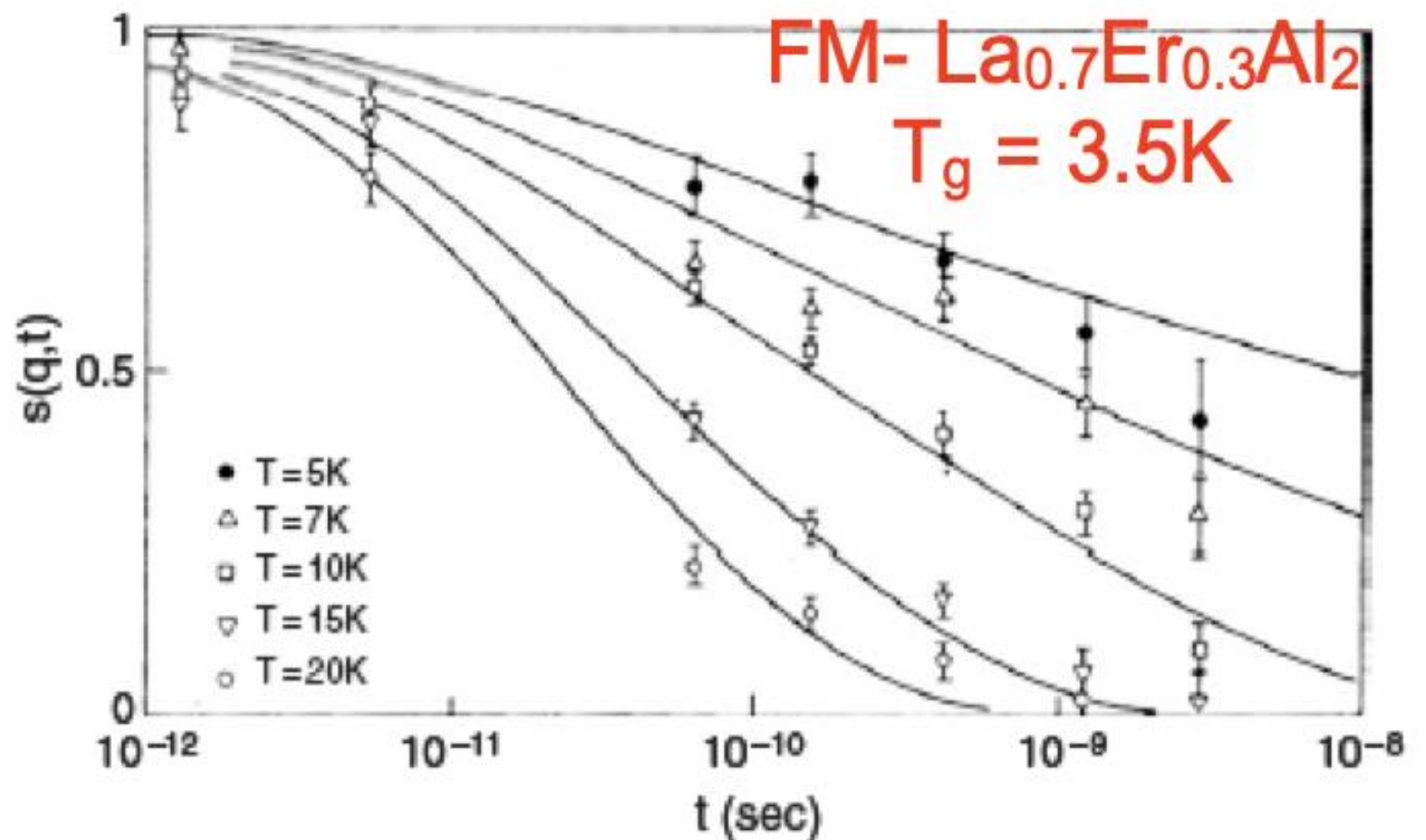
Rem. Barry on Wednesday

Spin Glasses

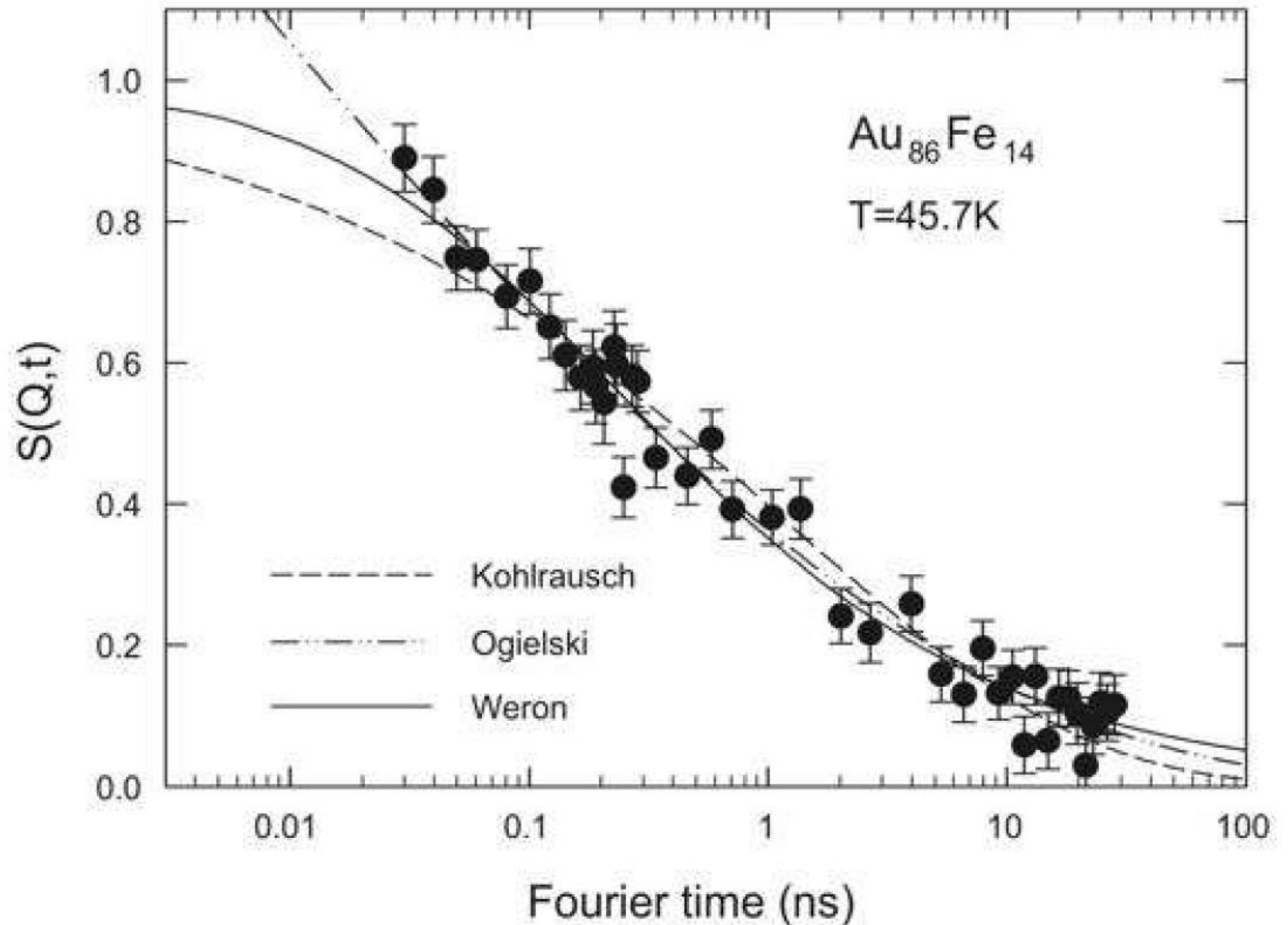
Disordered systems

Mezei, Solid State Comm.
45, 411 (1983)

Pappas, Solid State Comm.
68 054431, 2003

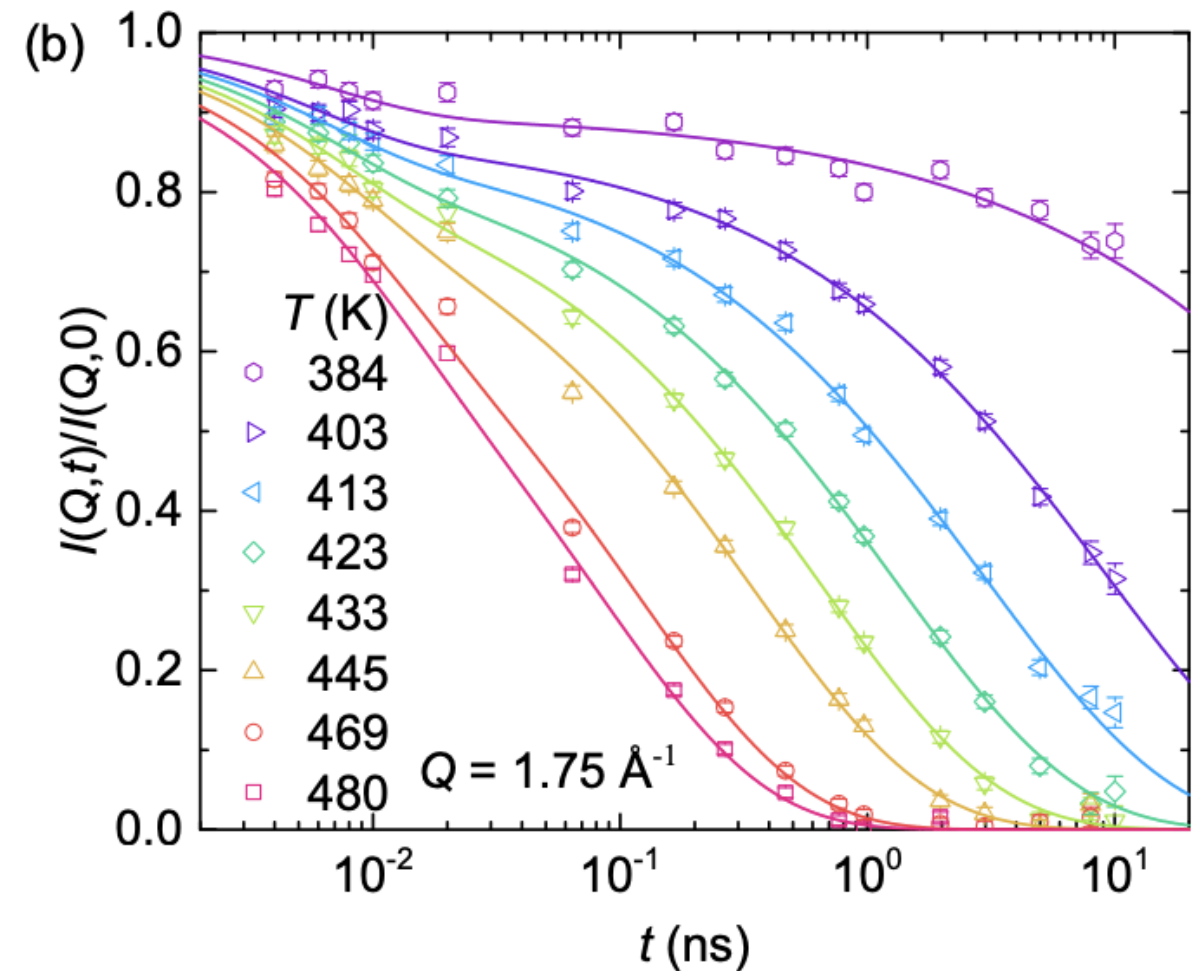
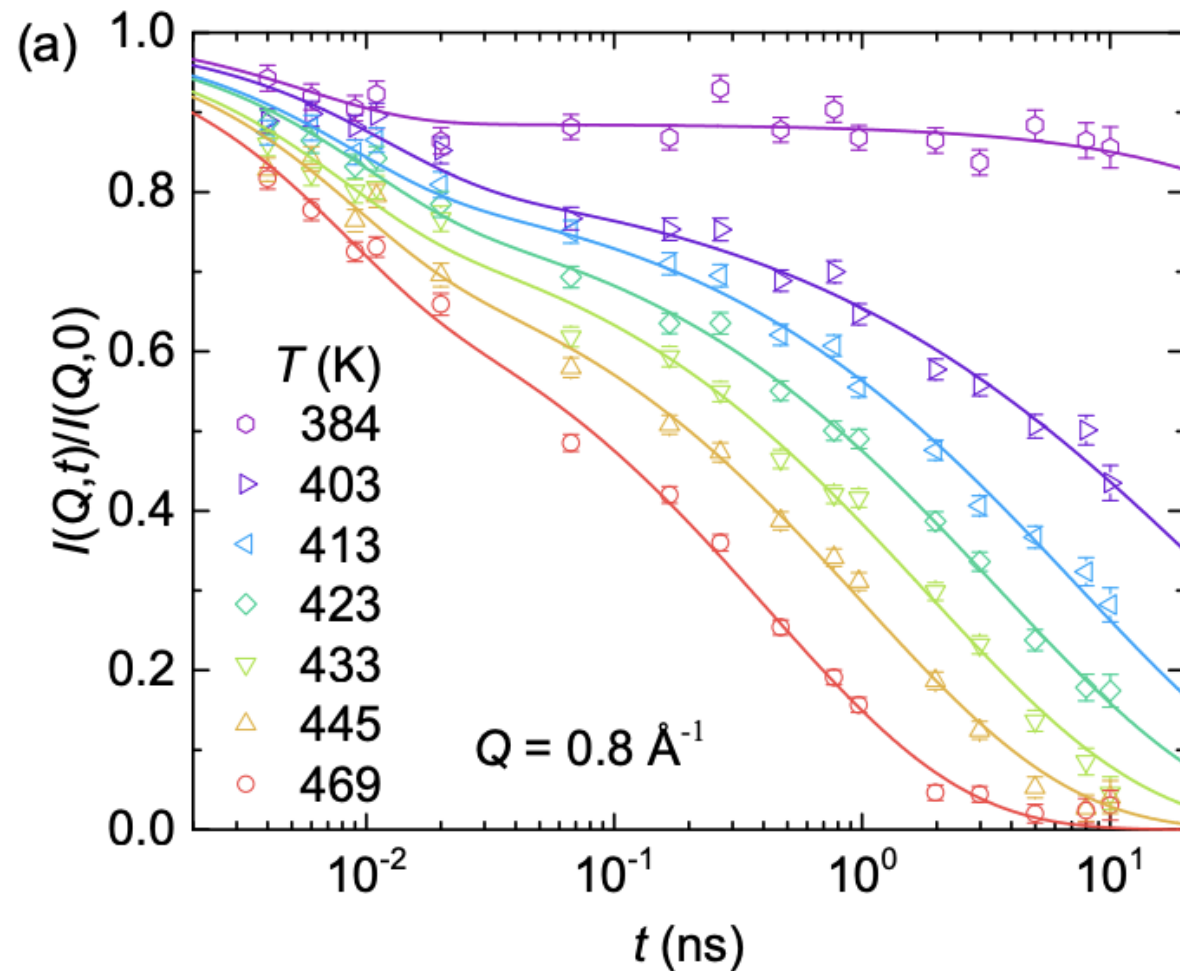


Spin Glasses



RM Pickup et al., PRL 102 097202 (2009)

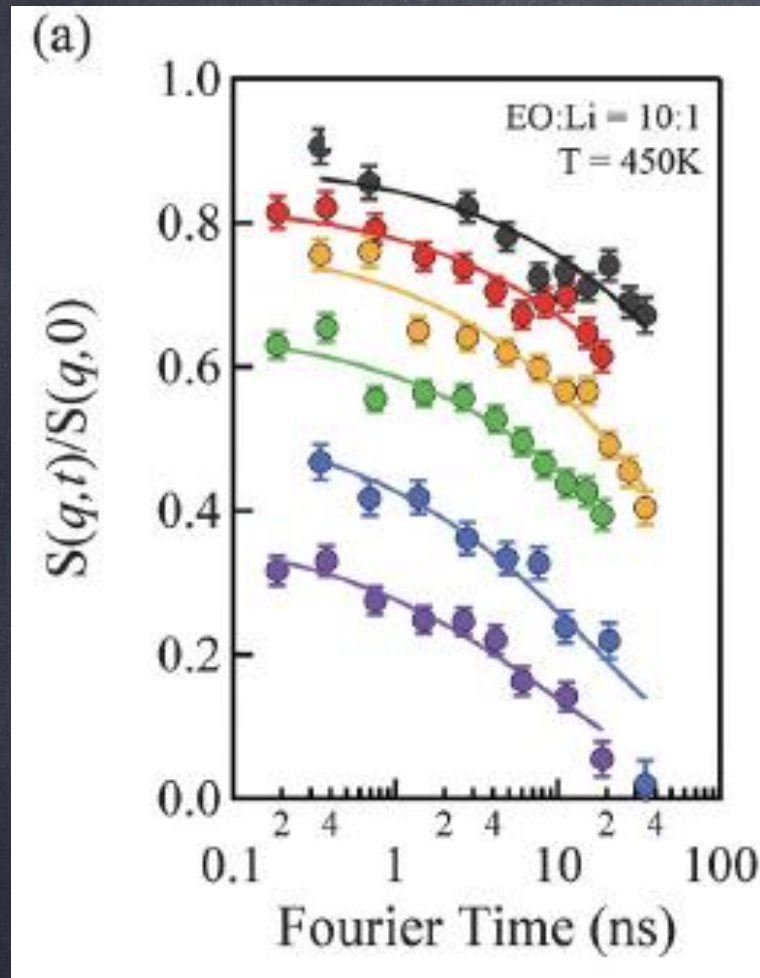
Glass forming Liquids



P. Luo ... A. Faraone and YZ, Nature Comm. 13 2092 (2022)

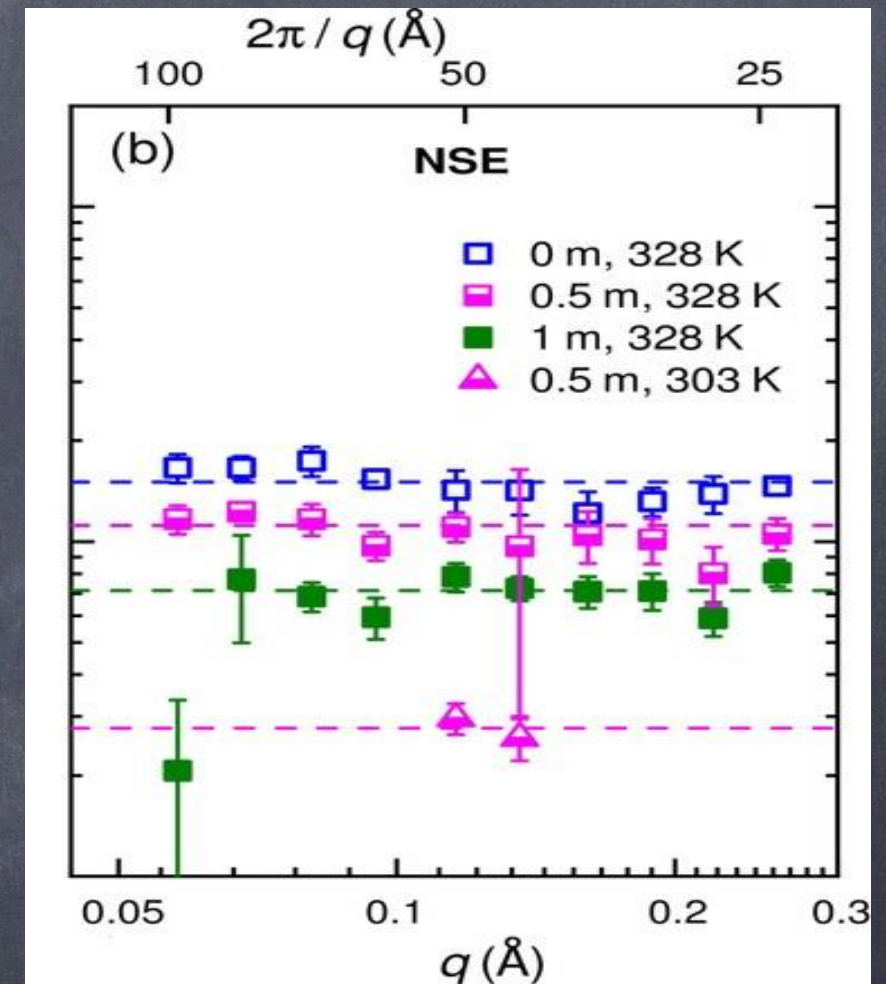
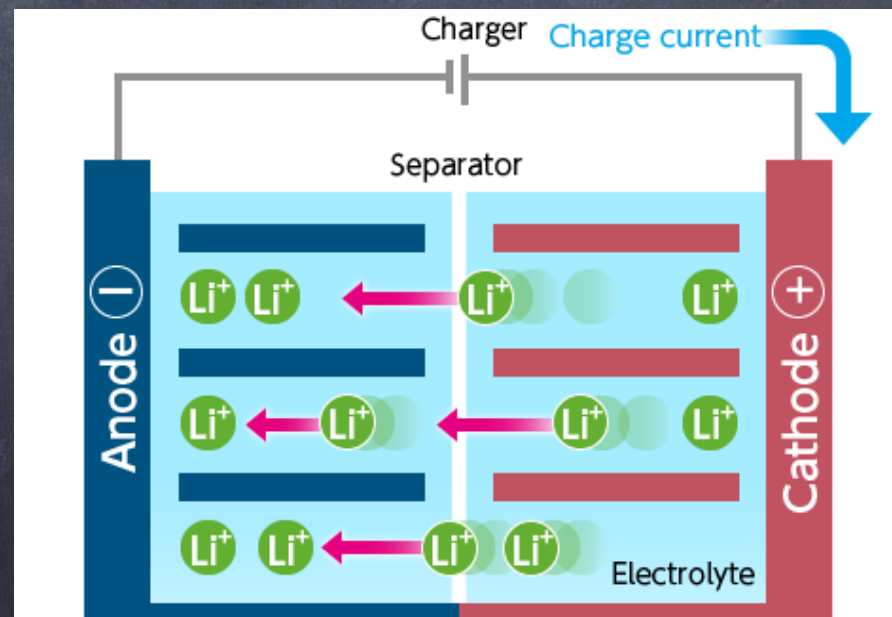
Multiple relaxation processes.

Electrolytes



C Do, et al PRL 111 018301 (2013)

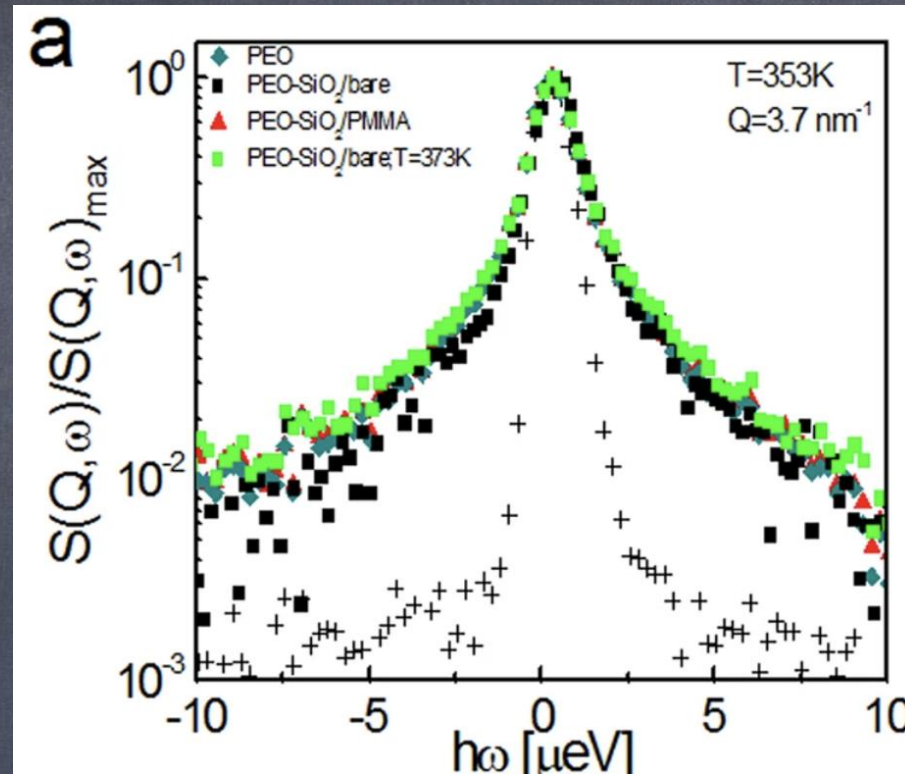
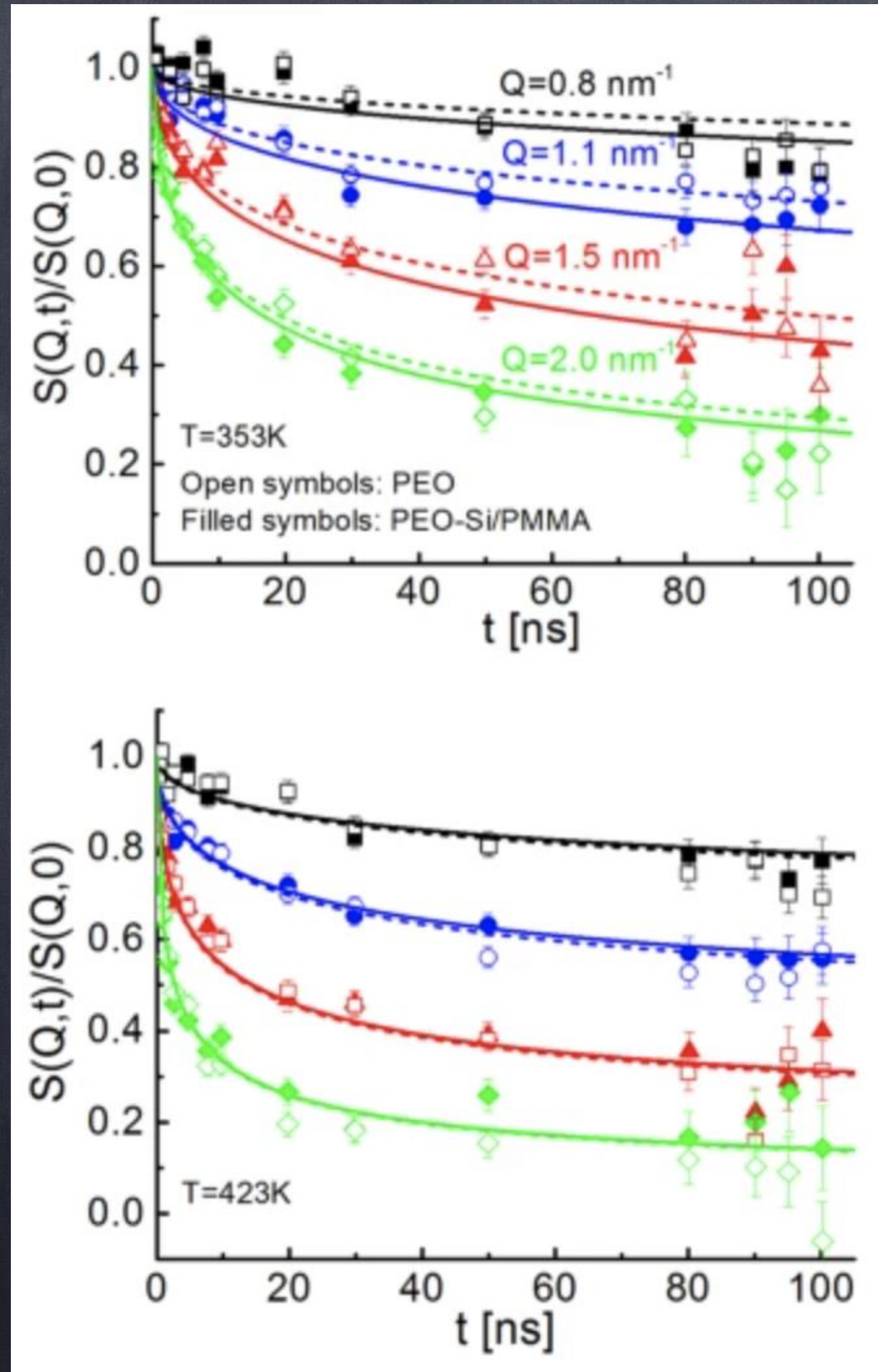
Understanding the mechanisms of ionic diffusion is important for the design of new energy storage materials



ChemSusChem, Vol 11, 3512-3523

Incoherent signal weak, Q dependence Critical

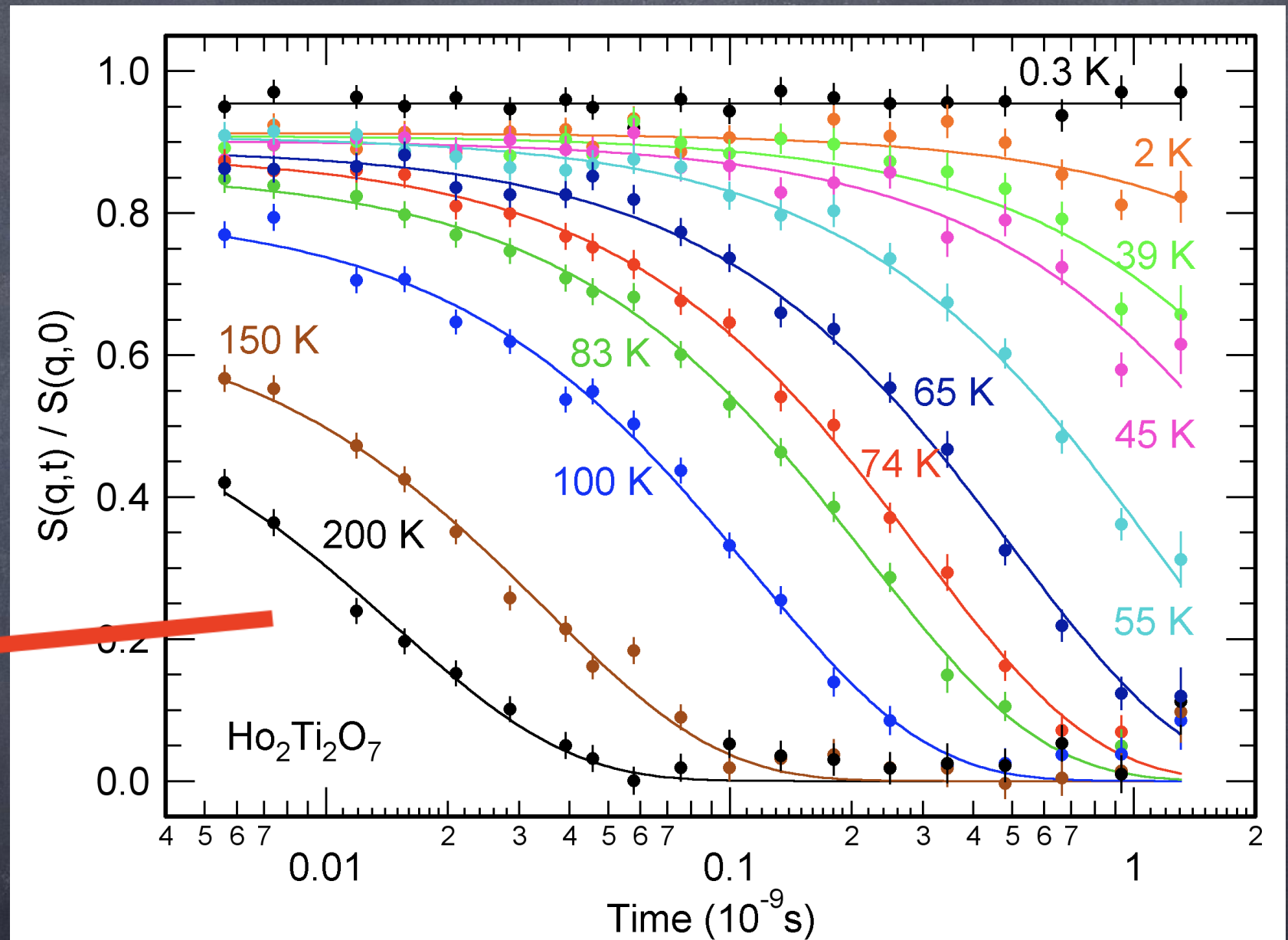
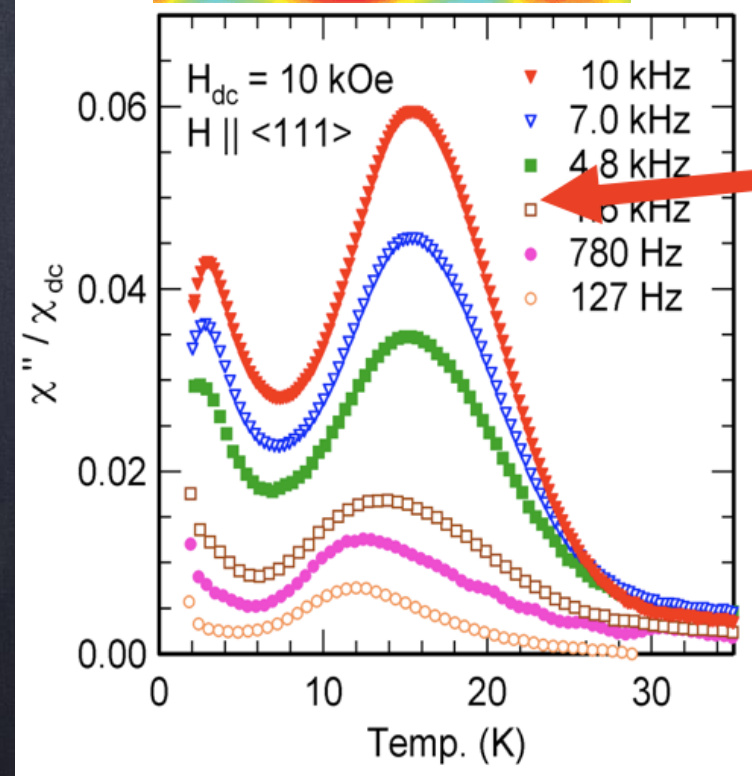
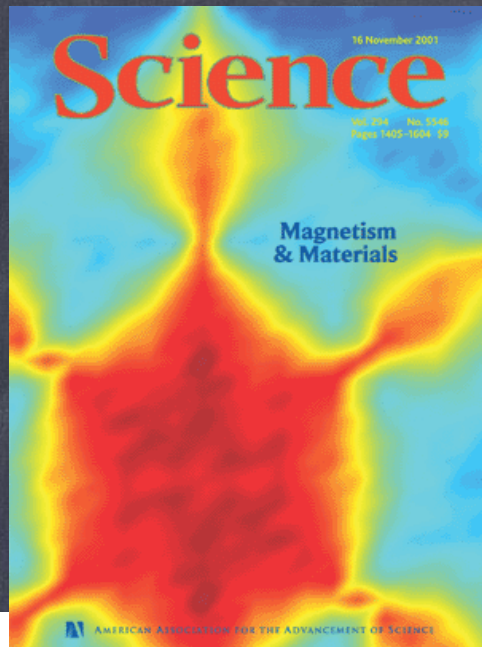
Nano Composites



Taking advantage of selective isotope labeling of the chains, we studied the role of interfacial polymer on segmental and collective dynamics of the matrix chains

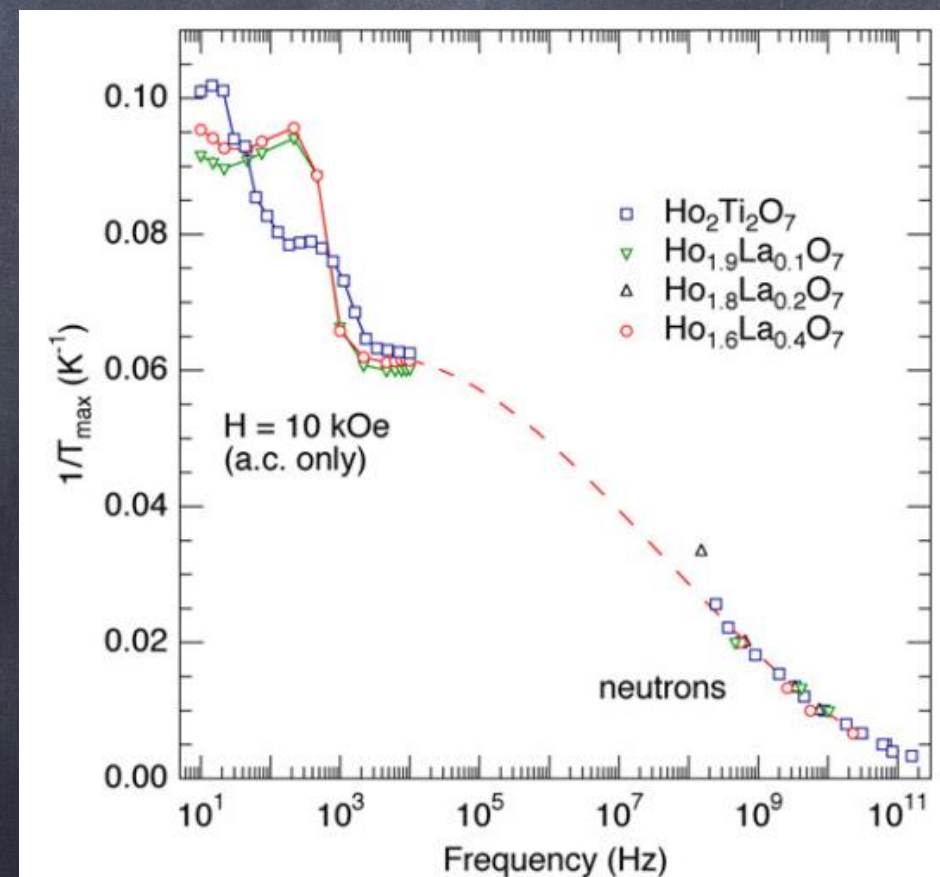
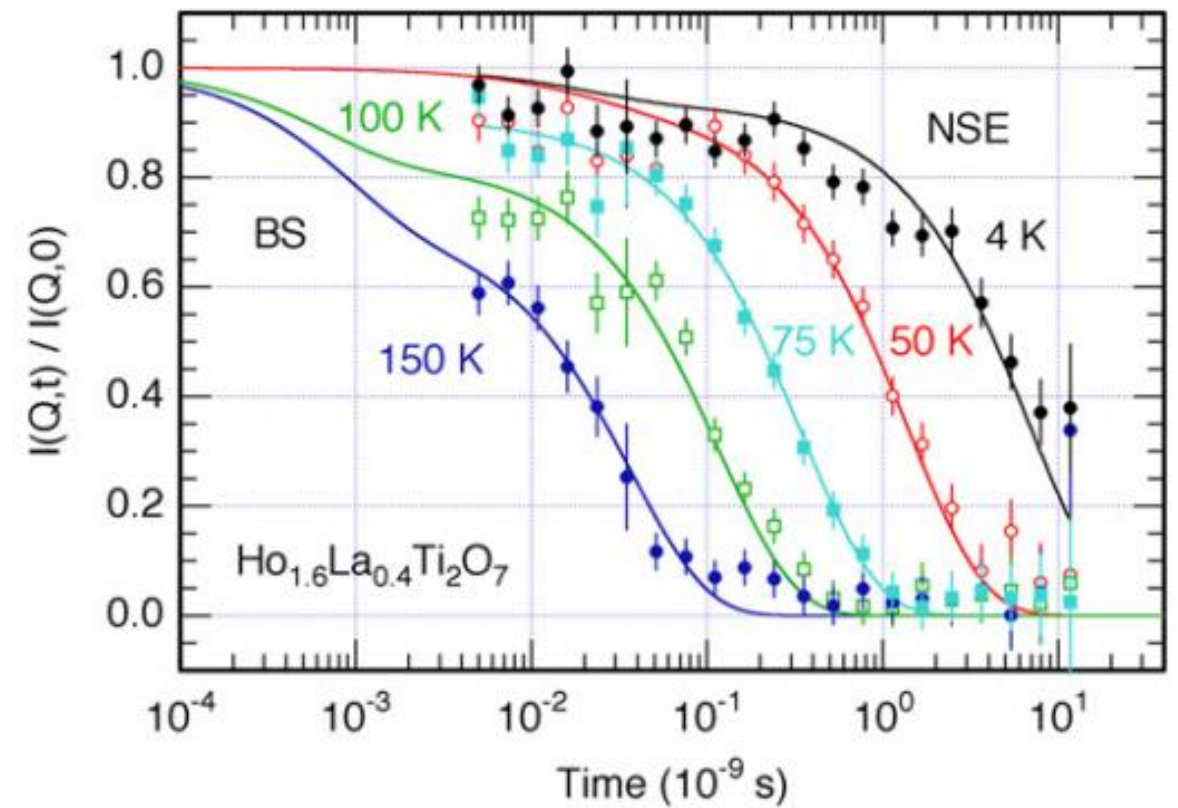
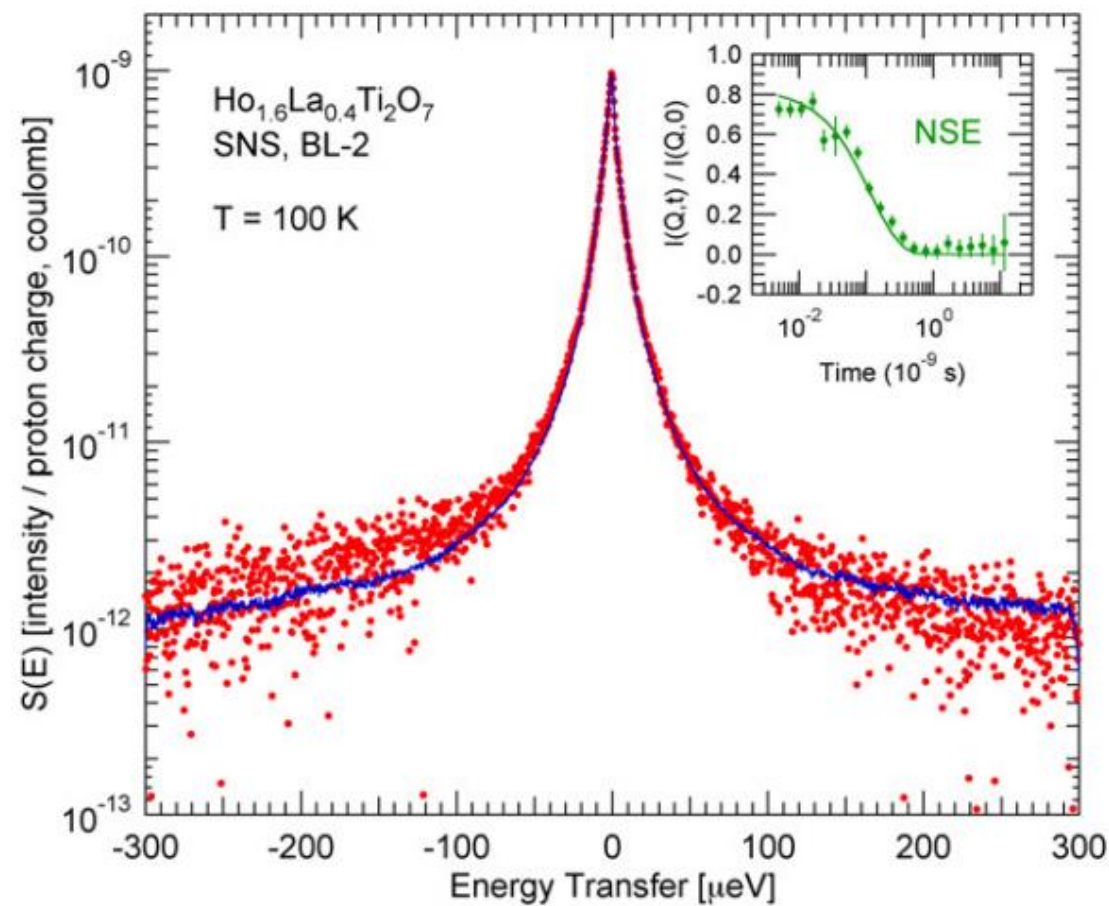
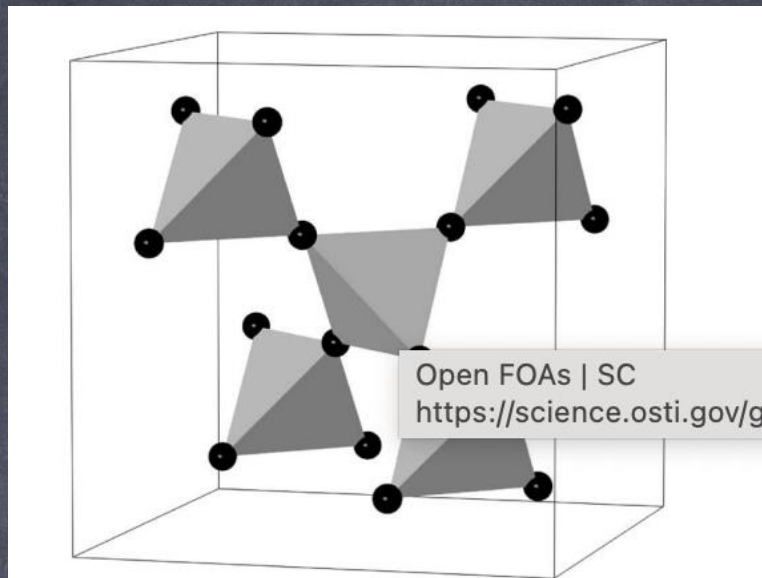
Spin ice

J Phys Cond Matt 15 L9 (2003)



- Q and t dependence proved Nature paper wrong

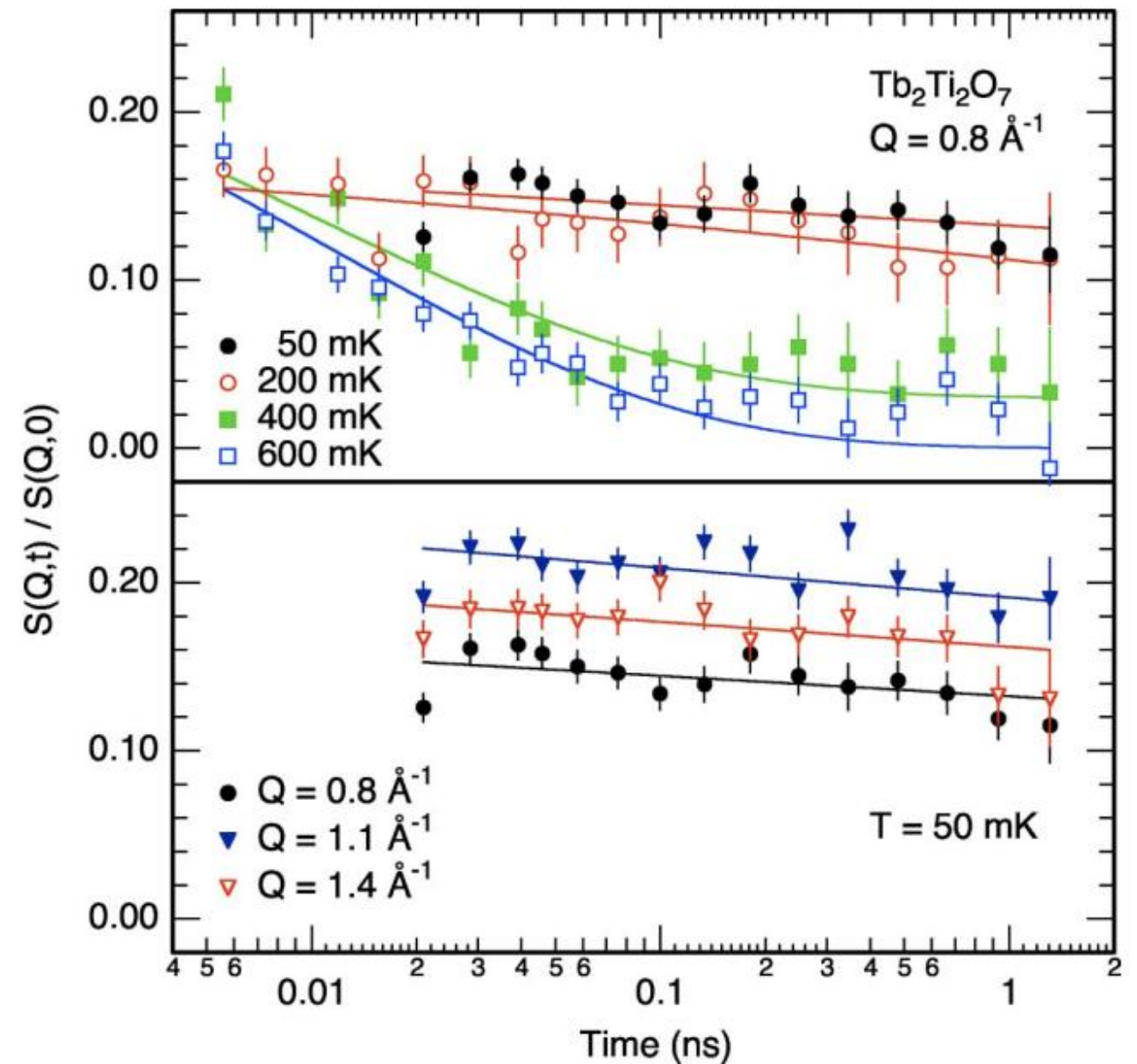
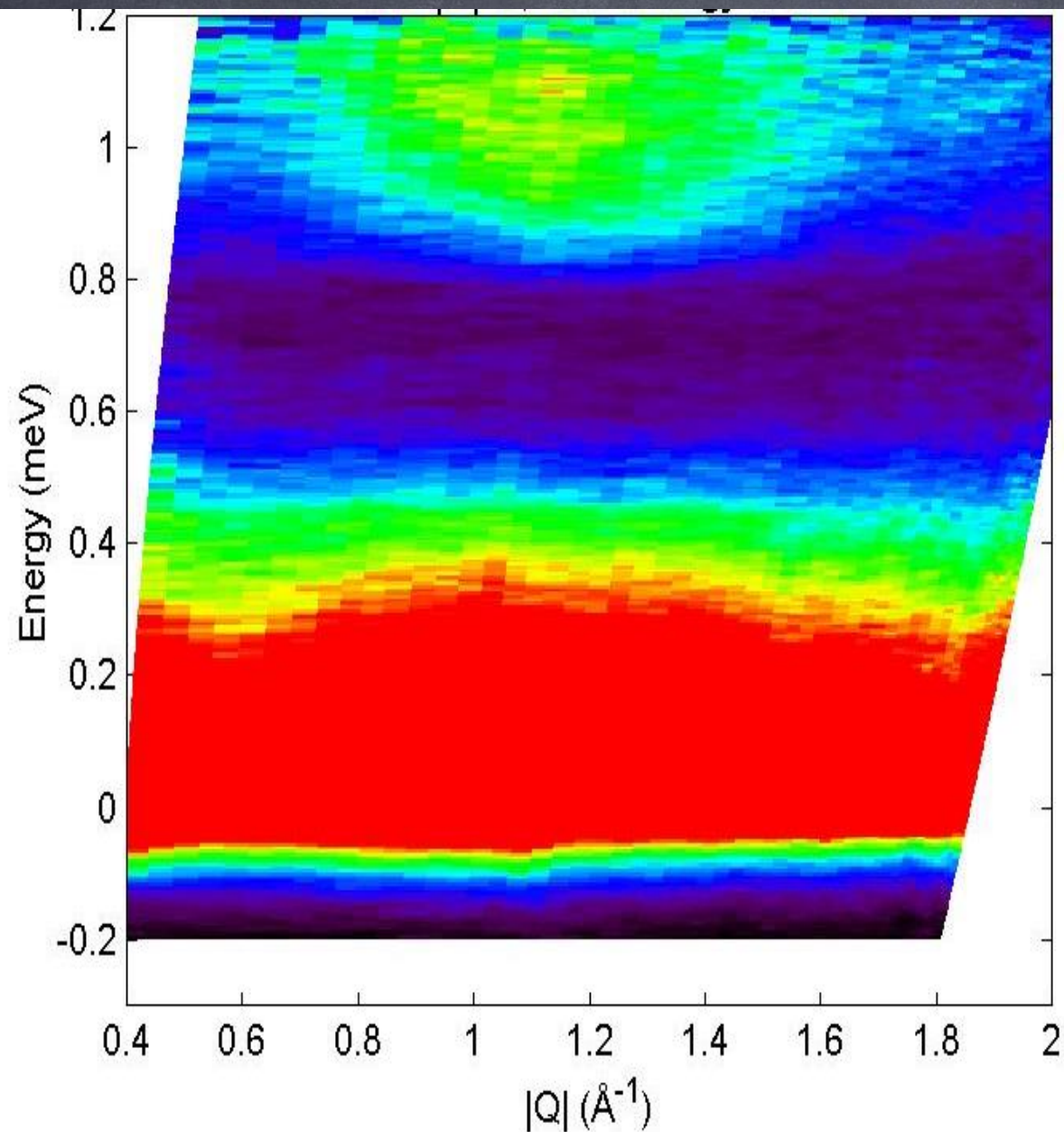
Spin ice





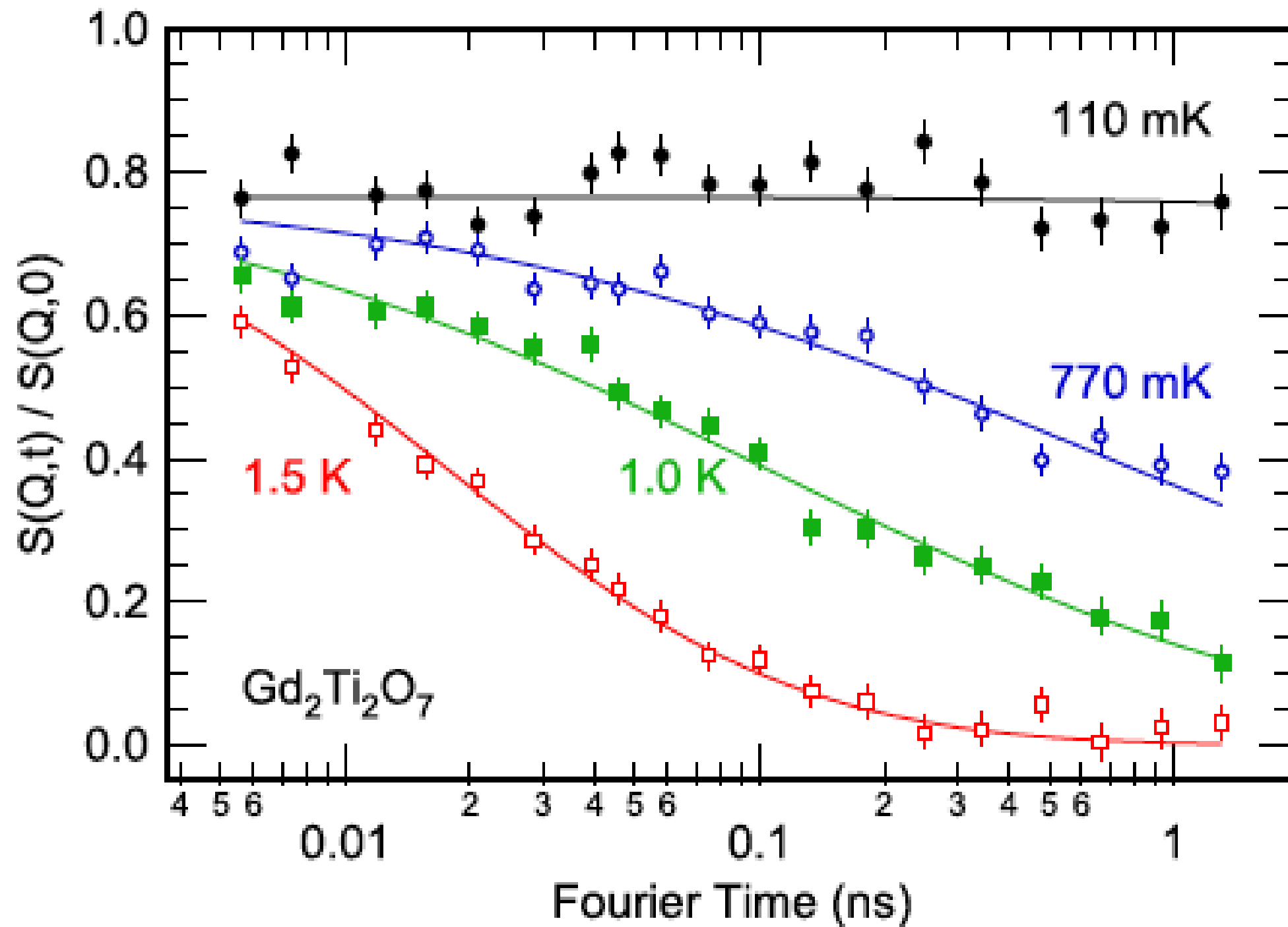
Thank you

Magnetism - Spin Liquid



JSG *et al.*, Phys Rev B, 68, 180401 (R) 2003

Magnetism - Partial Order at 700 mK

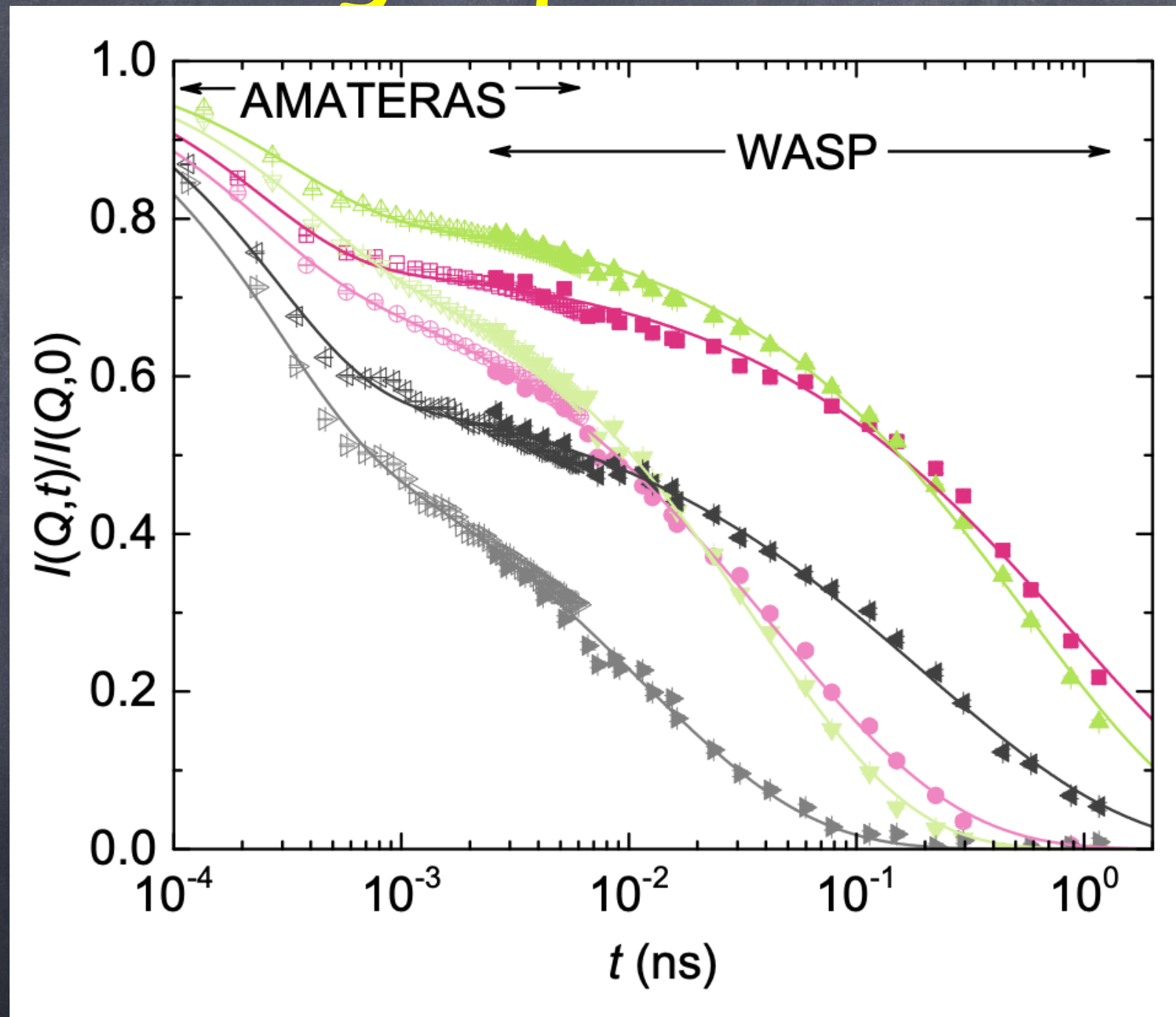


For those still awake

- NSE studies **dynamics in the ps to ns time range** (4 orders of magnitude in time!), over lengthscales **from tens of Ås to fractions of an Å**. It covers the largest lengthscales and longest timescales of all neutron spectrometers.
- NSE works in the **time domain**. The instrumental resolution can be simply divided out.
- Exploit the time and length scales accessible to **NSE only, isotope effect and/or full PA analysis**
- NSE works by encoding the neutron speed in its spin state. **Do not depolarize the neutron beam.**
- NSE is **count limiting**. Large samples and/or significant scattering intensities are required.
- Good knowledge **intense scattering**, from other neutron techniques

The Future

Glass forming liquids



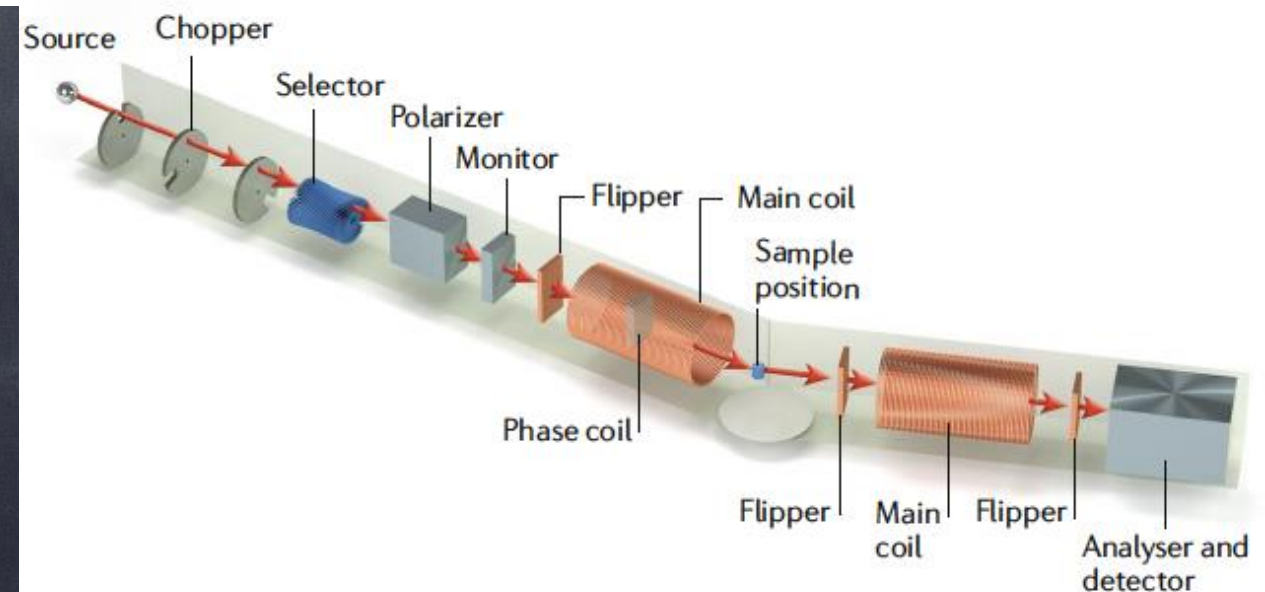
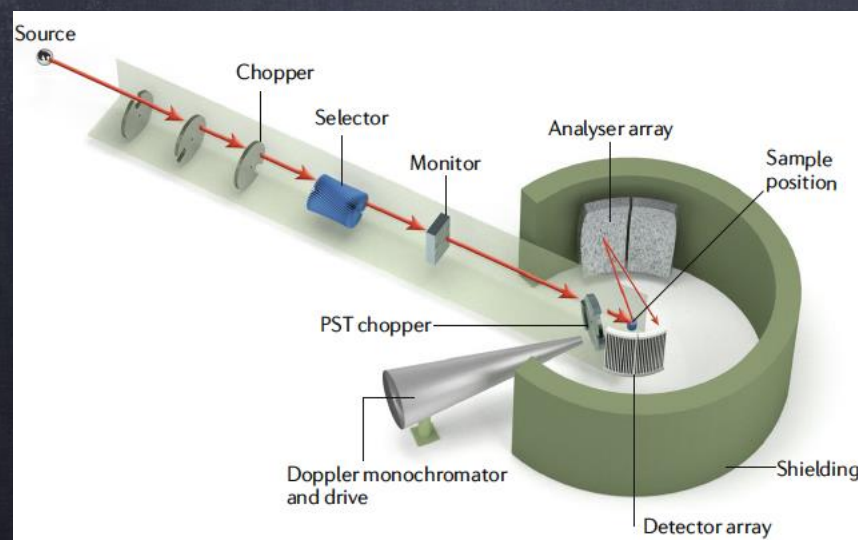
Fantastic Background and calibration of two instruments,
incredible error bars.

[illegible]

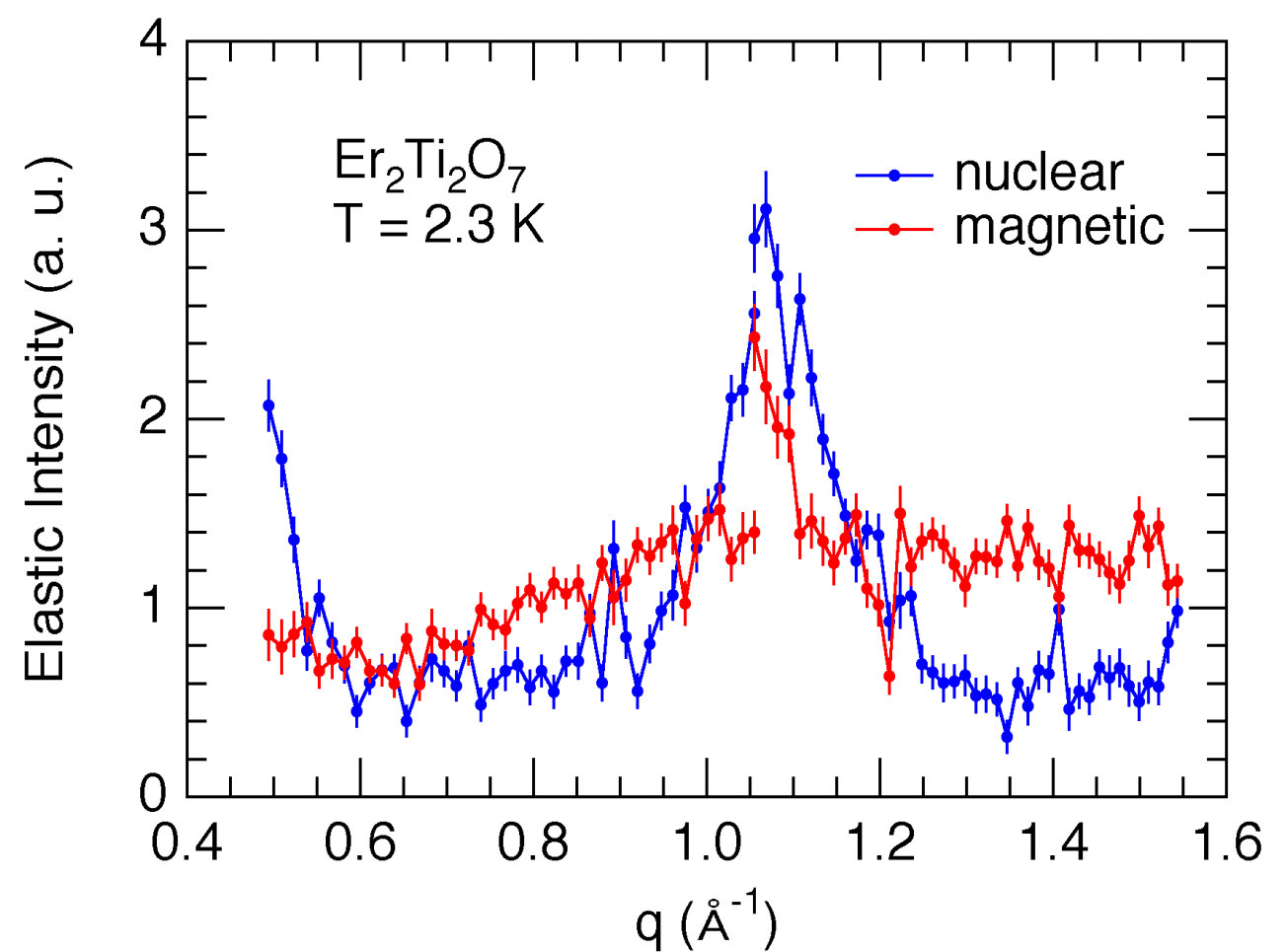
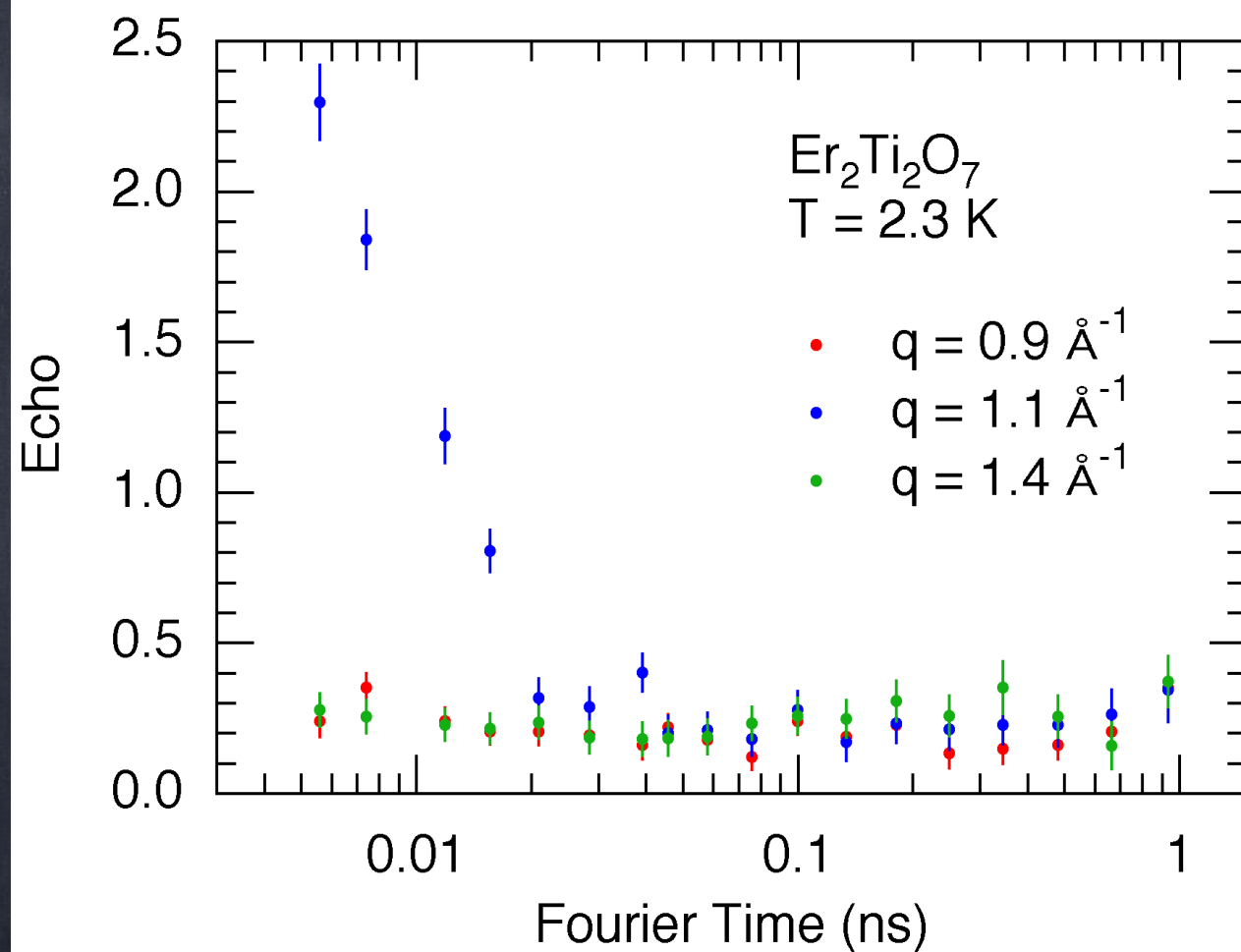
High-resolution neutron spectroscopy using backscattering and neutron spin-echo spectrometers in soft and hard condensed matter

Jason S. Gardner¹*, Georg Ehlers², Antonio Faraone³ and Victoria García Sakai⁴

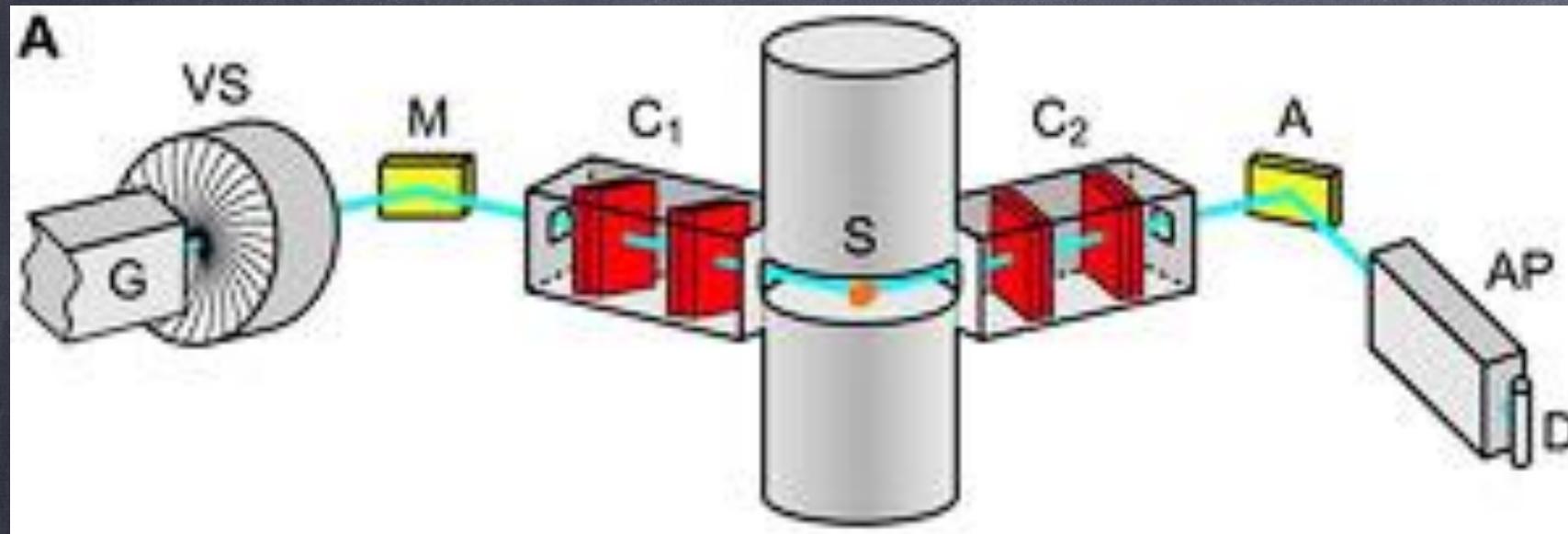
Abstract | The instruments best suited to performing high-energy-resolution neutron spectroscopy are spin-echo spectrometers and backscattering spectrometers. The development of these experimental techniques dates back almost half a century, and most major neutron scattering facilities operate mature spectrometers of one or both classes. Recent advances in instrumentation and neutron sources are enhancing their performance and expanding their capabilities, with the objective of enabling researchers to tackle new and more complex problems. In this Technical Review, we assess the current state of the art in high-energy-resolution neutron spectrometers, showcasing their role in the study of nanoscale dynamics in soft and biological materials, as well as disordered magnets.

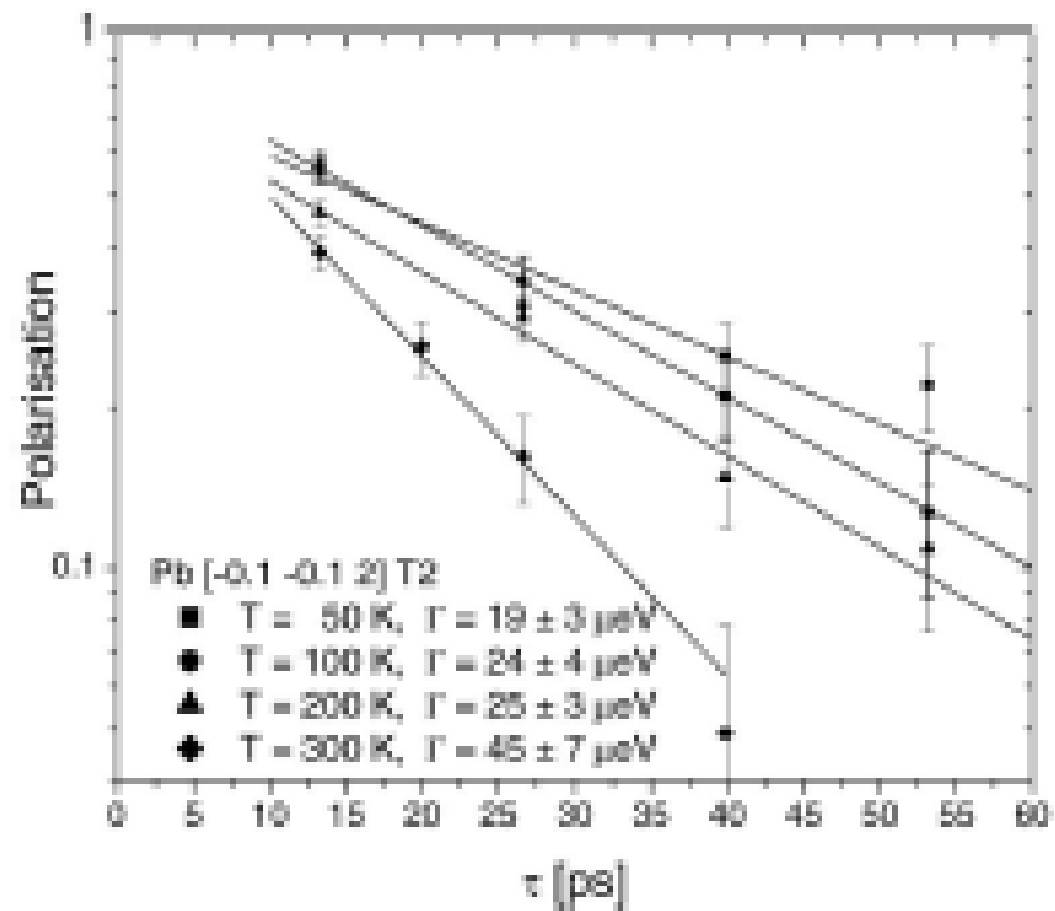


The NSE Spurions – Direct Echo

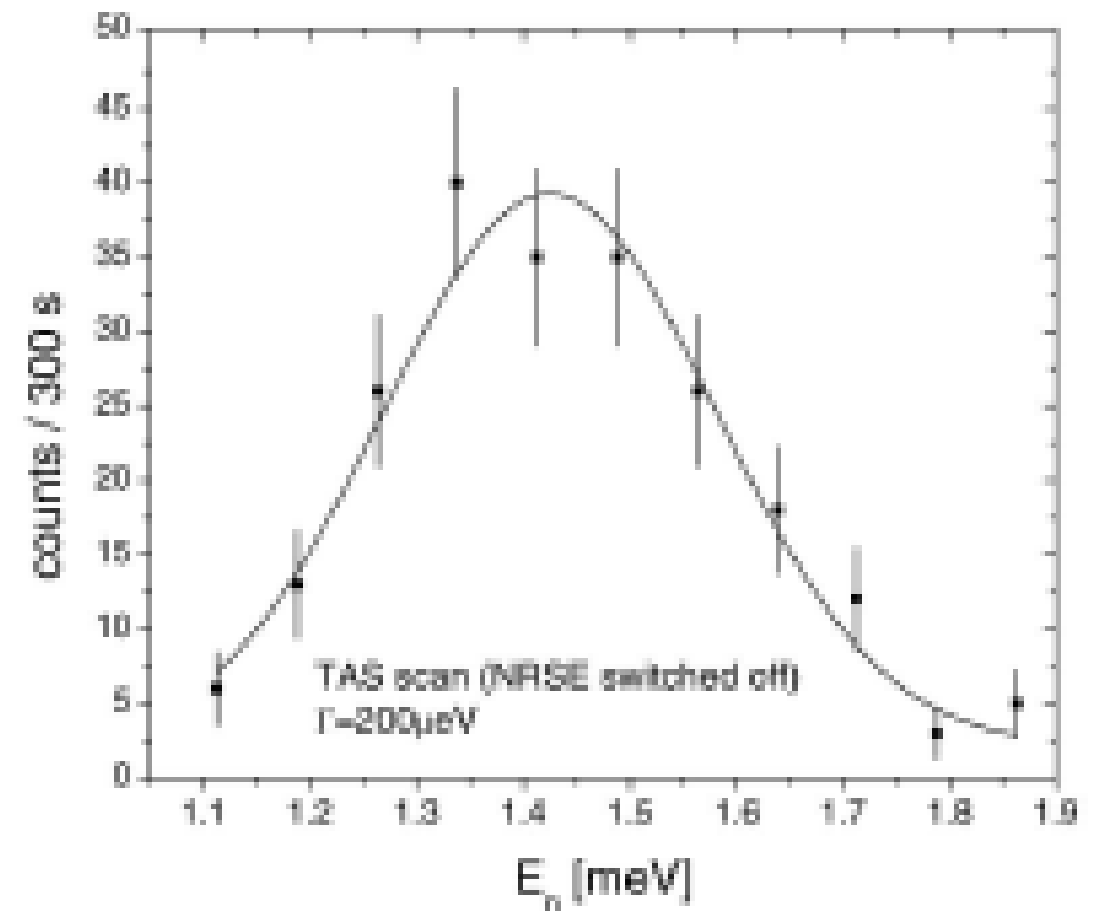


NSE on TAS





Adding NSE shows the intrinsic width is approximately 25 μ eV



Good TAS data with an extracted linewidth From Lead of 200 μ eV

xyz Polarization Analysis - Equations

case	non spin flip (“up”)	spin flip (“down”)
$\vec{p} \parallel \vec{x}$	$\sigma_n \frac{1+p}{2} + \frac{1}{2} \sigma_m \cdot (1 - p \cdot \cos^2 \alpha)$	$\sigma_n \frac{1-p}{2} + \frac{1}{2} \sigma_m \cdot (1 + p \cdot \cos^2 \alpha)$
$\vec{p} \parallel \vec{y}$	$\sigma_n \frac{1+p}{2} + \frac{1}{2} \sigma_m \cdot (1 - p \cdot \sin^2 \alpha)$	$\sigma_n \frac{1-p}{2} + \frac{1}{2} \sigma_m \cdot (1 + p \cdot \sin^2 \alpha)$
$\vec{p} \parallel \vec{z}$	$\sigma_n \frac{1+p}{2} + \frac{1}{2} \sigma_m$	$\sigma_n \frac{1-p}{2} + \frac{1}{2} \sigma_m$

$$\sigma_m = \frac{2}{p} \cdot \left(-\sigma_x^{\text{up}} - \sigma_y^{\text{up}} + 2 \cdot \sigma_z^{\text{up}} \right)$$

$$\sigma_m = \frac{2}{p} \cdot \left(\sigma_x^{\text{down}} + \sigma_y^{\text{down}} - 2 \cdot \sigma_z^{\text{down}} \right)$$